

Outflow collimation by a poloidal magnetic field

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Collaboration LULI, LNCMI, CELIA: B. Albertazzi, J. Béard, J. Billette, S. Chen, T. Cowan, E. d'Humières, J. Fuchs, F. Kroll, M. Nakatsutsumi, O. Portugall, H. Pépin, C. Riconda, L. Romagnani, H-P. Schlenvoight, T. Vinci,

BASICS OF MAGNETIC COLLIMATION

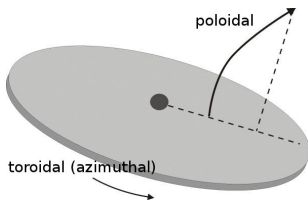
Magnetic collimation

“Main collimation mechanism” requires a toroidal (azimuthal) field component

From the (axisymmetric) induction equation:

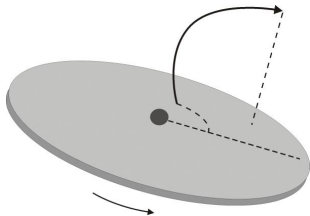
$$\frac{\partial B_\phi}{\partial t} = -r \mathbf{B}_{\text{pol}} \cdot \nabla \omega(\mathbf{r}, \mathbf{z})$$

differential angular rotation, ω , along an initially poloidal field line, \mathbf{B}_{pol} , generates an azimuthal component B_ϕ .



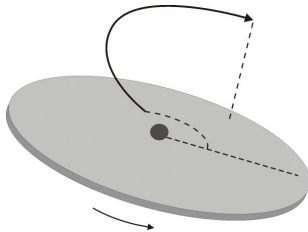
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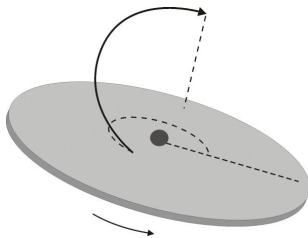
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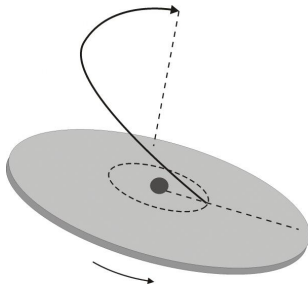
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Magnetic (Lorentz) force on the plasma $\mathbf{F} = \mathbf{j} \times \mathbf{B}$ can be written as (e.g. Ferreira 1997):

Azimuthal:

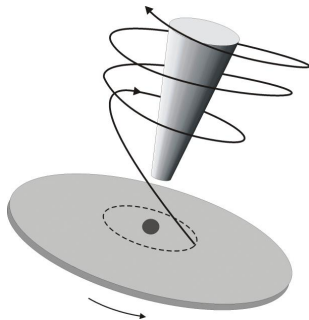
$$F_{\phi} = \frac{B_{pol}}{\mu_0 r} \nabla_{\parallel} (rB_{\phi})$$

Poloidal:

$$F_{\parallel} = -\frac{B_{\phi}}{\mu_0 r} \nabla_{\parallel} (rB_{\phi})$$

$$F_{\perp} = -\frac{B_{\phi}}{\mu_0 r} \nabla_{\perp} (rB_{\phi}) + j_{\phi} B_{pol}$$

We are interested in $B_{\phi} = 0$ and the effects of B_{pol} only $\rightarrow j_{\phi} B_{pol}$

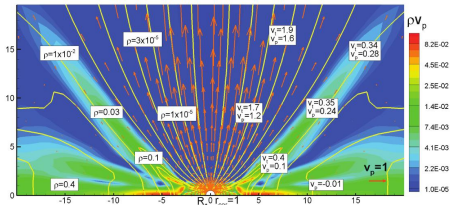


COLLIMATION BY A POLOIDAL FIELD

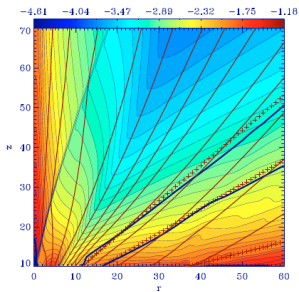
Collimation by a poloidal magnetic field

Magnetosphere-disc region¹

- Two component magnetized outflows: stellar and disc winds
- Collimation of stellar wind depends
 - ▶ on the field anchored in disc
 - ▶ disc wind



Romanova et al 2009



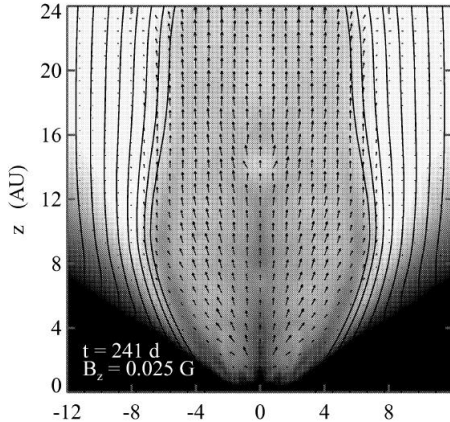
Matsakos et al 2009

¹Stone et al 1992; Matt et al 2003

Collimation by a poloidal magnetic field

Magnetosphere-disc region²

→ Collimation over a few $\times 10$ AU of disc-stellar wind



Matt et al 2003

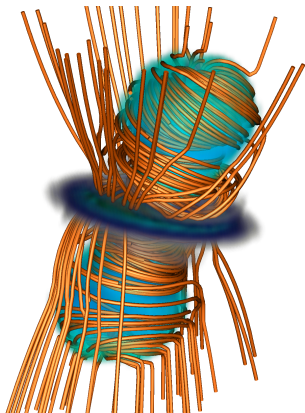
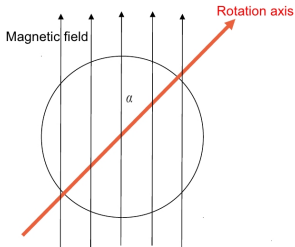
²Stone et al 1992; Matt et al 2003

Collimation by a poloidal magnetic field

Outflows from collapsing pre-stellar cores³

Gravitationally collapsing dense core of 1 solar mass.

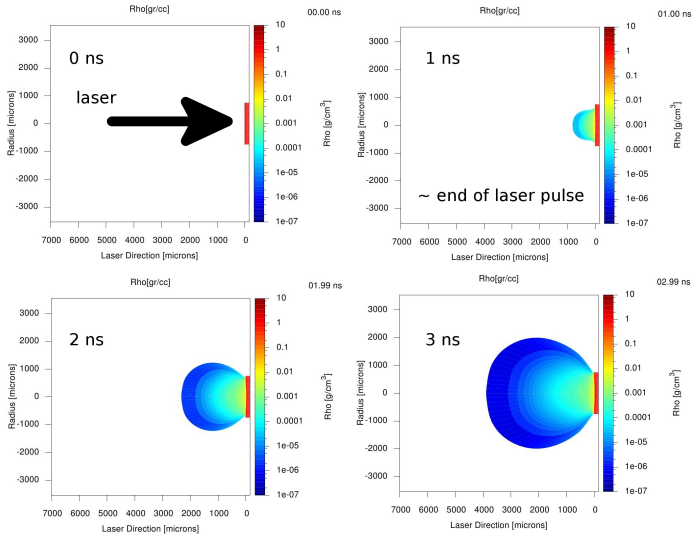
- $R_{\text{core}} \sim 1000 \text{ AU}$
- $n \sim 10^6 \text{ cm}^{-3}$
- $T = 10 \text{ K}$
- $\mu = 5$ highly-magnetized, supercritical



³Hennebelle et al 2009, Ciardi et al 2010, Joos et al 2012

EXPERIMENTAL APPROACH

Laser-driven plasma plume \rightarrow thermally-driven wind



Simple estimates

→ Spherical expansion halted when

$$\rho v^2 \sim B_0^2 / 8\pi$$

→ Collimation radius

$$R_{coll} \sim 0.8 (E_K / B_0^2)^{1/3} \text{ cm}$$

→ Bulk kinetic energy

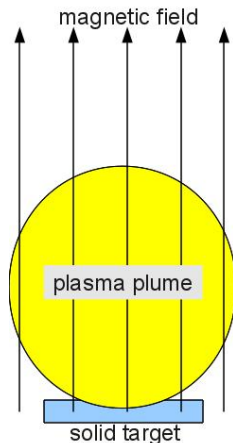
$$E_K = f E_L$$

with $f \sim 0.2 - 0.5$

→ Collimation time-scale

$$t_{coll} \sim R_{coll} / v_{exp}$$

where $v_{exp}(\text{cm/s}) \sim 4.6 \times 10^7 I^{1/3} \lambda^{2/3}$



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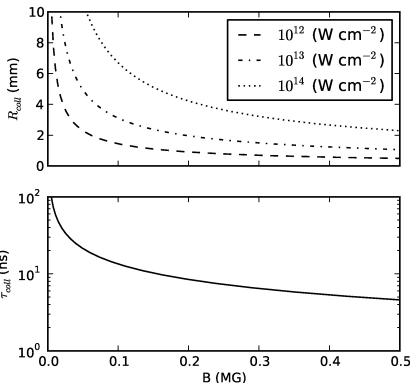
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Nominal laser parameters:

$E_L = 50 - 500 \text{ J}$; $\tau_L = 1 \text{ ns}$; $\lambda = 1.064 \mu\text{m}$;

$\phi = 750 \mu\text{m}$

Need $B_0 \gtrsim 0.1 \text{ MG}$ for several $t \gg 10 \text{ ns}$

MODELLING THE EXPERIMENTS

Modelling tools

Laser-target interaction modelled with

→ DUED⁴

- ▶ 2D Lagrangian, radiation hydrodynamics
- ▶ 3 Temperatures
- ▶ Ray-tracing laser deposition
- ▶ Multi-group radiation transport
- ▶ Flux limited thermal diffusion (ion & electron)
- ▶ Tabulated EOS (SESAME)

Plasma-magnetic field interaction modelled with

→ GORGON⁵

- ▶ 3D Eulerian, resistive MHD with computational vacuum
- ▶ 2 Temperatures (ion & electron)
- ▶ Optically thin radiation losses with black-body limiter
- ▶ Flux limited thermal diffusion (ion & electron)
- ▶ Ions: perfect gas. Electrons: Thomas-Fermi LTE

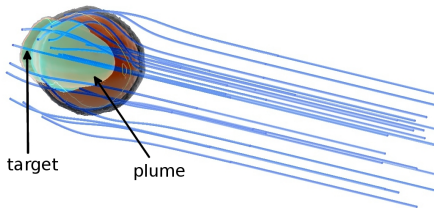
⁴Atzeni et al 2005

⁵Chittenden et al 2004; Ciardi et al 2007

Three main phases of evolution

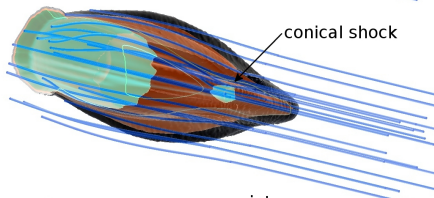
1. Cavity-shell formation

- ▶ High-beta cavity
- ▶ Formation of a shell of shocked material and compressed **B**
- ▶ Re-direction of plasma along cavity walls



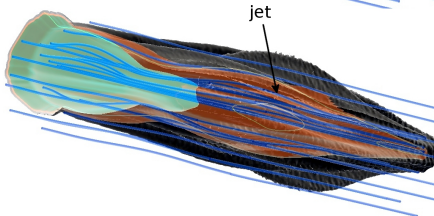
2. Jet formation

- ▶ Re-directed flow converges towards the axis
- ▶ Formation of a conical shock
- ▶ Axial re-direction and jet formation



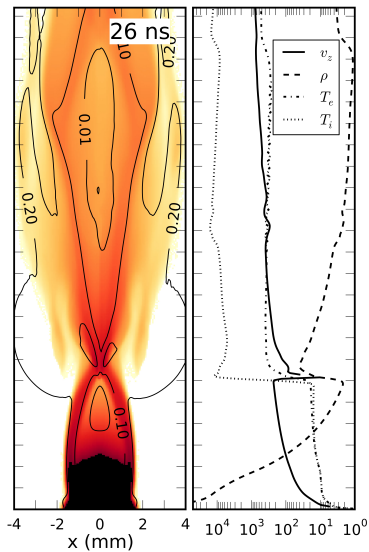
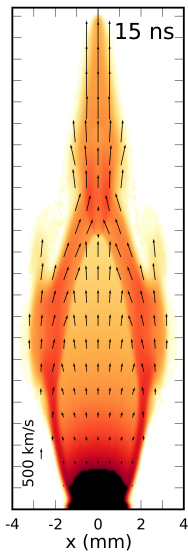
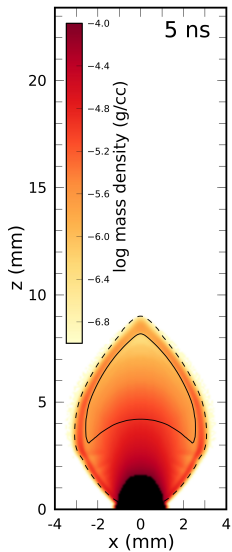
3. Re-collimation

- ▶ Secondary cavity
- ▶ Re-collimation, conical shock and jet



Three main phases of evolution

Dynamics at $I \sim 10^{14} \text{ W cm}^{-2}$ and $B_0 \sim 0.2 \text{ MG}$



Flow instabilities

Rayleigh-Taylor type filamentation instability⁶

Configuration similar to a θ -pinch

→ Growth rate

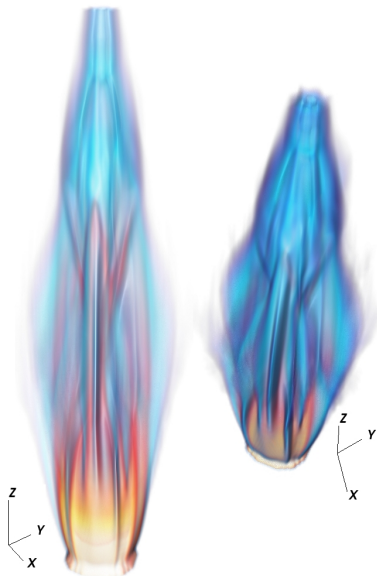
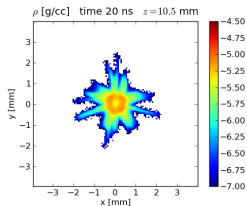
$$\gamma \sim \sqrt{gk_{\theta}}$$

$$k_{\theta} = m/R_{jet}$$

$$g \sim v^2/R_C$$

→ Growth time-scale is short

$$\tau_I \sim \frac{\tau_{coll}}{\sqrt{m}} \sim \text{few ns}$$



Flow instabilities

Firehose⁷

Jet may be susceptible to firehose instability

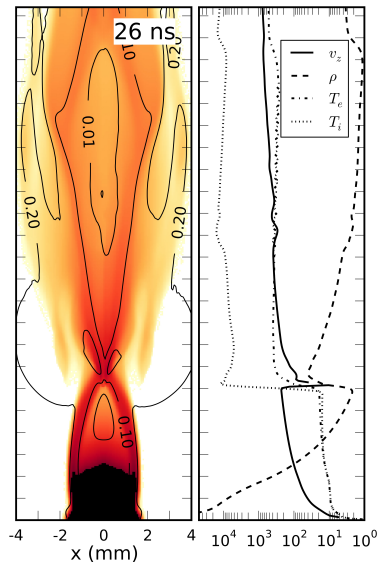
$$P_{\parallel} - P_{\perp} > \frac{B^2}{4\pi}$$

$$P_{\parallel} \sim \rho v^2$$

$$M_A^2 - \frac{\beta}{3} > 1$$

Marginally stable for some combination of laser intensity and magnetic field

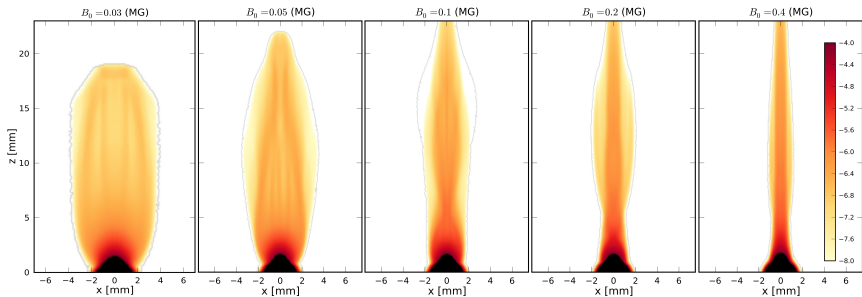
- Possible Kelvin-Helmholtz
- Electrons may be highly-magnetized → possible anisotropic thermal pressure
- Possible stabilization by the surrounding dense, magnetized plasma



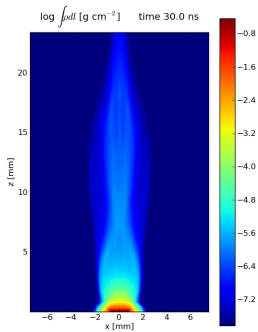
EXPERIMENTAL FLEXIBILITY

Effects of the magnetic field strength

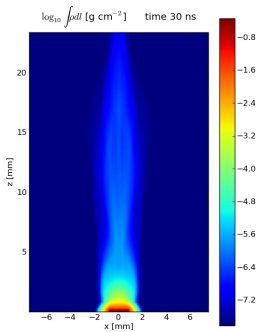
Jet formation by a conical shock suppressed at low field strength



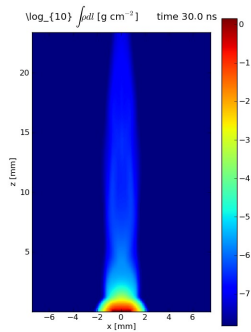
Effects of target material (radiative losses)



Carbon

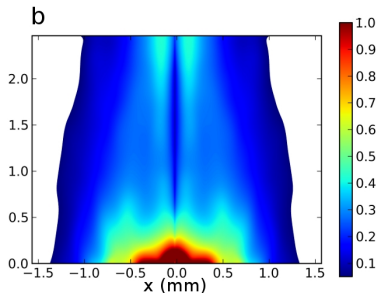
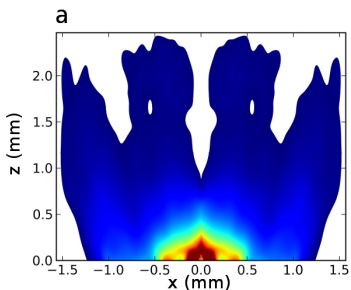
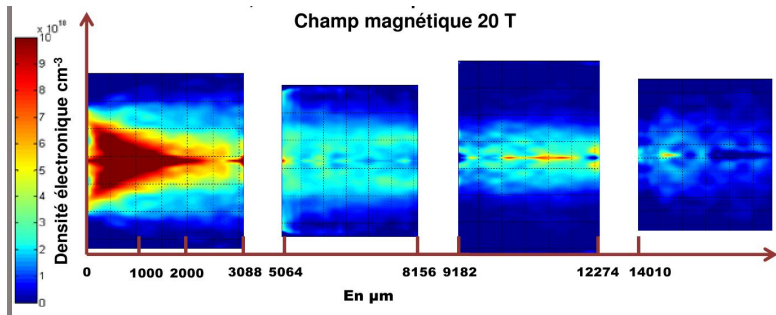


Aluminium



Copper

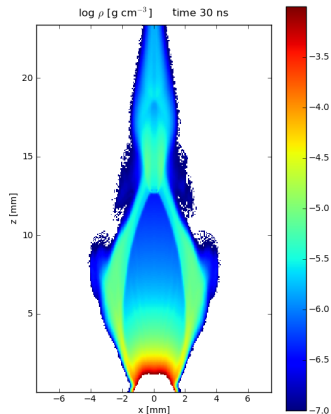
Preliminary experimental results



Summary and future directions

Potential studies with coupled laser-driven plasmas and external magnetic field.

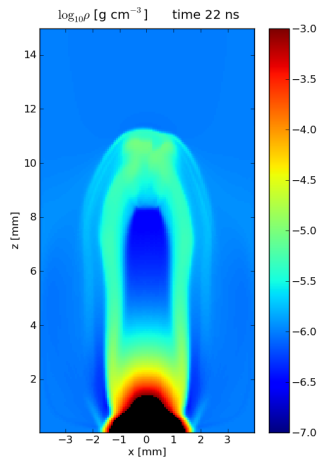
- outflow collimation mechanism by a poloidal field
 - ▶ jet formation by re-converging flows



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Potential studies with coupled laser-driven plasmas and external magnetic field.

- outflow collimation mechanism by a poloidal field
 - ▶ jet formation by re-converging flows
- jet interaction with ambient medium



Summary and future directions

Potential studies with coupled laser-driven plasmas and external magnetic field.

- outflow collimation mechanism by a poloidal field
 - ▶ jet formation by re-converging flows
- jet interaction with ambient medium
- magnetized accretion shocks

