

CLUSTERS OF GALAXIES:

WHERE COSMOLOGY
AND ASTROPHYSICS COLLIDE


ASTRONOMY

^

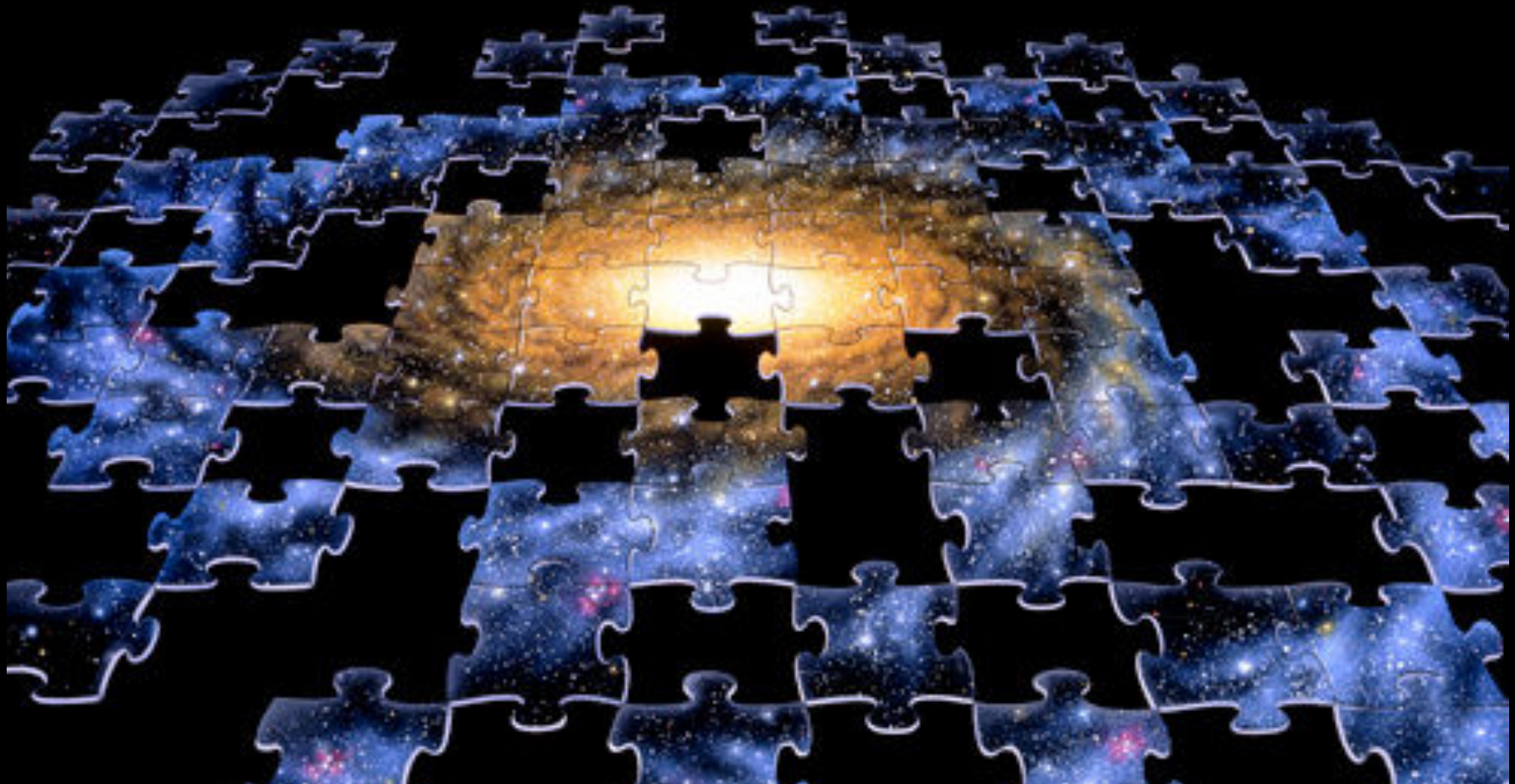
Arif Babul

University of Victoria

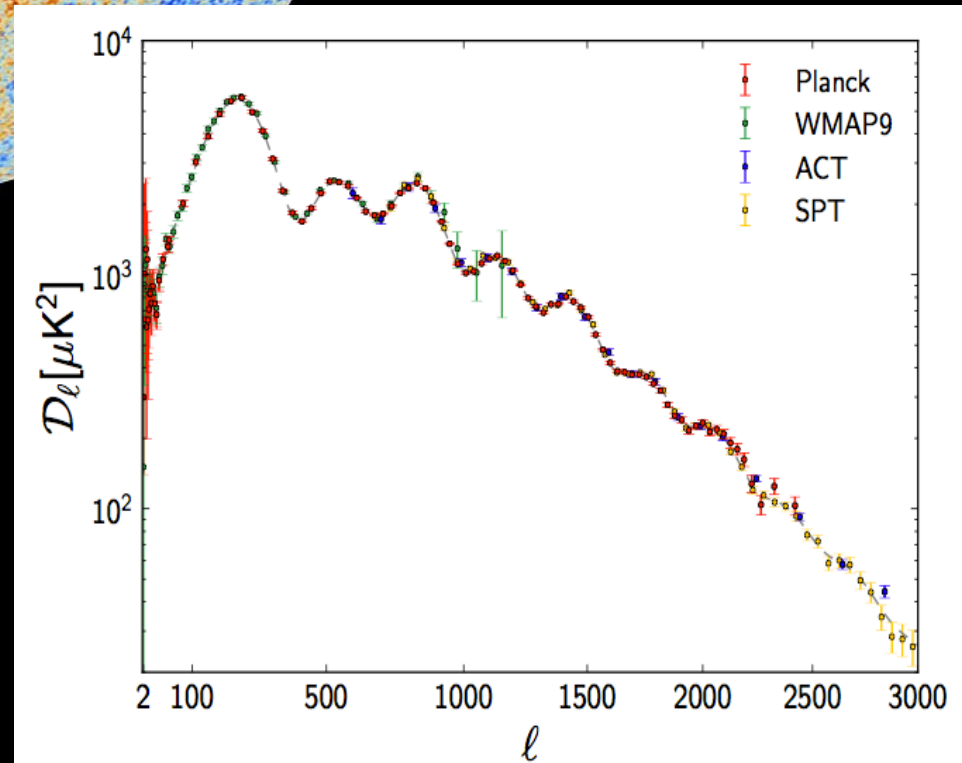
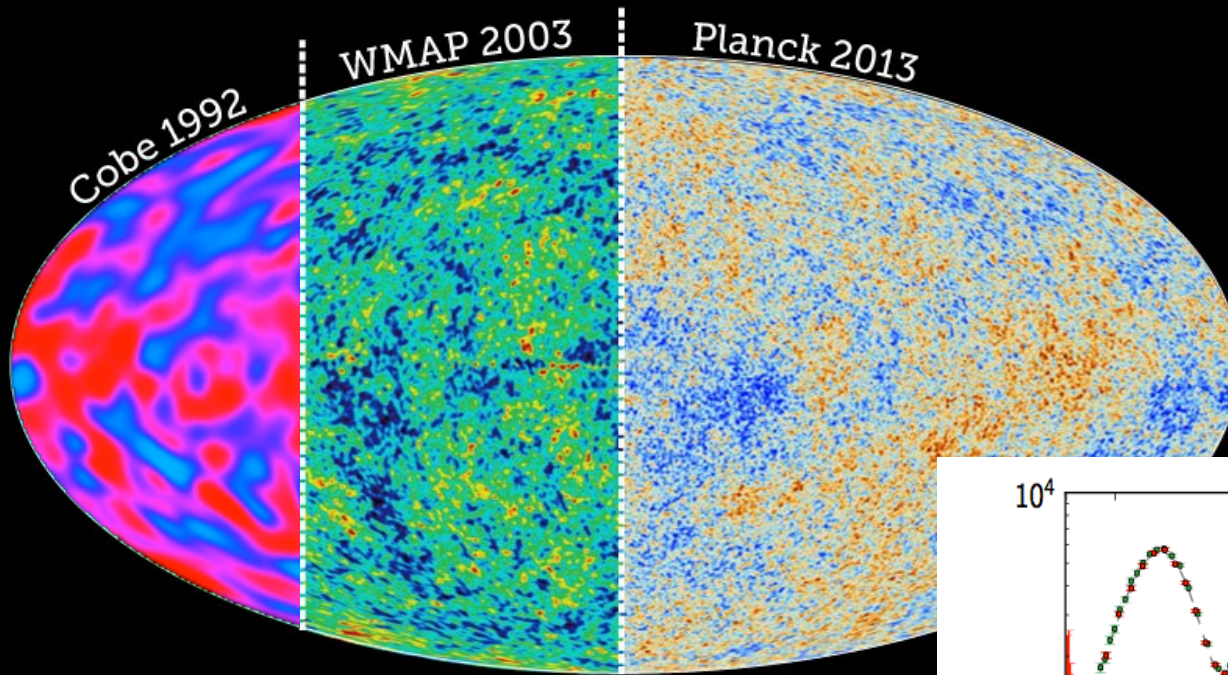
THE HOLY GRAIL OF COSMOLOGY

- 
- A magnifying glass is positioned in the lower-left quadrant of the slide. The lens is focused on a cluster of particles, including red and purple spheres connected by green lines, representing a microscopic view of matter. The background of the entire slide is a deep space scene filled with numerous galaxies, some with bright yellow cores and blueish-purple spiral arms, set against a black sky with scattered stars.
- What is the make-up of the Universe?
 - What is the present-day cosmic expansion rate?
 - How is the expansion rate evolving?
 - What is the large-scale geometry of space-time?
 - What is the nature of dark matter?
 - What is the nature of dark energy?

➤ How was galaxy formation, and the observed large-scale structure traced by the galaxies, seeded?



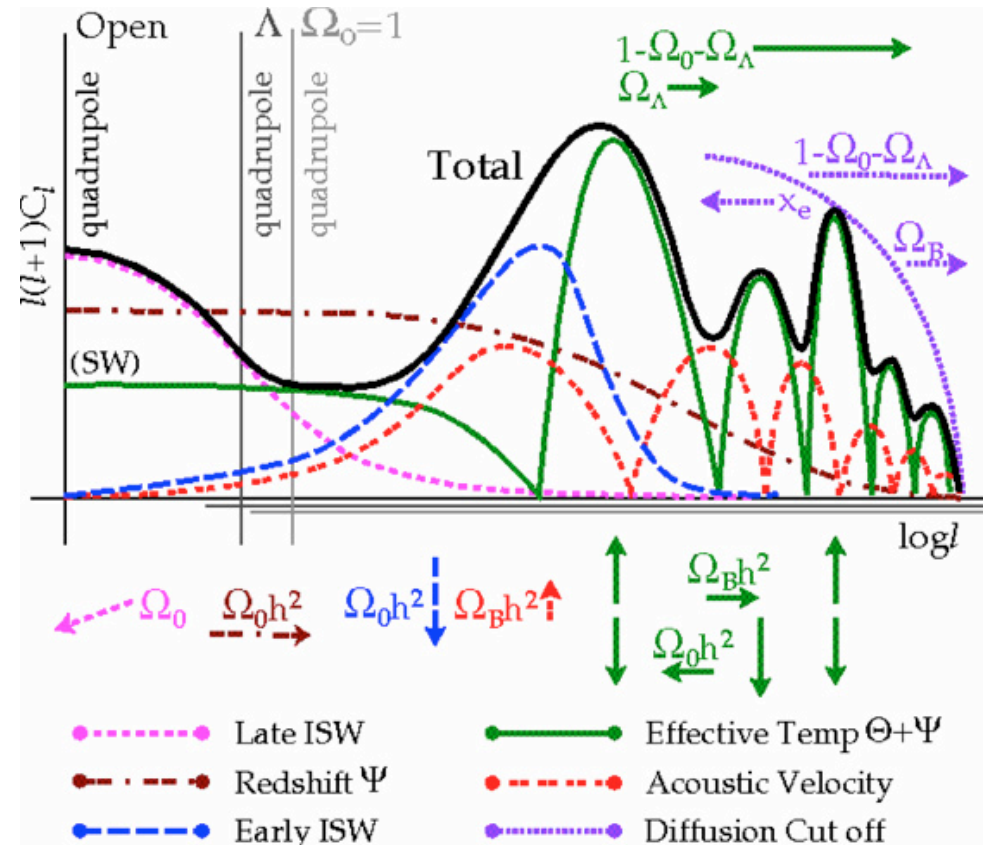
CMB EXPERIMENTS HERALDED THE AGE OF PRECISION COSMOLOGY



Age of universe	t_0
Hubble constant	H_0
Baryon density	Ω_b
Physical baryon density	$\Omega_b h^2$
Dark matter density	Ω_c
Physical dark matter density	$\Omega_c h^2$
Dark energy density	Ω_Λ
Curvature fluctuation amplitude, $k_0 = 0.002 \text{ Mpc}^{-1}$ ^b	$\Delta_{\mathcal{R}}^2$
Fluctuation amplitude at $8h^{-1} \text{ Mpc}$	σ_8
$l(l+1)C_{220}^{TT}/2\pi$	C_{220}
Scalar spectral index	n_s
Redshift of matter-radiation equality	z_{eq}
Angular diameter distance to matter-radiation eq. ^c	$d_A(z_{eq})$
Redshift of decoupling	z_*
Age at decoupling	t_*
Angular diameter distance to decoupling ^{c,d}	$d_A(z_*)$
Sound horizon at decoupling ^d	$r_s(z_*)$
Acoustic scale at decoupling ^d	$l_A(z_*)$
Reionization optical depth	τ
Redshift of reionization	z_{reion}
Age at reionization	t_{reion}

Parameters for Extended Models'

Total density ^f	Ω_{tot}
Equation of state ^g	w_0, w_1
Tensor to scalar ratio, $k_0 = 0.002 \text{ Mpc}^{-1}$ ^{b,h}	r
Running of spectral index, $k_0 = 0.002 \text{ Mpc}^{-1}$ ^{b,d}	$dn_s/d \ln k$
Neutrino density ⁱ	$\Omega_\nu h^2$
Neutrino mass ^j	$\sum m_\nu$
Number of light neutrino families ^k	N_{eff}

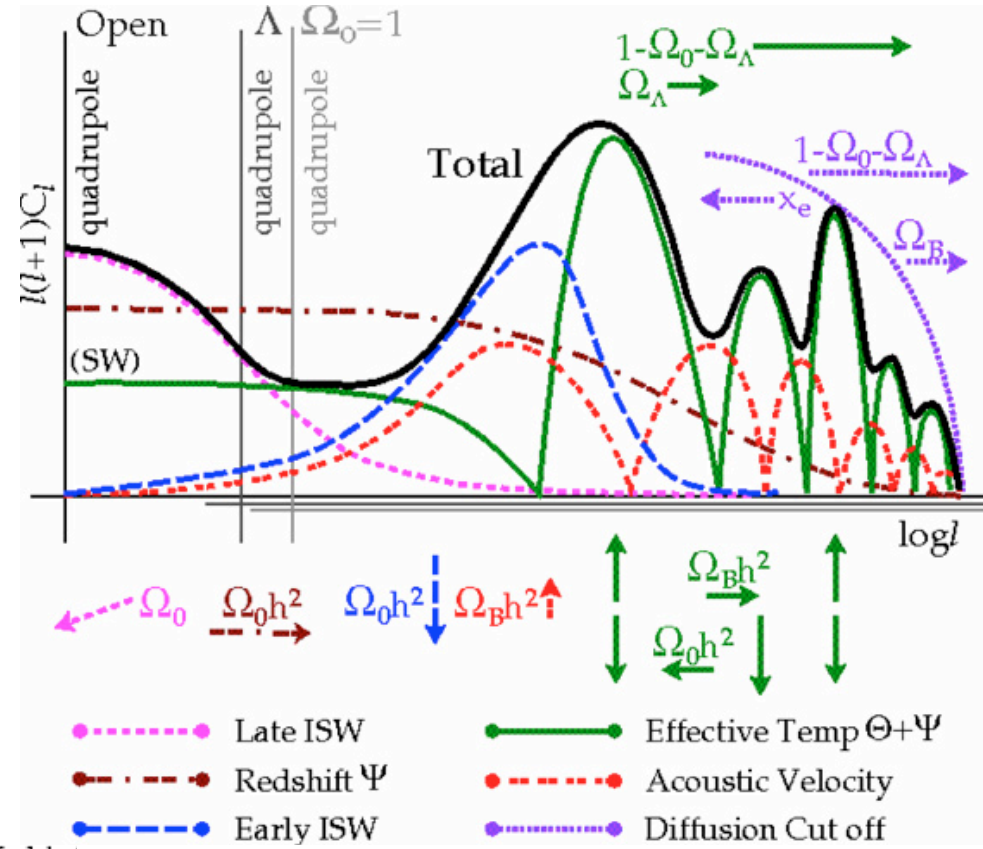


Locations and amplitudes of the peaks in the CMB power spectrum depend on values of both astrophysical and cosmological parameters.

The Minimal Model

Just Six Numbers?

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Hubble constant	H_0
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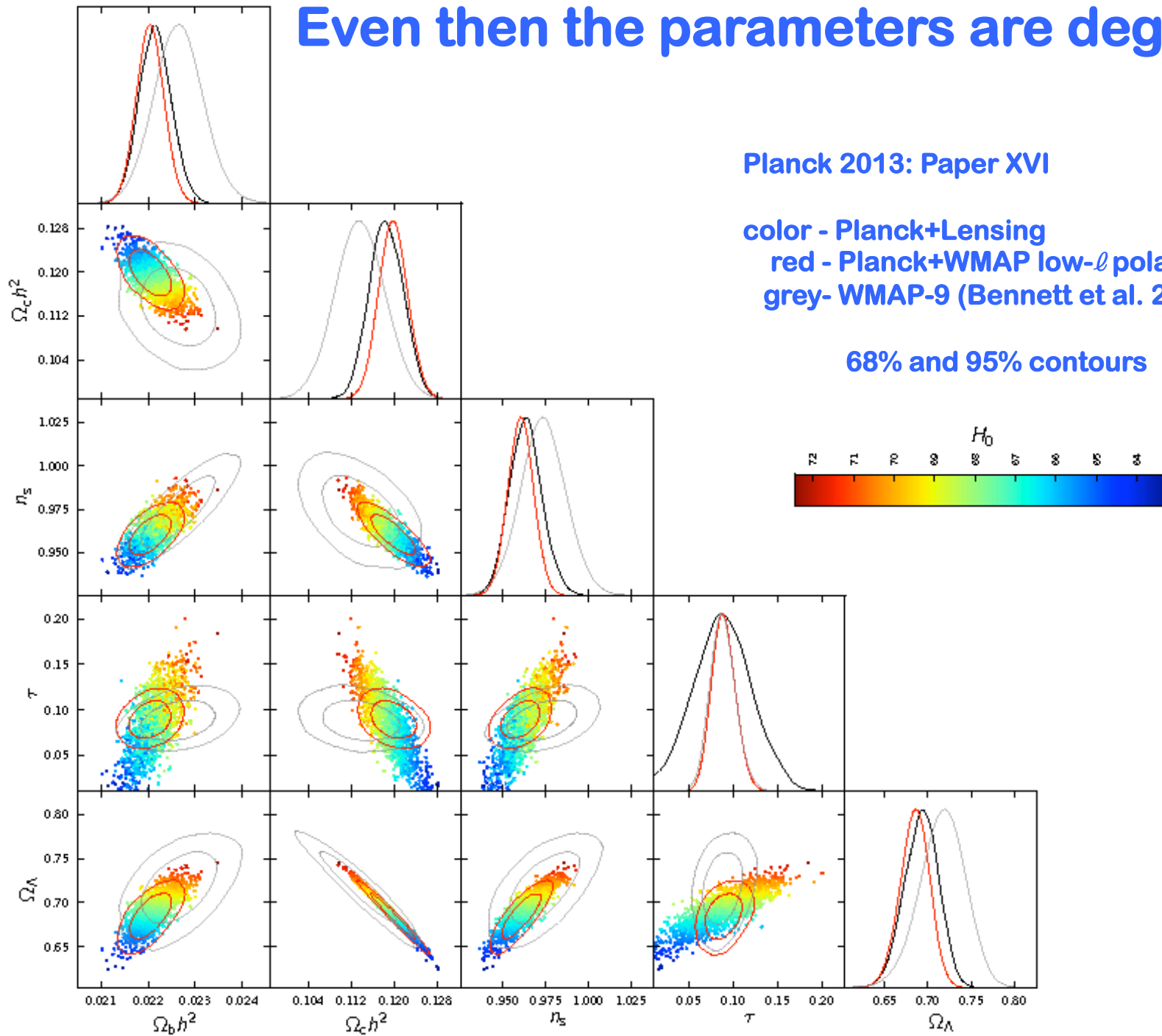
$w_0 = -1$
0
0.06 eV
3

Even then the parameters are degenerate

Planck 2013: Paper XVI

color - Planck+Lensing
red - Planck+WMAP low- ℓ polarization
grey - WMAP-9 (Bennett et al. 2012)

68% and 95% contours



EVEN THEN, THE PARAMETERS ARE DEGENERATE

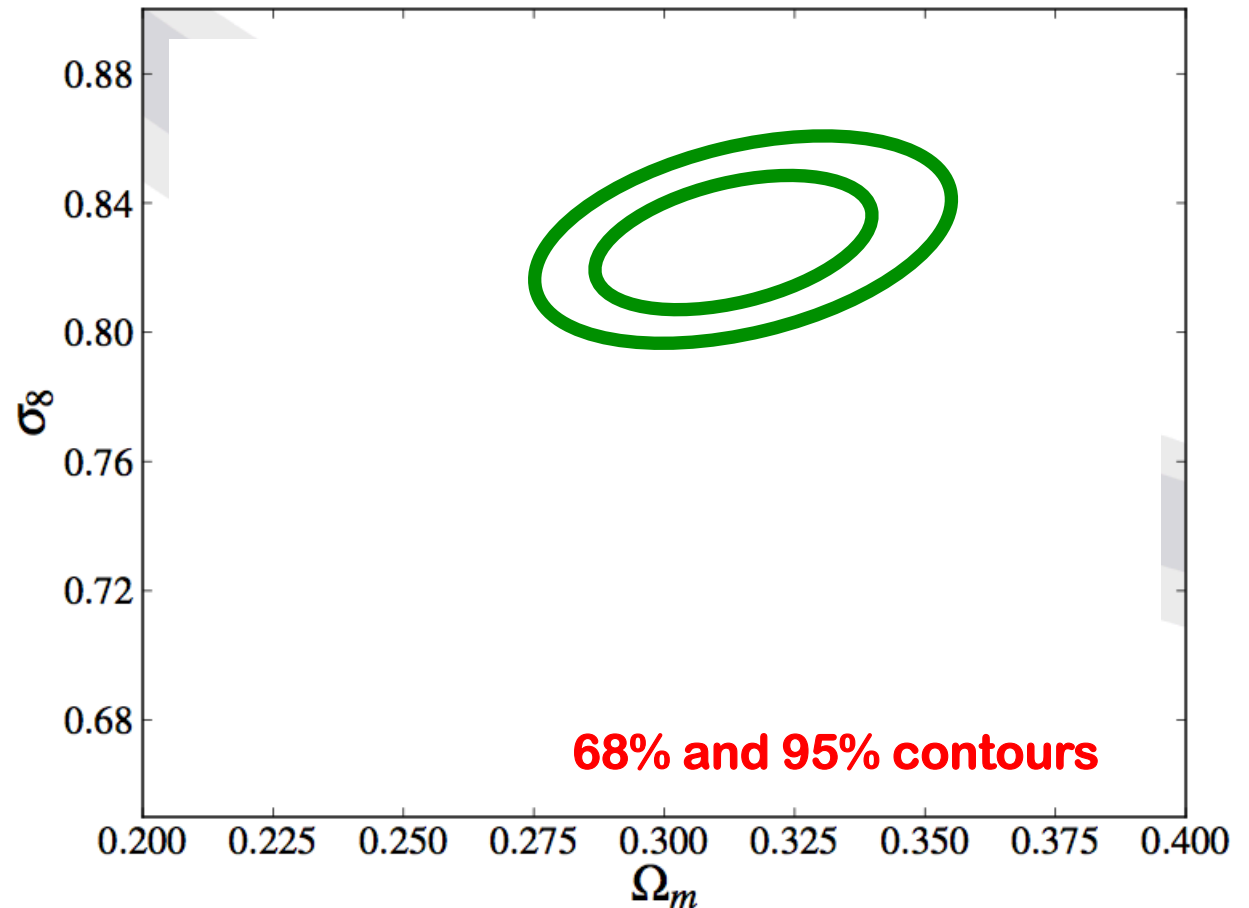
FOCUS ON THE $\Omega_m - \sigma_8$ PLANE

$$\Omega_m = 0.315 \pm 0.017$$

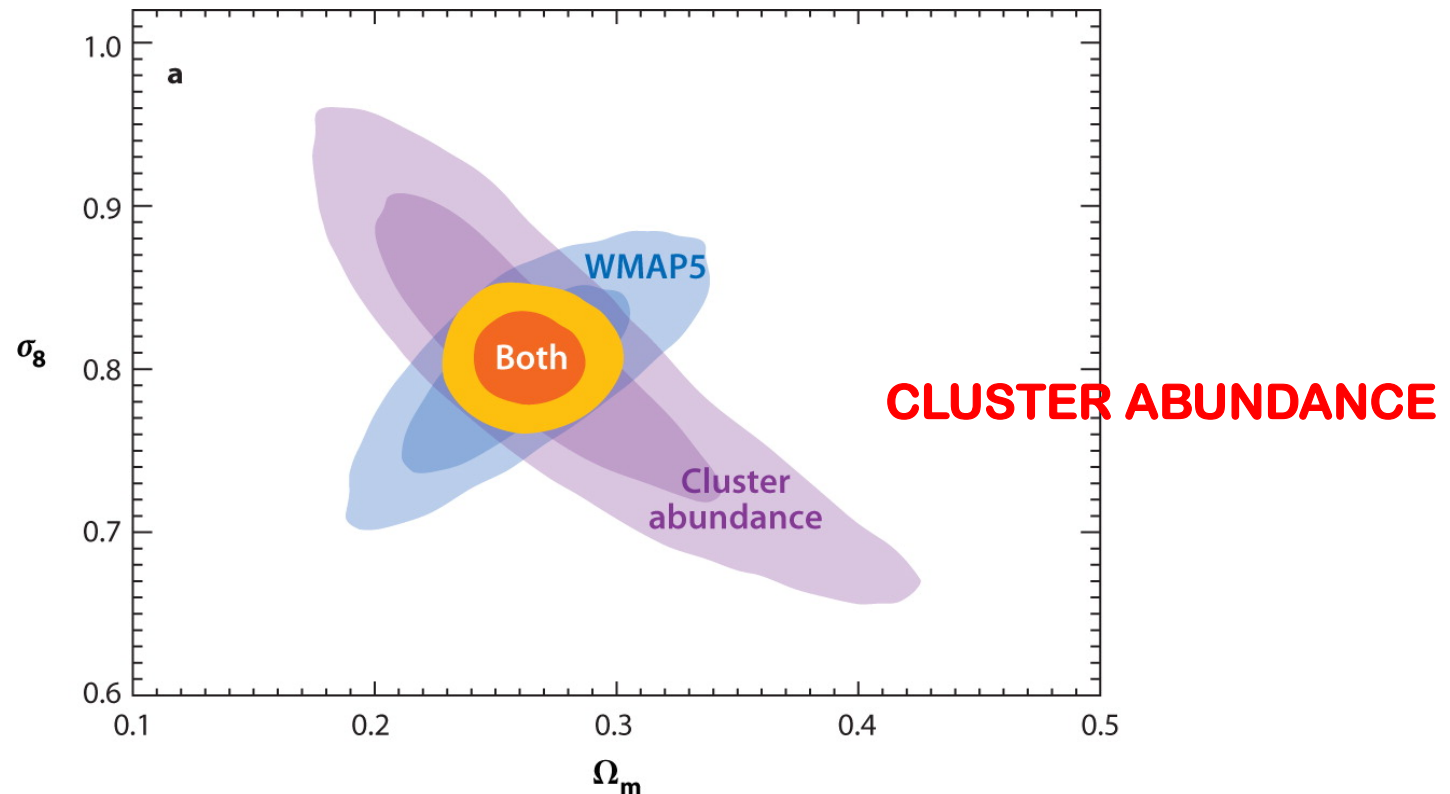
$$H_0 = 67.3 \pm 1.2$$


$$\sigma_8 = 0.829 \pm 0.012$$

68% confidence Interval



USE OF COMPLEMENTARY PROBES CAN GREATLY REDUCE UNCERTAINTIES



 Allen SW, et al. 2011. (from Rozo et al. 2010)
Annu. Rev. Astron. Astrophys. 49:409–70

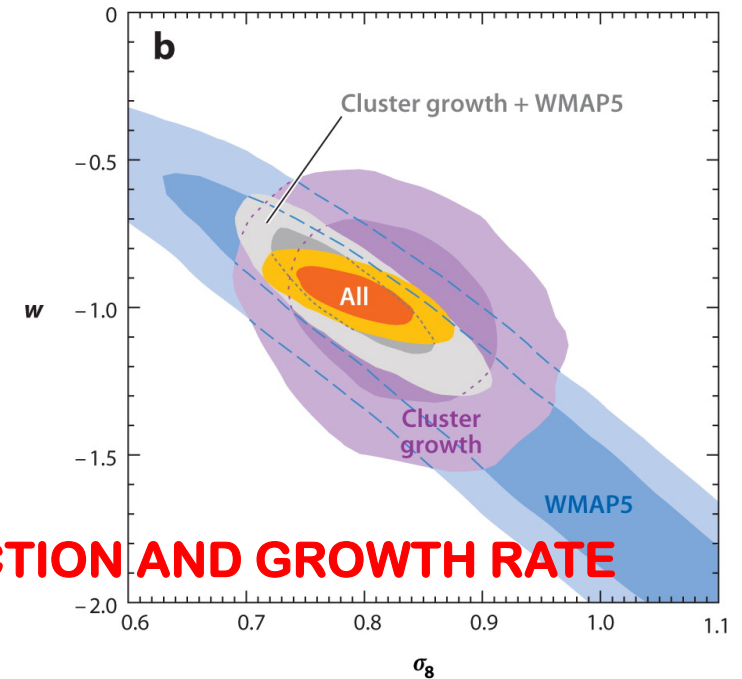
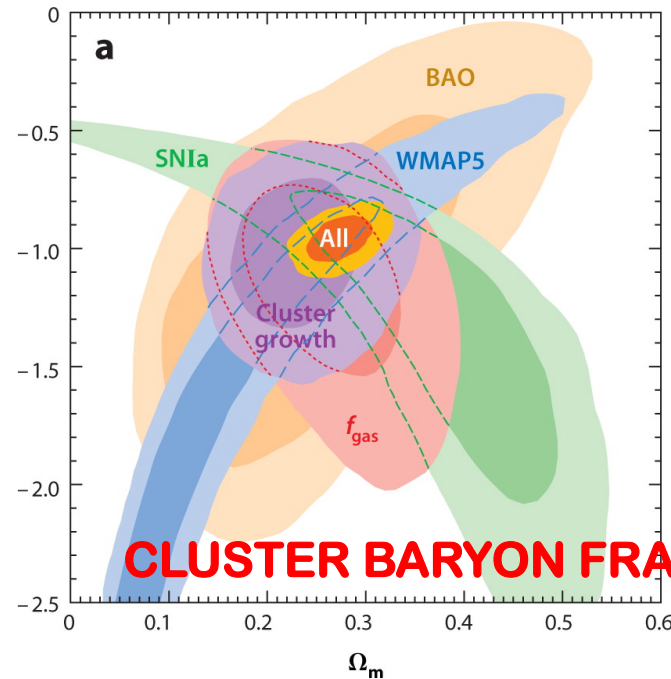
**CMB MEASURES PARAMETERS AT HI-Z
CLUSTERS/LSS MEASURE PARAMETERS AT LOW-Z**

CLUSTERS CAN ALSO CONSTRAINT OTHER COSMOLOGICAL PARAMETER

$w - \Omega_m$ Plane

Dark Energy
EOS: $w = P/\rho$

Cosmological
constant Λ :
 $w = -1$



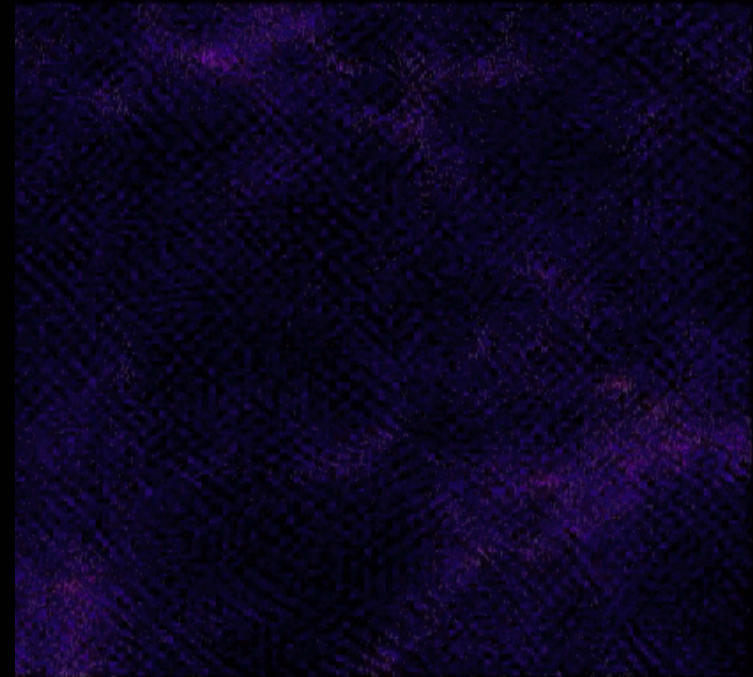
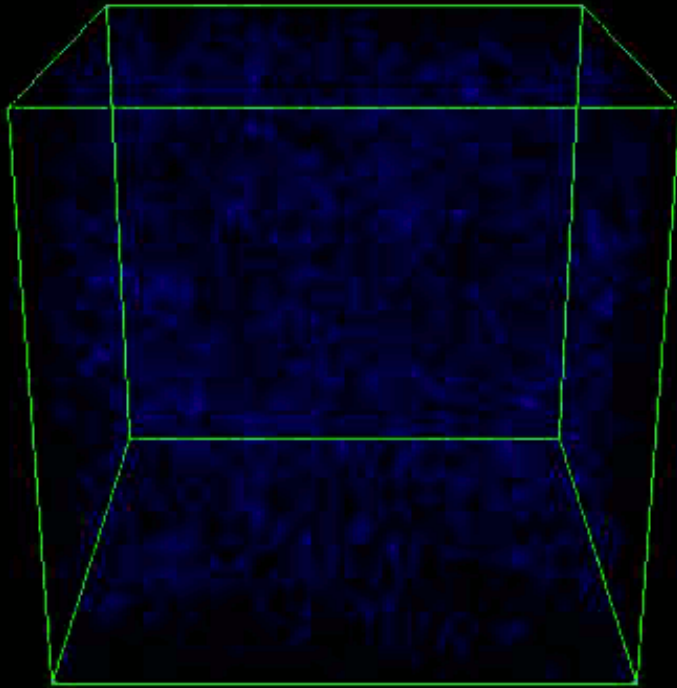
**CMB MEASURES PARAMETERS AT HI-Z
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WHY ARE CLUSTERS USEFUL COSMO PROBES?

Evolution of Structure in a Low Omega Universe

200 Mpc across

Time = 0.05 Gyr



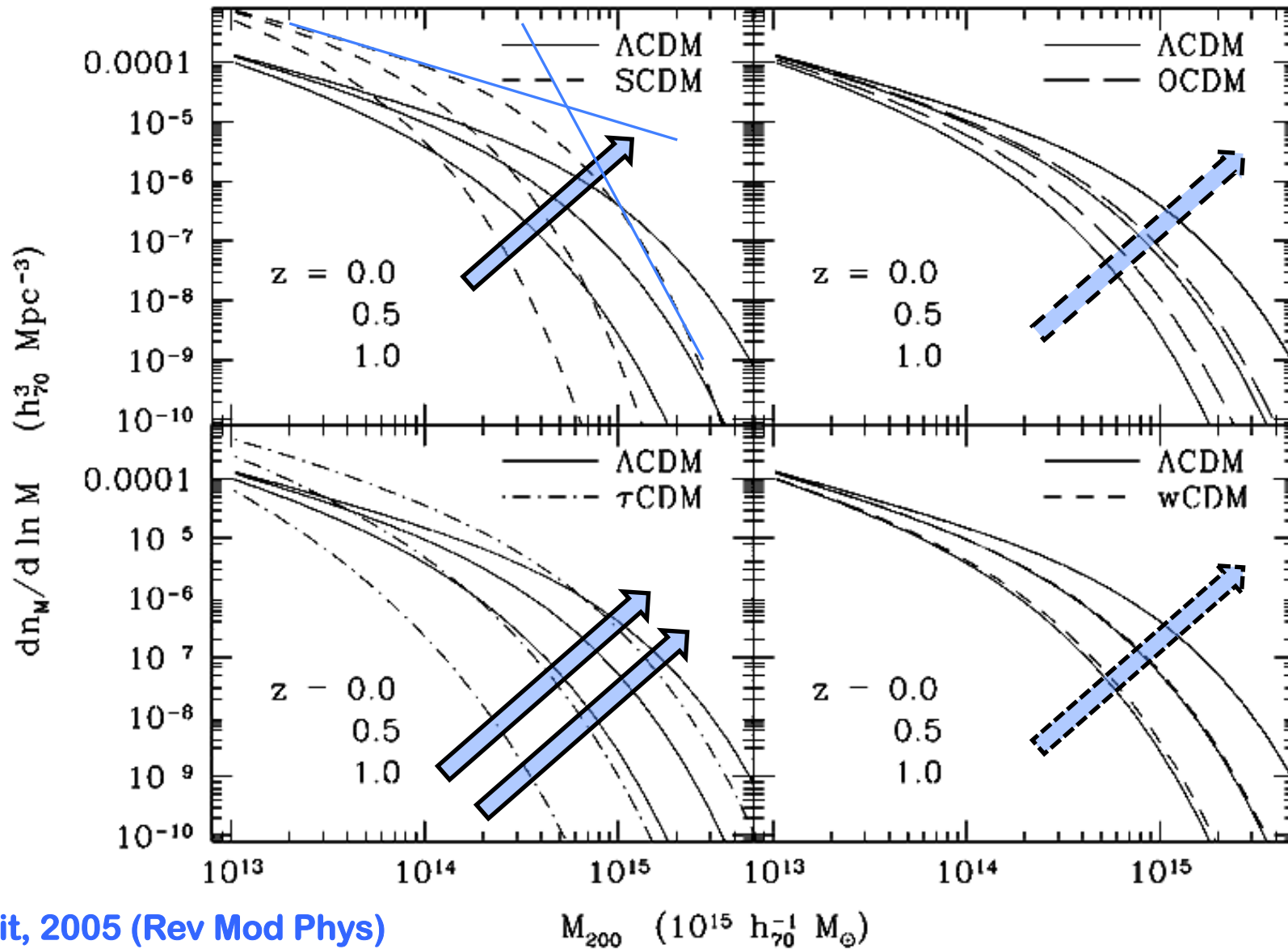
Hierarchical clustering:

Massive structures are built up thru mergers of smaller structures

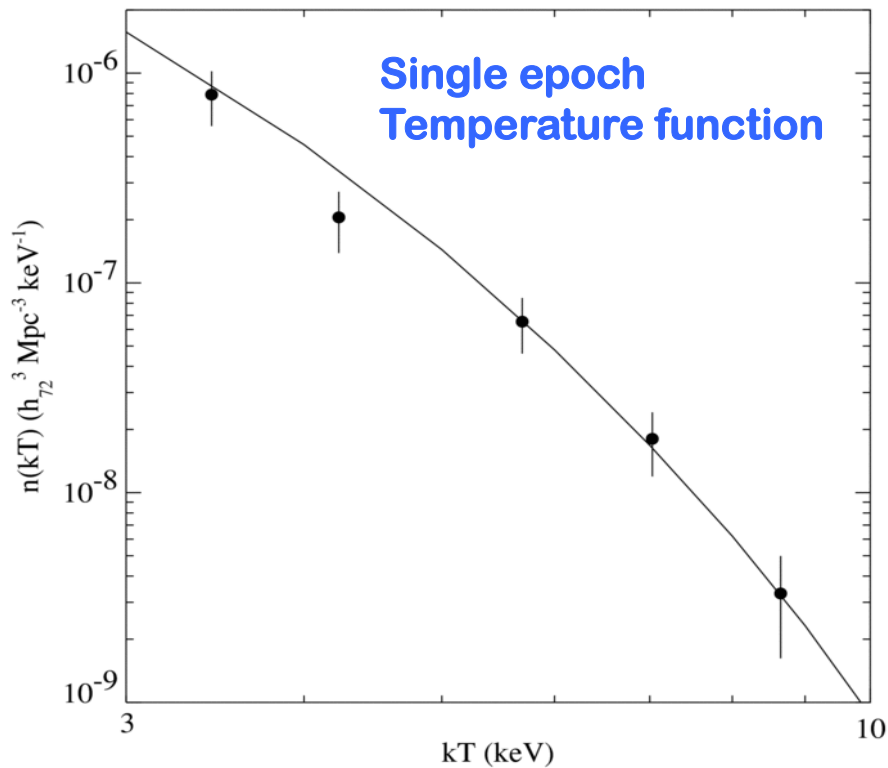
Cluster formation is ongoing.

Rate of assembly depends of cosmology.

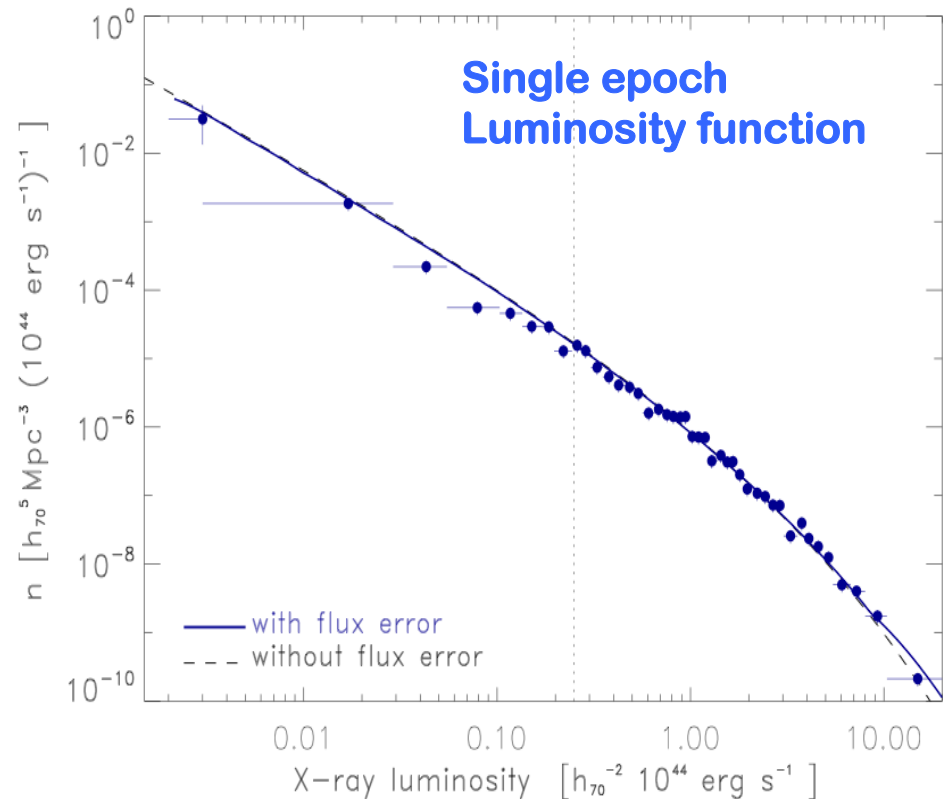
CLUSTER MASS FUNCTION AND ITS GROWTH IS A PROBE OF RECENT COSMOLOGICAL EVOL.



WE CAN MEASURE CLUSTER SIZE, OPTICAL AND X-RAY PROPERTIES



Henry et al. 2009:
HIFLUGCS cluster temperature function



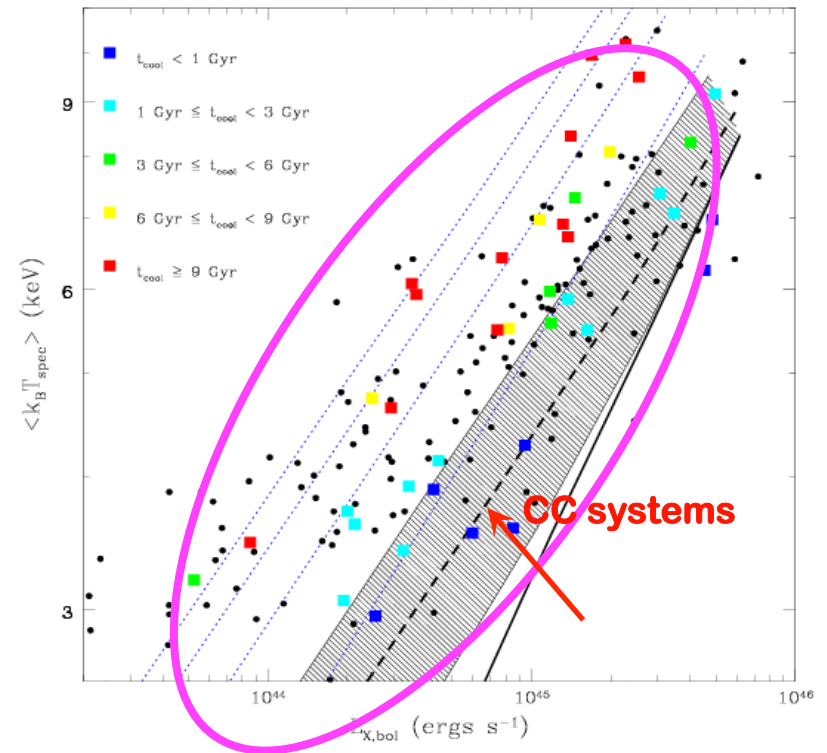
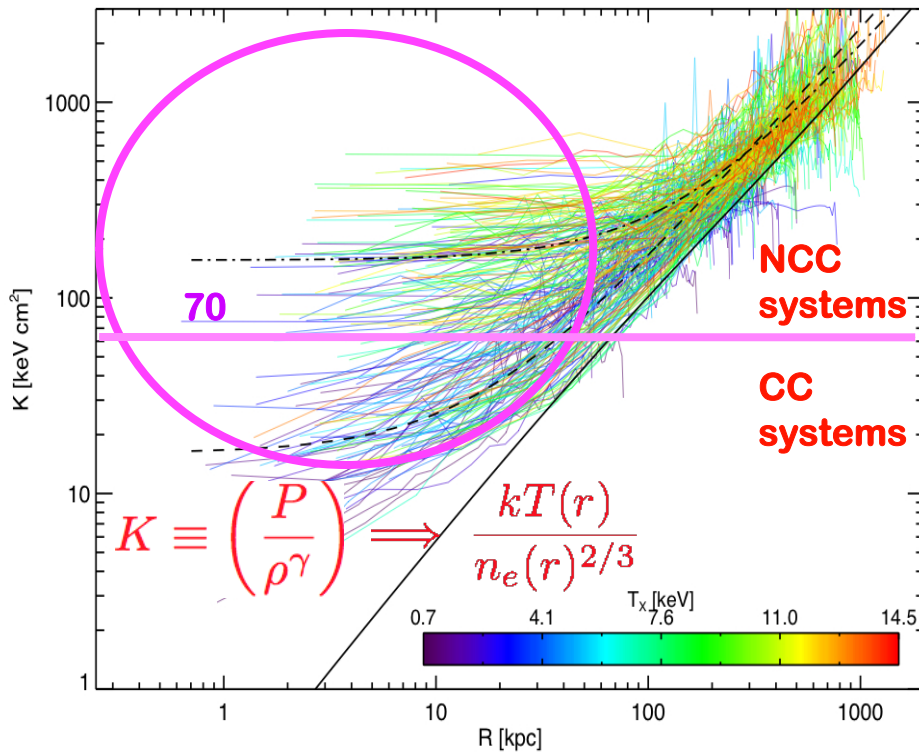
Bohringer et al 2014:
REFLEX II cluster luminosity function

~~NEED TO FIND OBSERVABLE THAT BEST MAPS TO MASS
AND DOES SO PREDICTABLY OVER A RANGE OF REDSHIFTS:~~

MASS-OBSERVABLE PROBLEM

LET US CONSIDER X-RAY LUMINOSITY

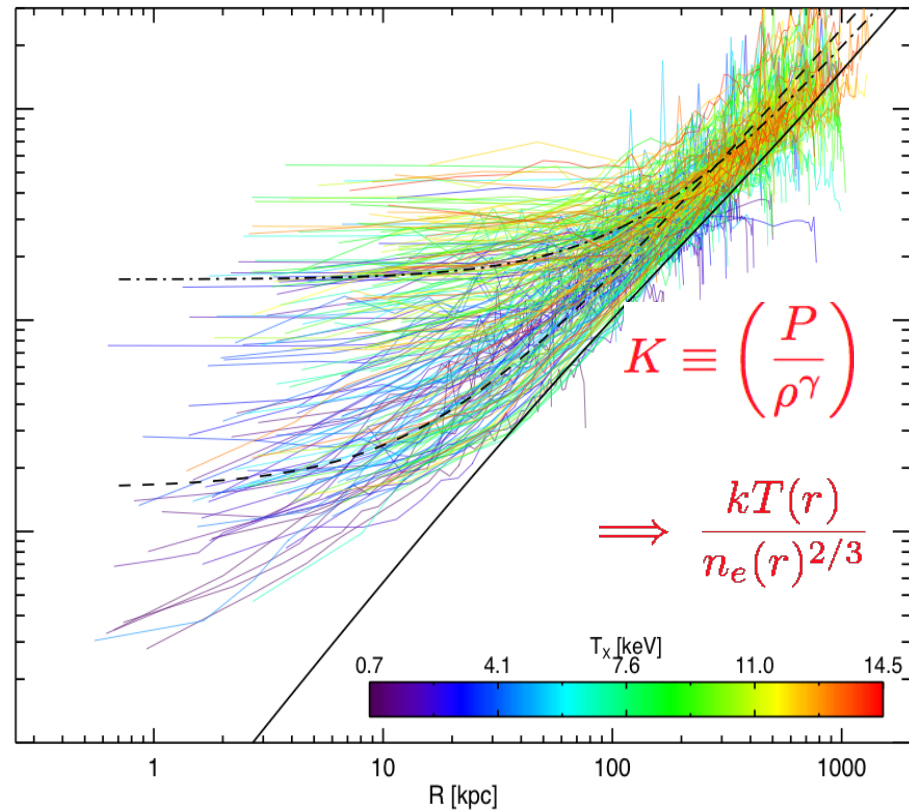
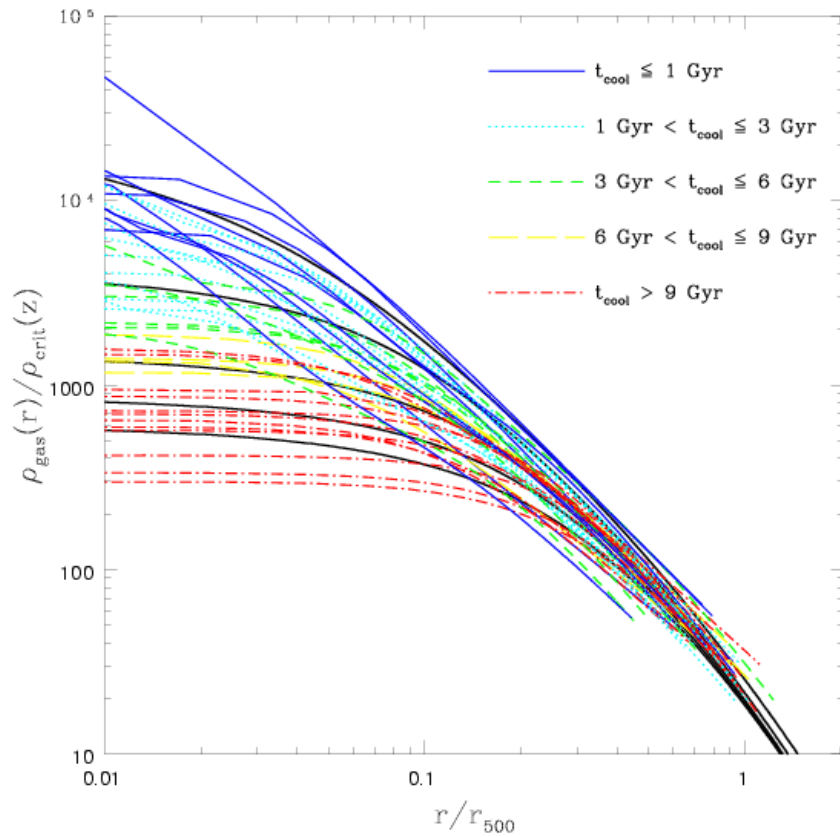
LARGE SCATTER IN L-T PLOT DUE TO LARGE VARIATIONS IN CLUSTER CORE ENTROPY → ASTROPHYSICS.



McCarthy et al 2008
 Cavagnolo et al 2008

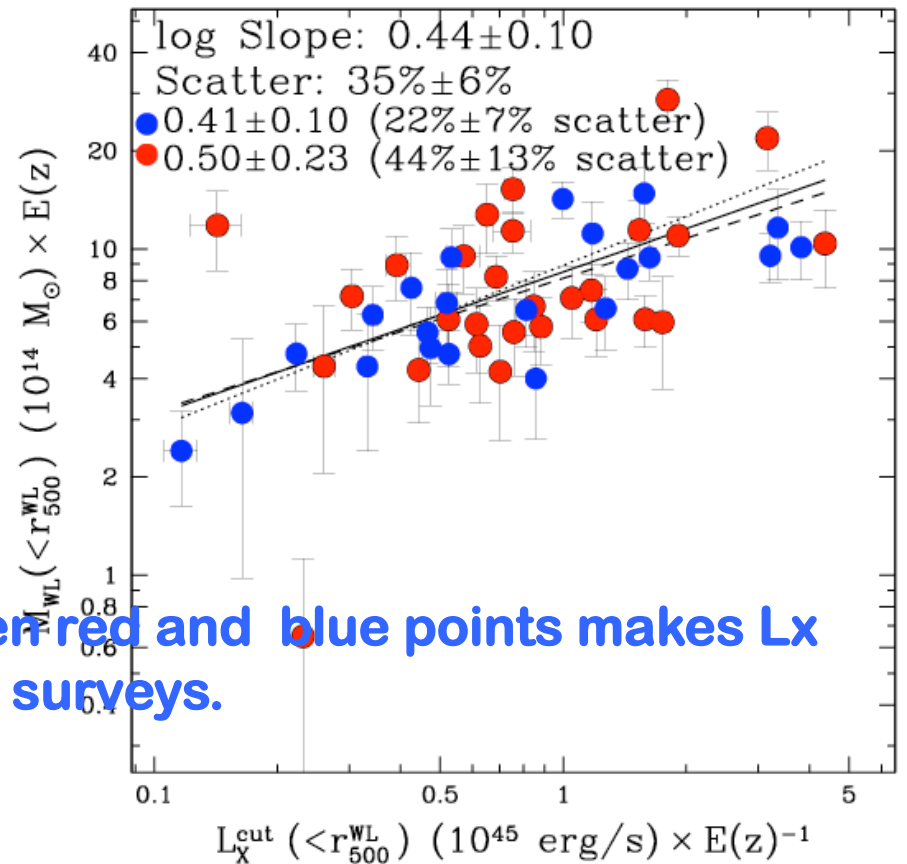
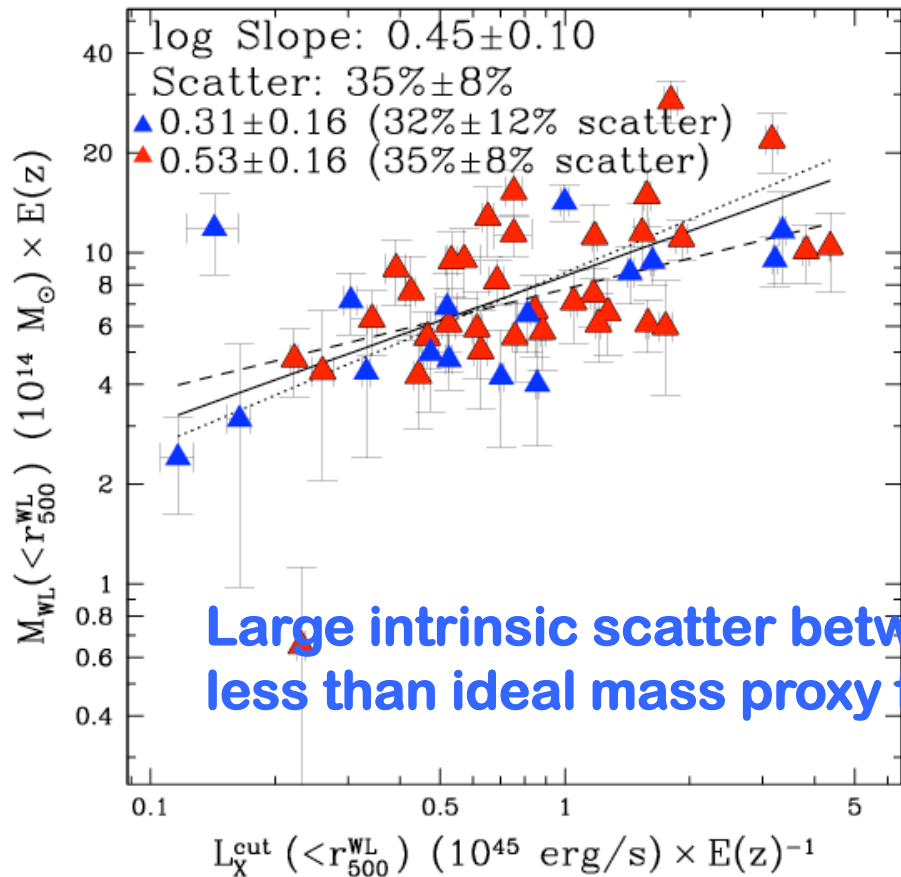
At fixed T , ~ 10 scatter in L_x

CLUSTER ENTROPY – DENSITY CORRELATION

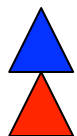


Cavagnolo et al 2008

CCCP Mass-Observable Luminosity Relationship



Large intrinsic scatter between red and blue points makes L_{X} less than ideal mass proxy for surveys.



$K(20 \text{ kpc}) < 70 \text{ keV cm}^2$



$K(20 \text{ kpc}) > 70 \text{ keV cm}^2$



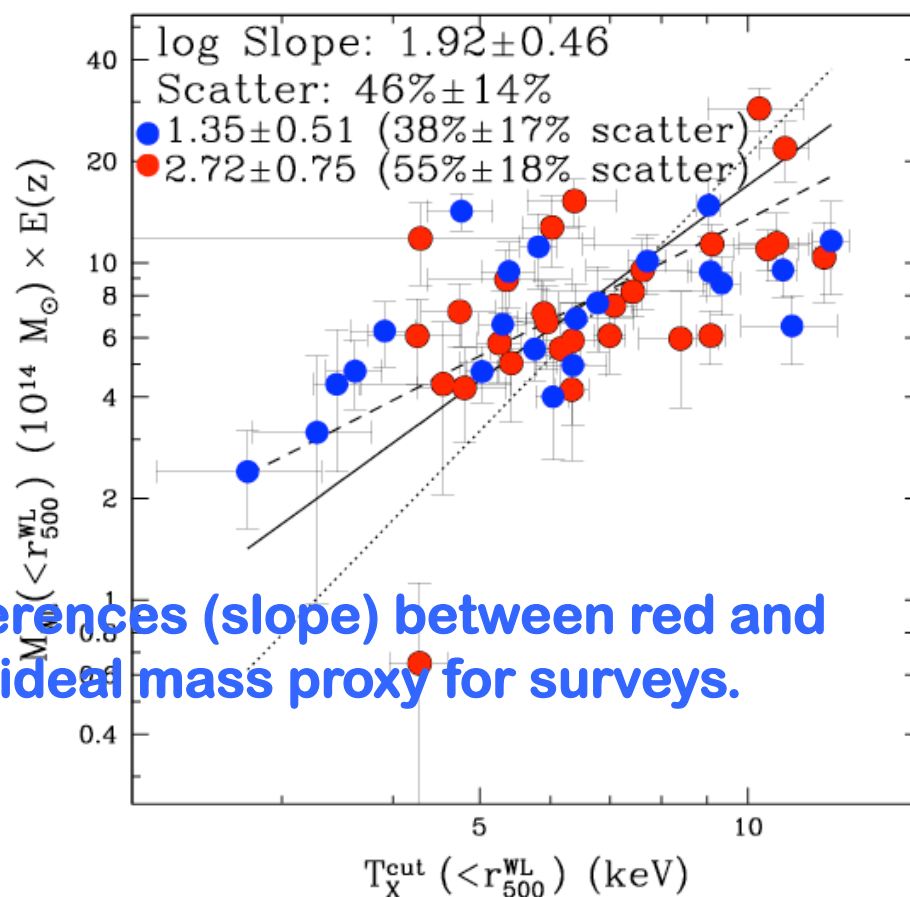
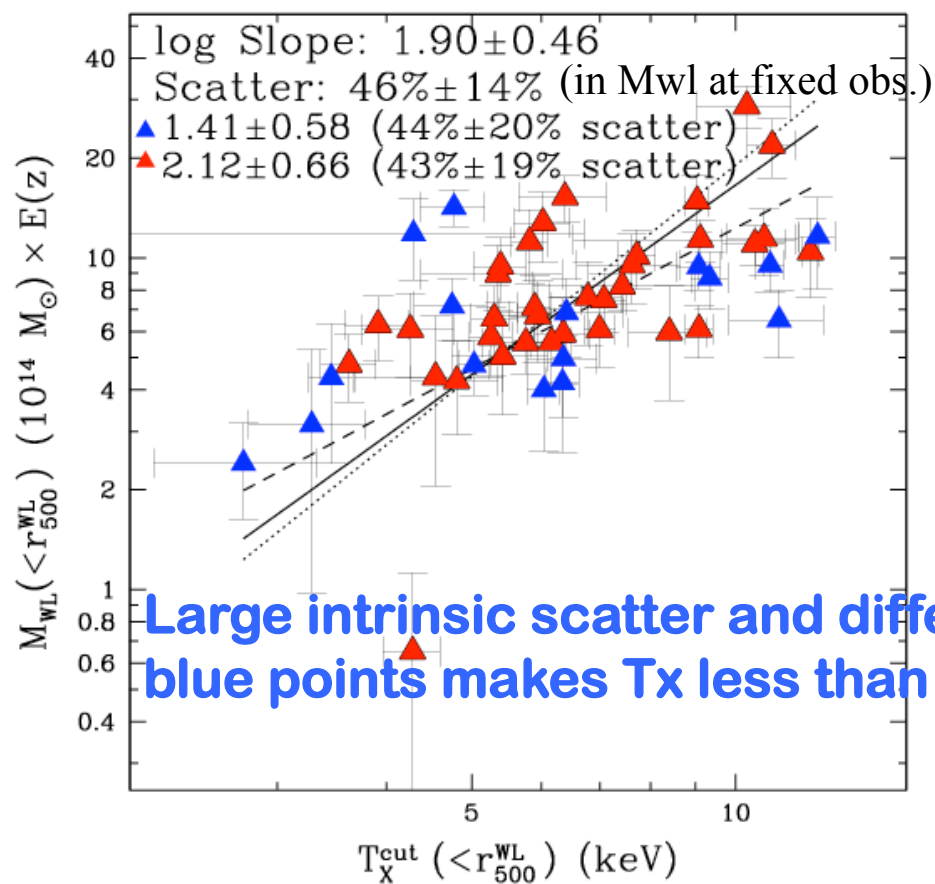
$D_{\text{BCG}} < 0.01 \text{ Mpc}$



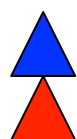
$D_{\text{BCG}} > 0.01 \text{ Mpc}$

Mahdavi et al. 2013

CCCP Mass-Temperature Relationship



Large intrinsic scatter and differences (slope) between red and blue points makes T_x less than ideal mass proxy for surveys.



$K(20 \text{ kpc}) < 70 \text{ keV cm}^2$



$K(20 \text{ kpc}) > 70 \text{ keV cm}^2$



$D_{\text{BCG}} < 0.01 \text{ Mpc}$

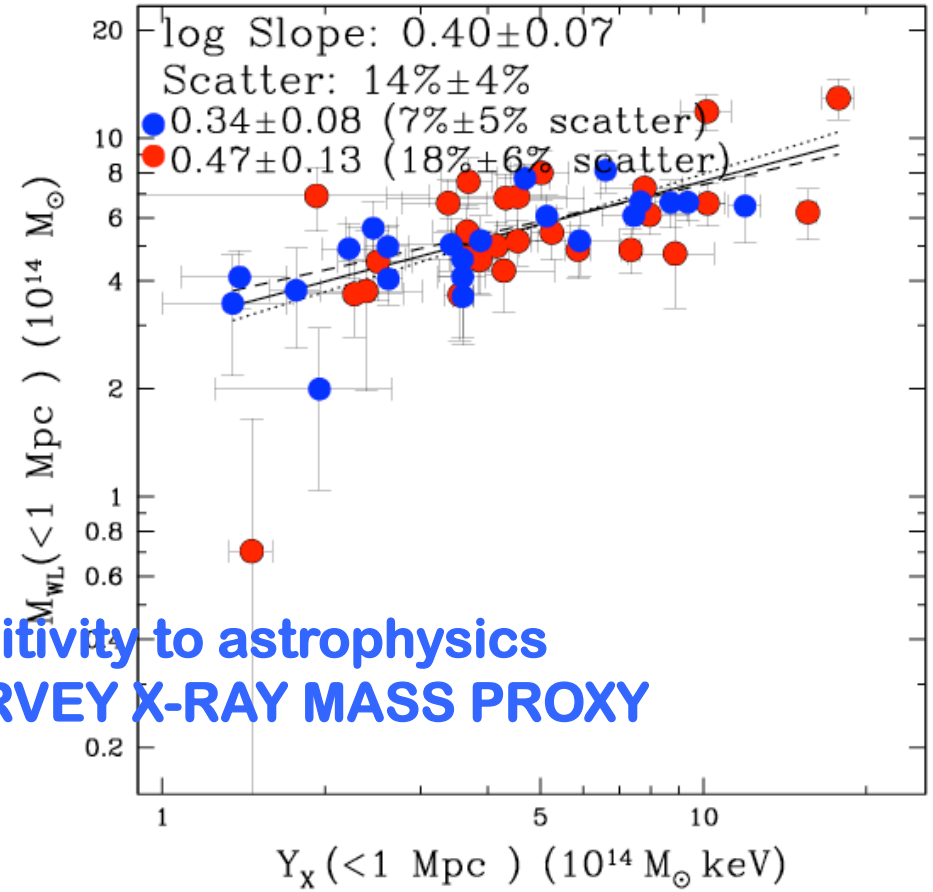
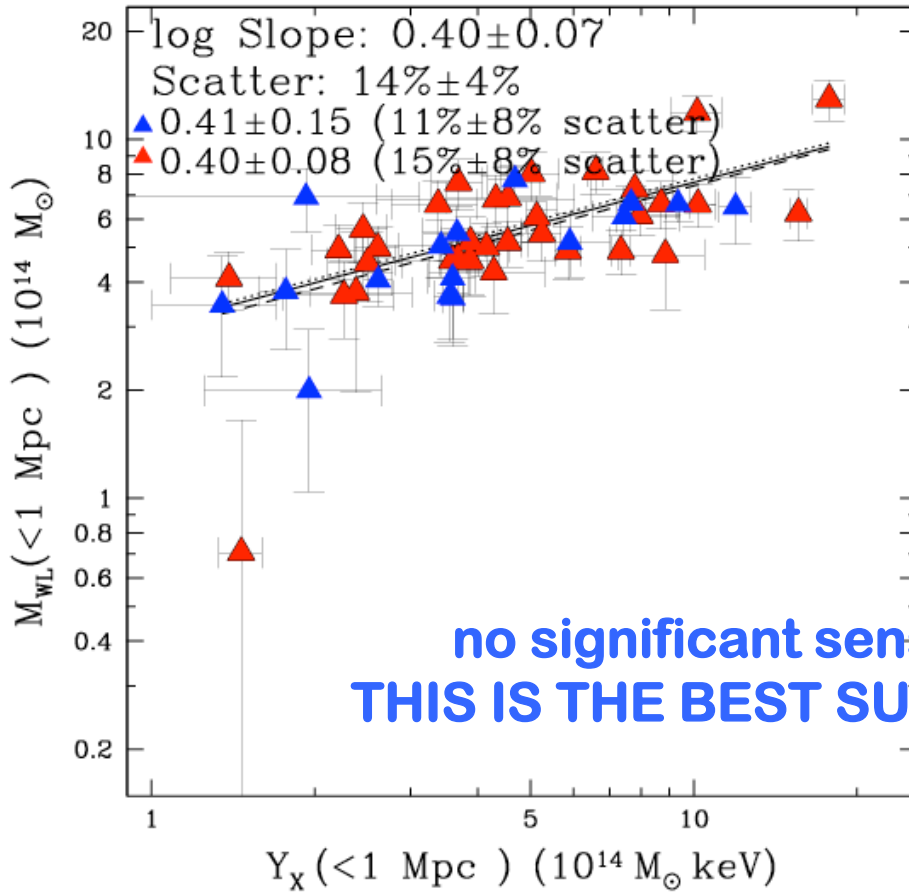


$D_{\text{BCG}} > 0.01 \text{ Mpc}$

Mahdavi et al. 2013

CCCP Mass-Yx Relationship

$$Y_x = M_{\text{gas}} * T$$



no significant sensitivity to astrophysics
THIS IS THE BEST SURVEY X-RAY MASS PROXY

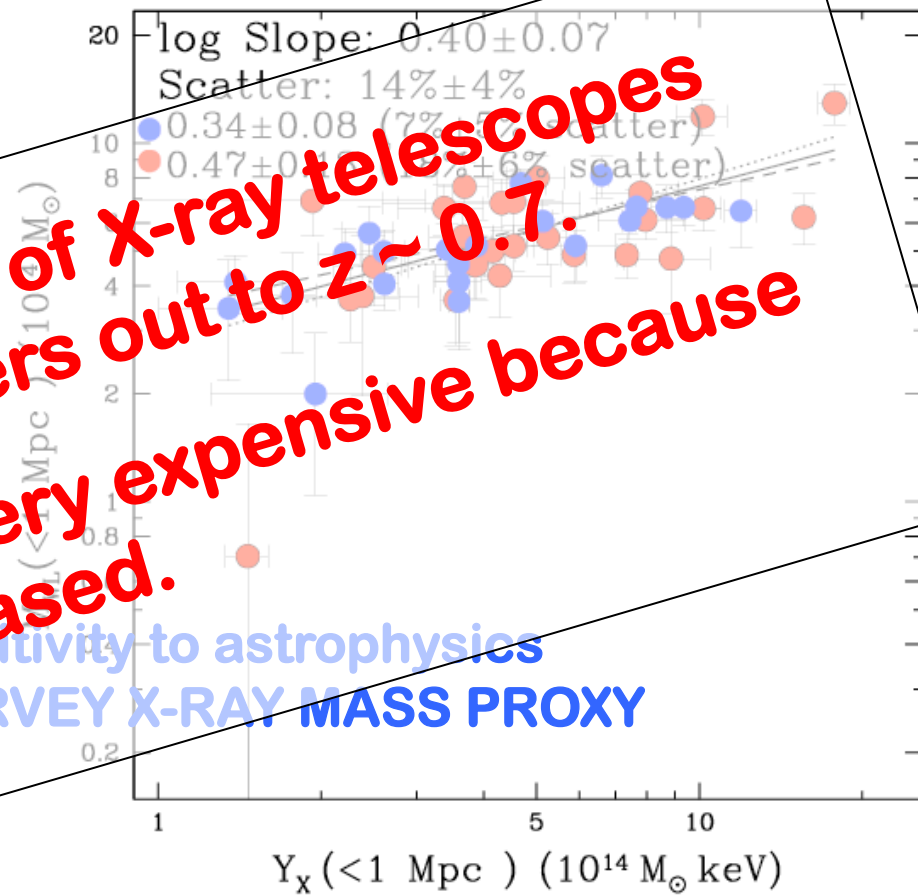
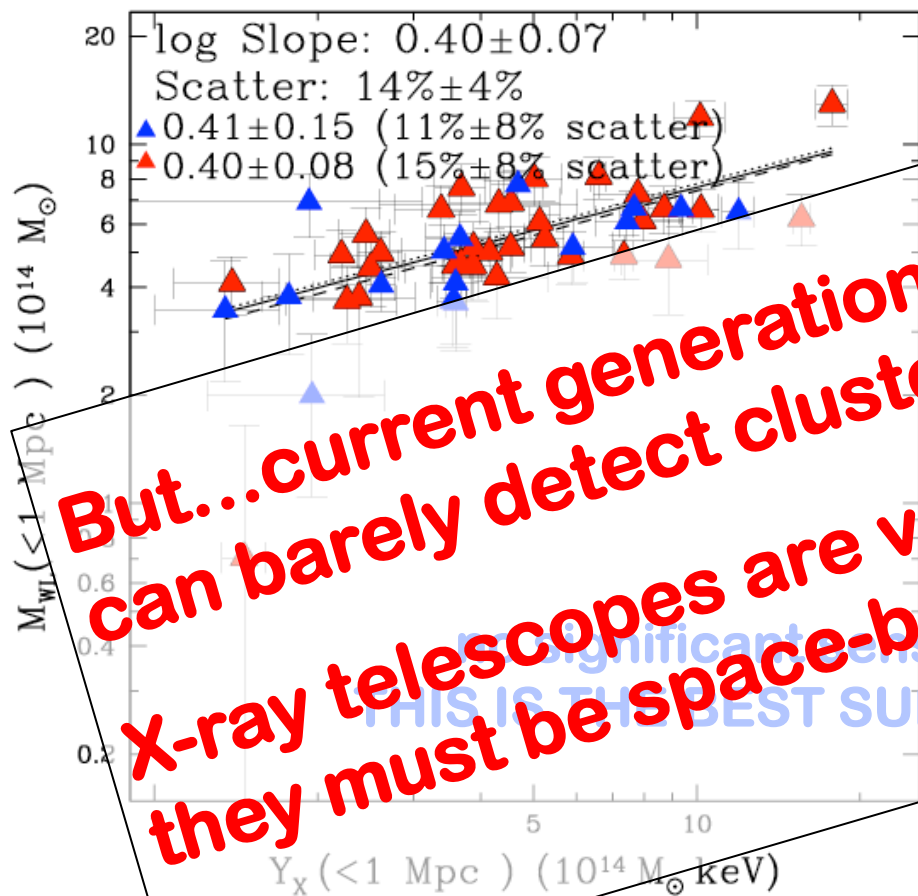
\blacktriangle $K(20 \text{ kpc}) < 70 \text{ keV cm}^2$
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Mahdavi et al. 2013

CCCP Mass-Yx Relationship

$$Y_x = M_{\text{gas}} * T$$



But...current generation of X-ray telescopes can barely detect clusters out to $z \sim 0.7$. X-ray telescopes are very expensive because they must be space-based.

Significant sensitivity to astrophysics
 THIS IS THE BEST SURVEY X-RAY MASS PROXY

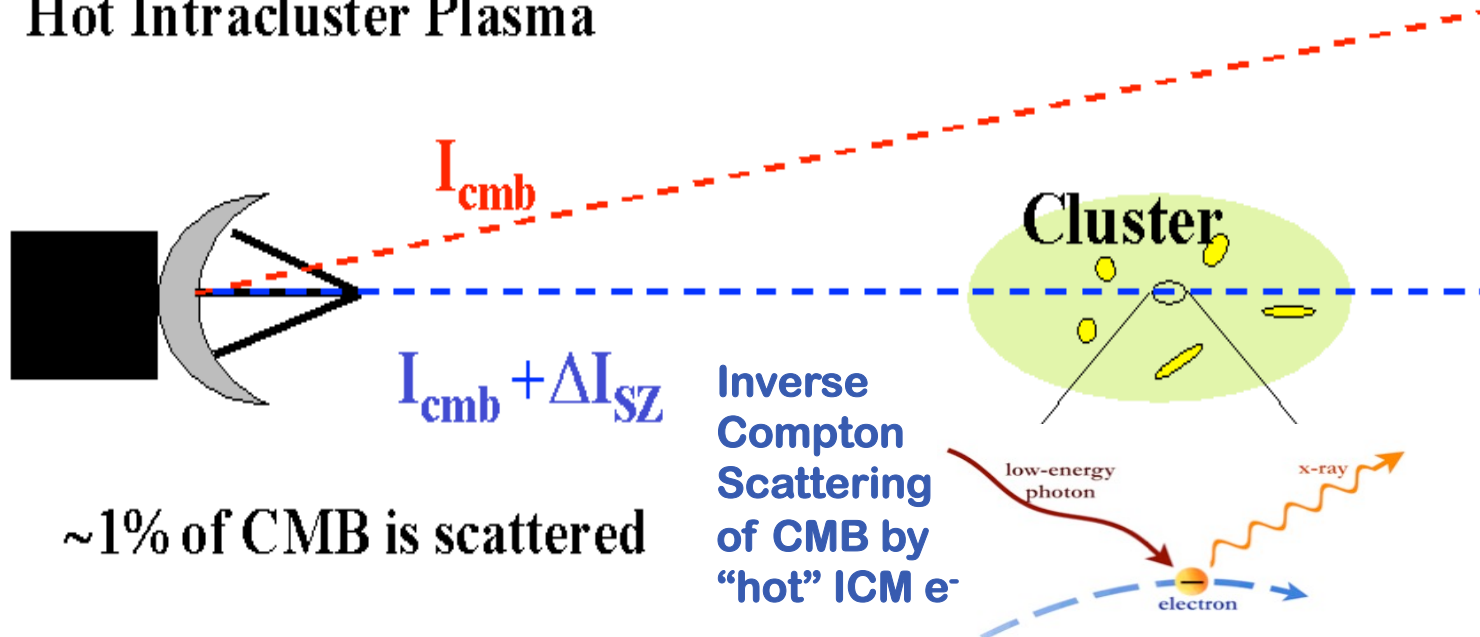
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- \bullet $D_{\text{BCG}} > 0.01 \text{ Mpc}$

Mahdavi et al. 2013

CURRENT MICROWAVE EXPERIMENTS THAT STUDY THE CMB CAN ALSO DETECT CLUSTERS VIA SZ EFFECT

Inverse scattering of CMB Photons by Hot Intracluster Plasma



Two Components of the Electron Velocities

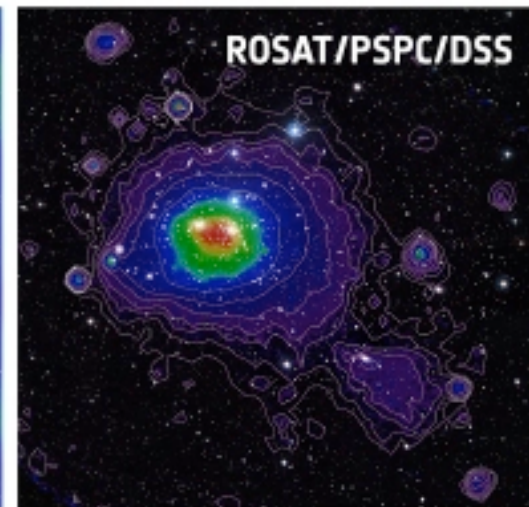
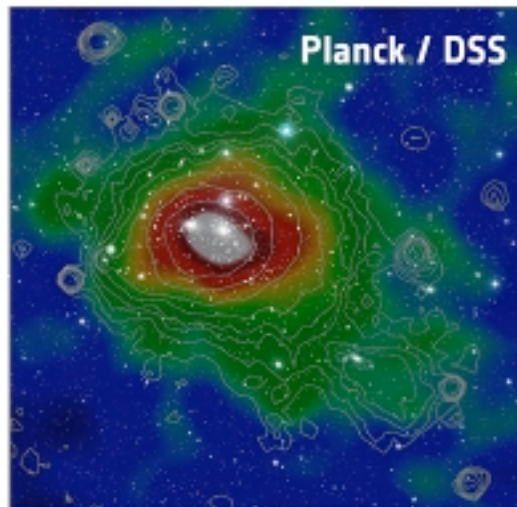
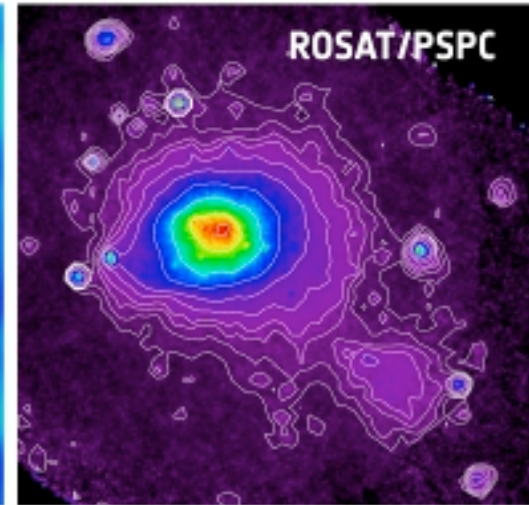
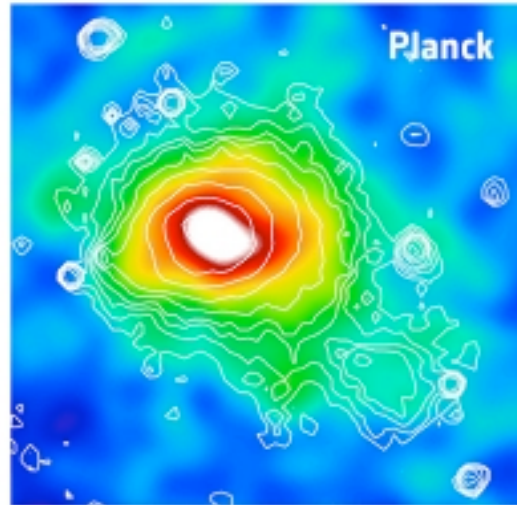
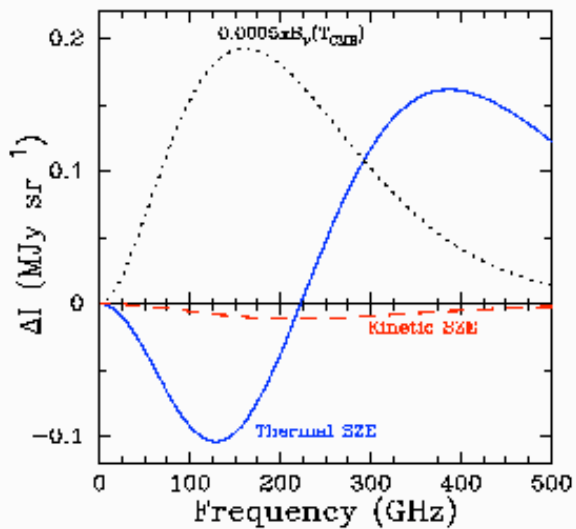
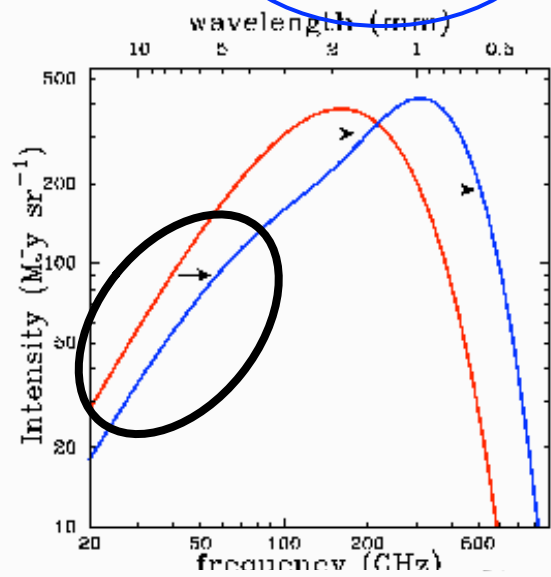
- Thermal ($T_e \sim 100,000,000$ K)
- Bulk Motion (Doppler Shift)

Produce Two Components of the SZ effect

$z \sim 1100$ $t = 300,000$ years

DETECTING CLUSTERS VIA SZ EFFECT

$$\frac{\Delta T}{T_{\text{CMB}}} = g(x) \int dl n_e(l) \frac{k_B T_e(l)}{m_e c^2} \sigma_T = y \quad (\text{compton } y \text{ parameter})$$

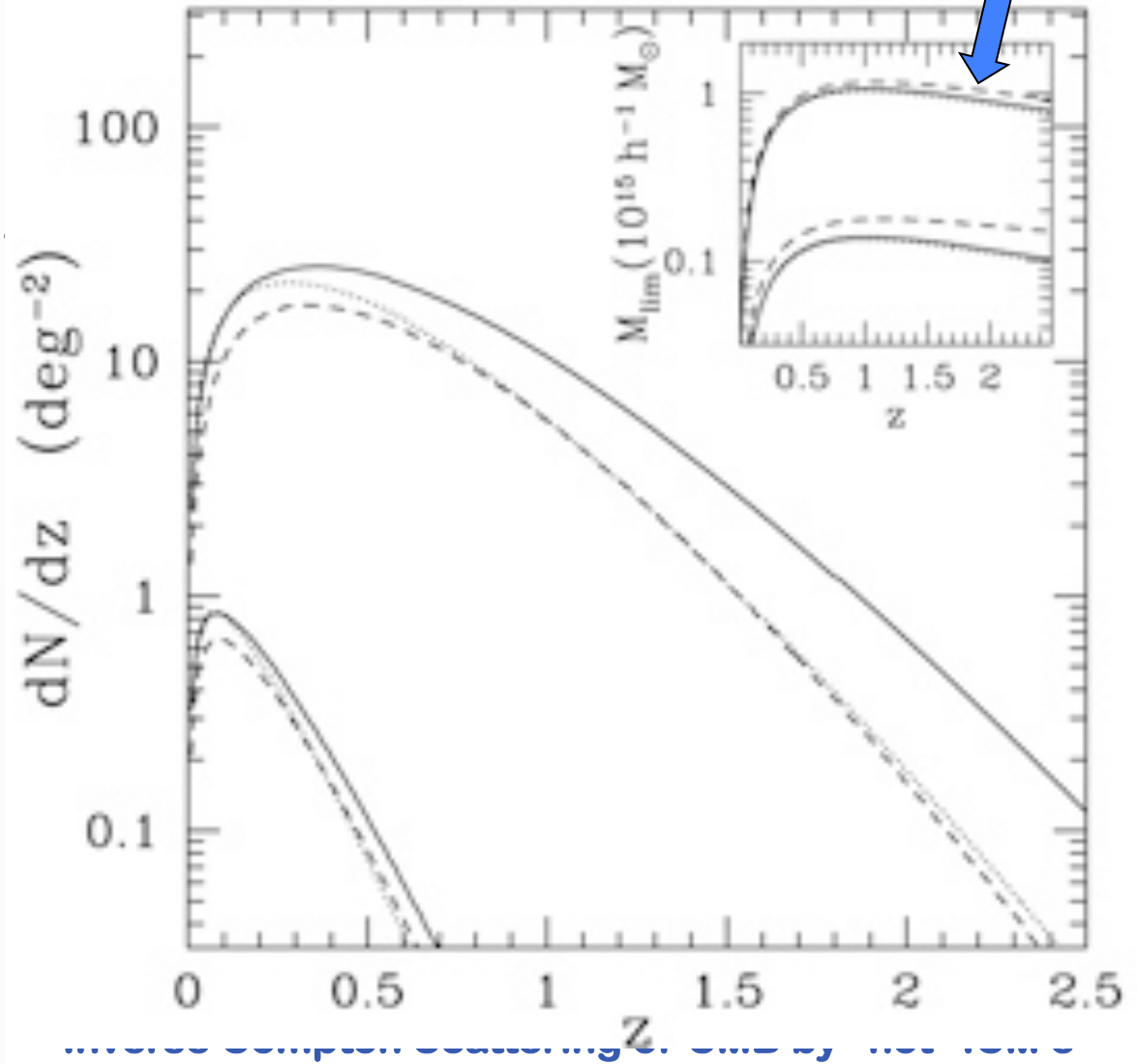
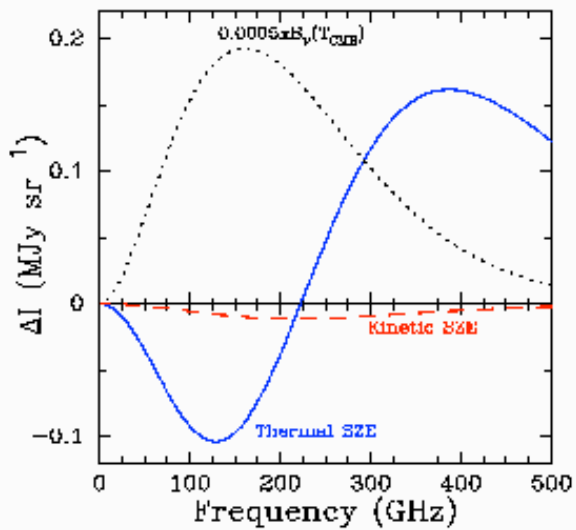
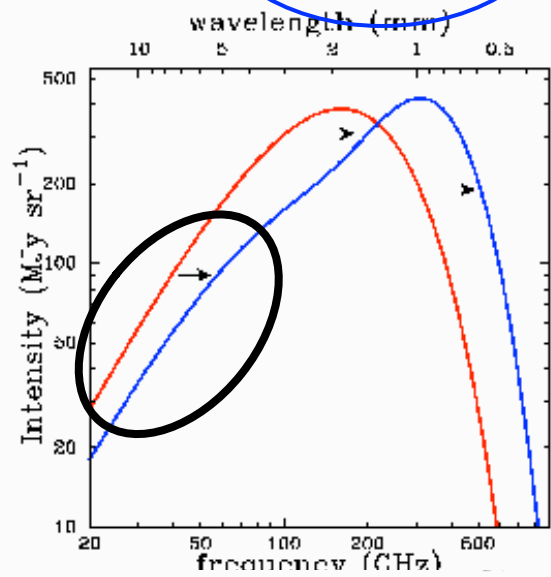


Inverse Compton Scattering of CMB by "hot" ICM e⁻

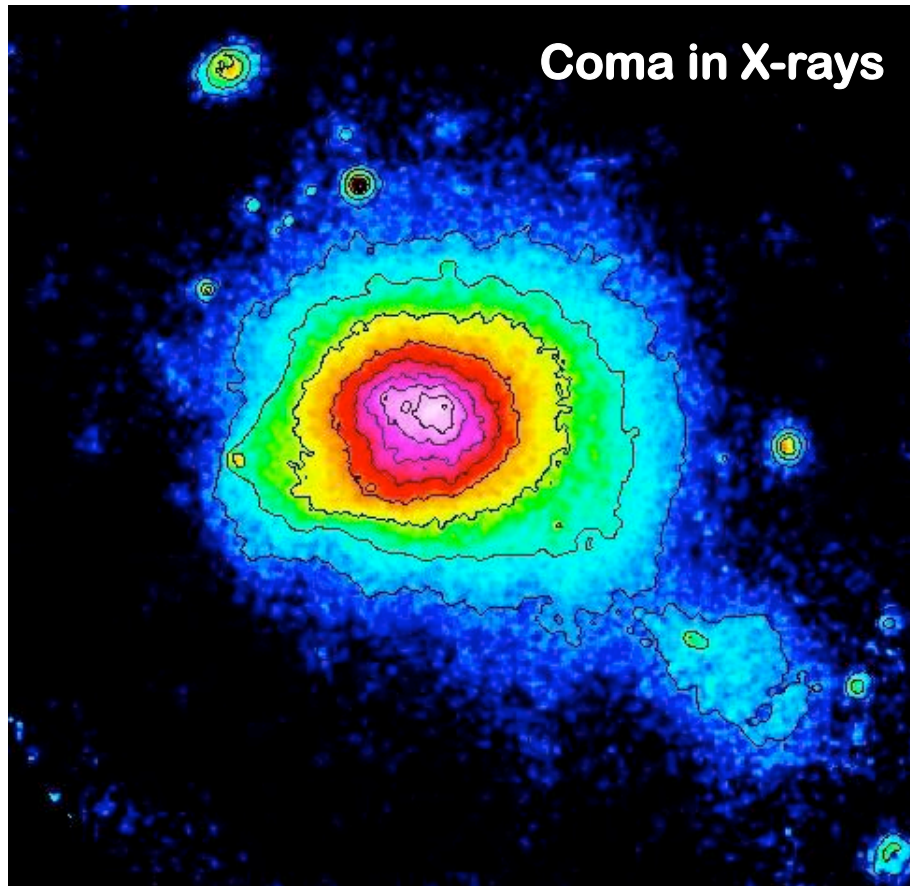
DETECTING CLUSTERS VIA SZ EFFECT

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Planck like



PLANCK SZ CLUSTER ANALYSIS: PREMISED ON MEASURING CLUSTER MASS FUNCTION



CLUSTERS ARE LARGELY DARK
mass cannot be easily measured

PLANCK MEASURE Y_{sz}

FOR SUBSET OF CLUSTERS
WITH X-RAY DATA, USE X-RAY
DATA TO ESTIMATE MASS: M_x

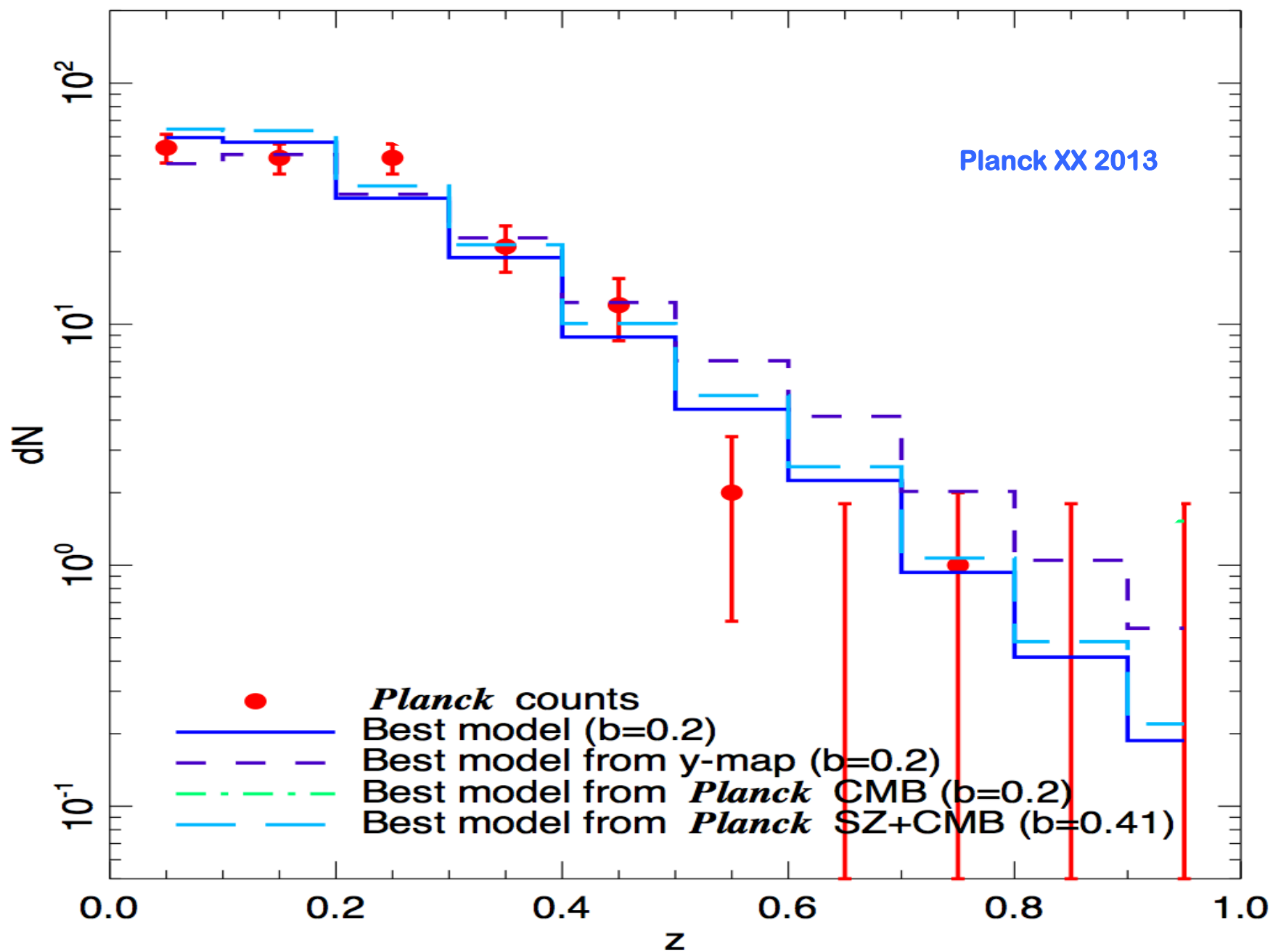
M_x IS A BIASED ESTIMATOR OF
TRUE MASS M : $M_x = \xi M$

PLANCK: $\xi = [0.7, 1.0]$
 $\langle \xi \rangle = 0.8$

USE RESULTING $Y_{sz} - M$ TO
DERIVE MASSES OF ALL OTHER
CLUSTERS (MASS-OBSERVABLE)

HSE:
$$\frac{dP}{dr} = -\frac{GM(r)\rho(r)}{r^2}$$

IF USE $\langle \xi \rangle = 0.6$ INSTEAD OF 0.8, THE TENSION IS RESOLVED



FOCUS ON THE $\Omega_m - \sigma_8$ PLANE

Ade et al. 2013: Planck Collaboration XX/XXI

PRIMARY CMB RESULTS

$$\Omega_m = 0.315 \pm 0.017$$

$$H_0 = 67.3 \pm 1.2$$

$$\sigma_8 = 0.829 \pm 0.012$$

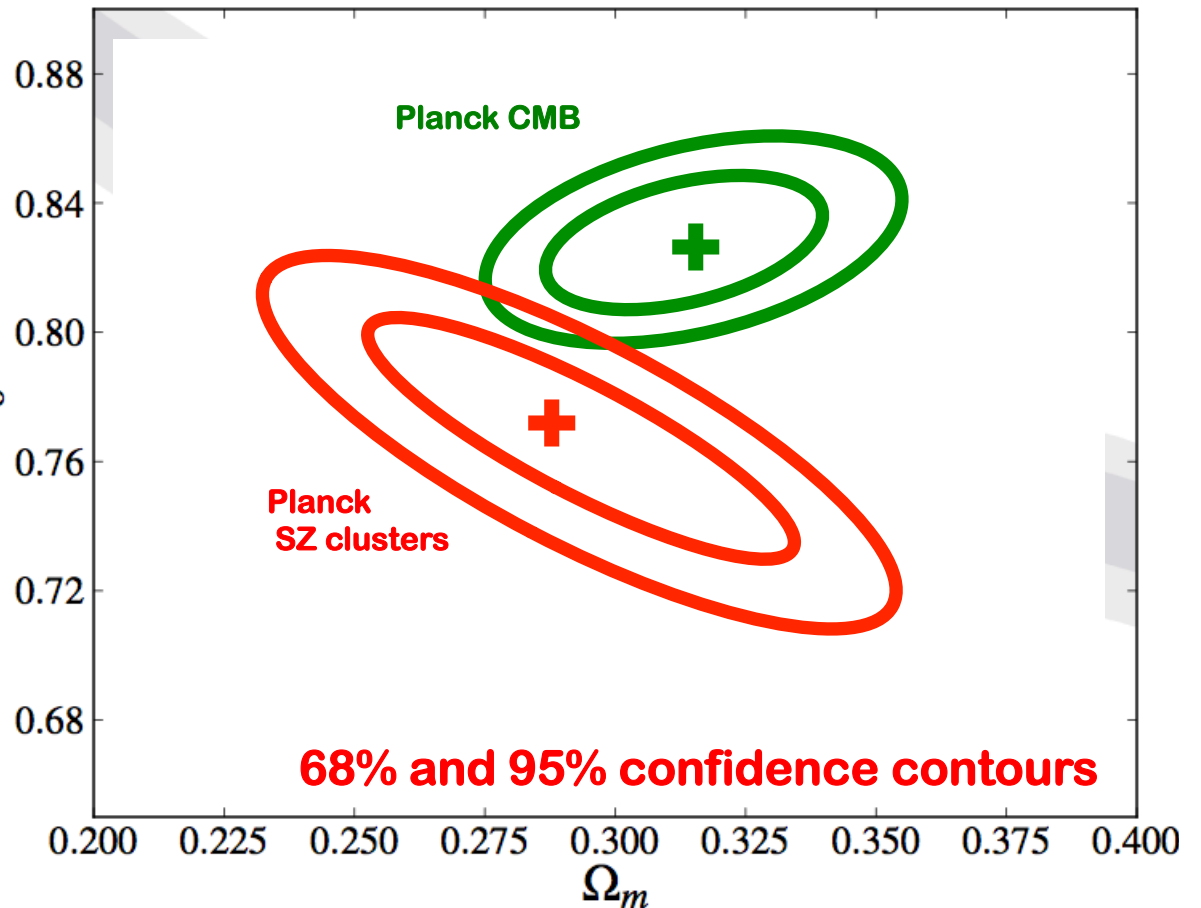
LOCAL ESTIMATE OF H_0

$$H_0 = 73.8 \pm 2.4$$

From clusters:

$$\Omega_m = 0.29 \pm 0.02$$

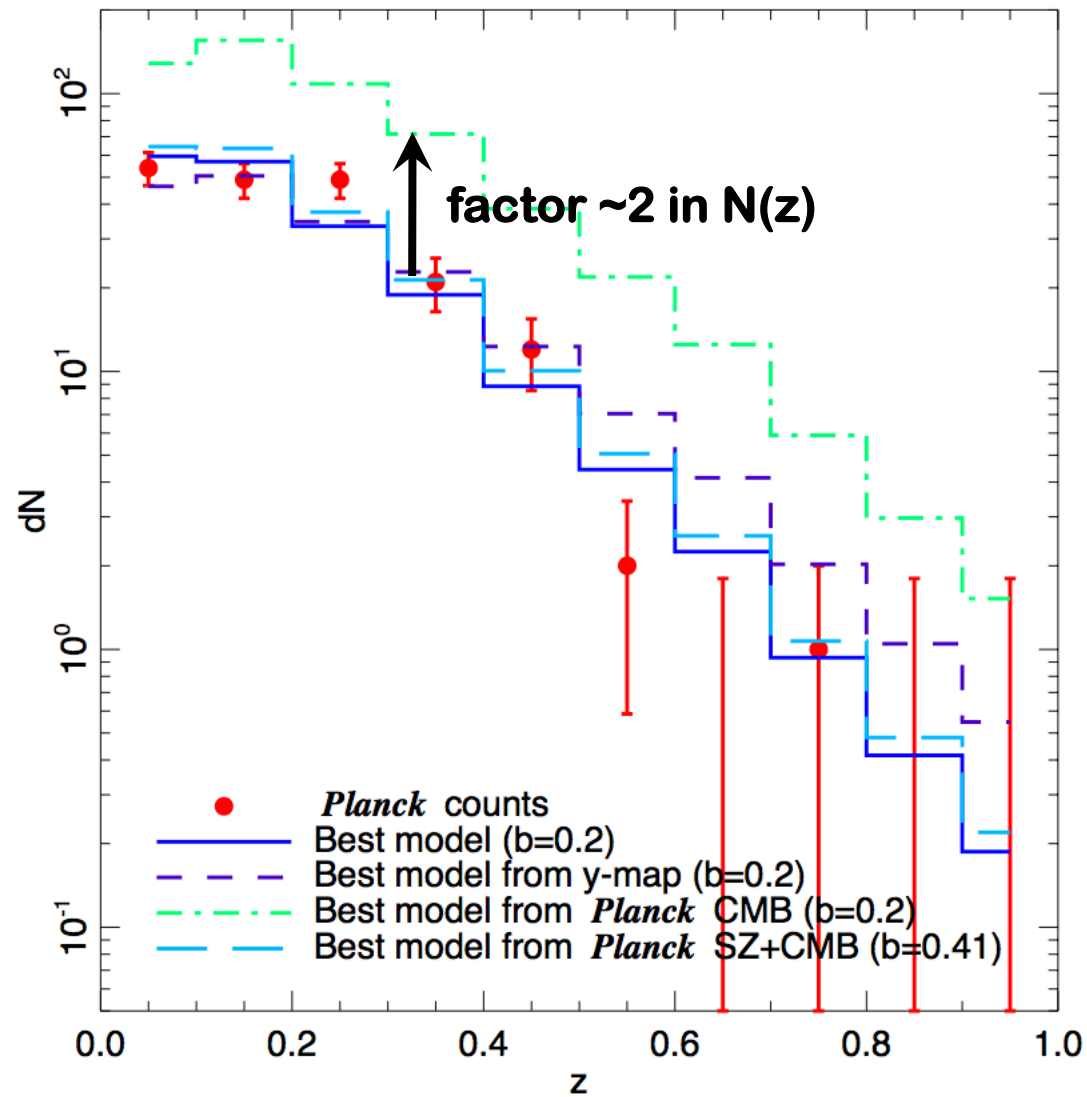
$$\sigma_8 = 0.77 \pm 0.012$$



Planck CMB is measuring cosmology at $t \sim 370,000$ yrs.

Planck Clusters gives cosmology at more recent epoch.

FYI: THE DIFFERENCE MAY NOT SEEM LIKE MUCH, BUT...



SO WHAT'S GOING ON?

◆ Systematics in the Planck CMB data

Spergel et al. (2014) and others have looked at this.
Moves CMB results towards Clusters but not enough.

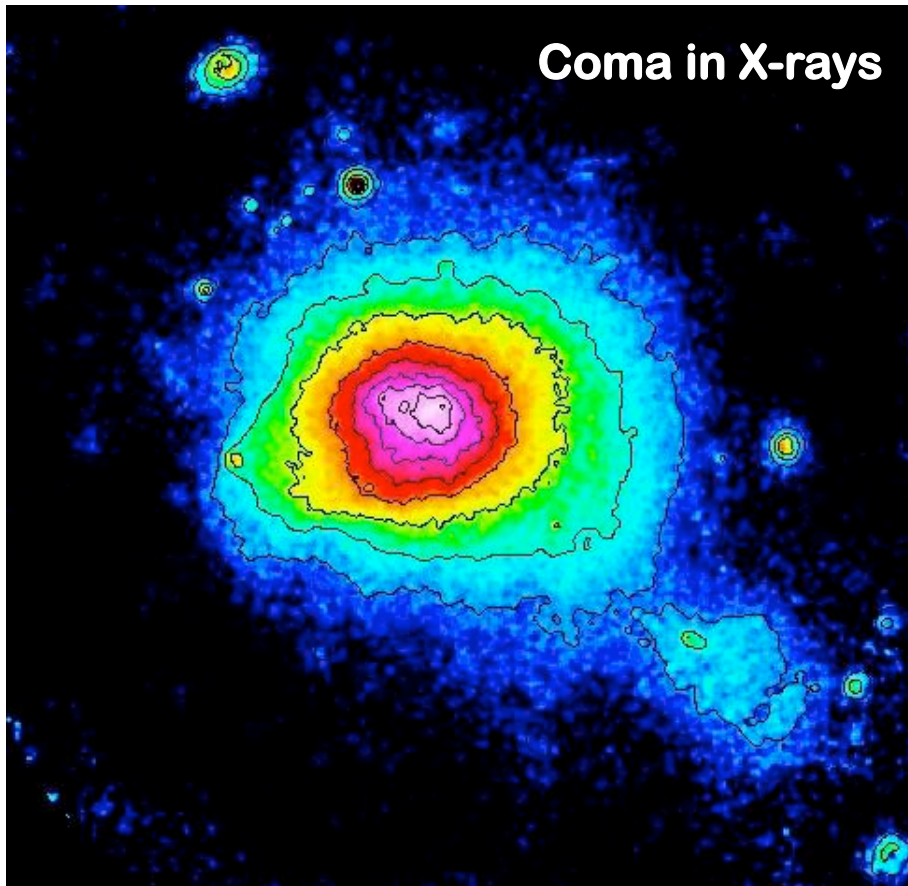
◆ Systematics in the Planck SZ Cluster analysis

Focus of CCCP analysis.

◆ Failure of the vanilla (six-parameter) model → new physics

Exploits the fact that CMB and Cluster measurements are at different epoch. (Premature in light of above but interesting proposals are circulating.)

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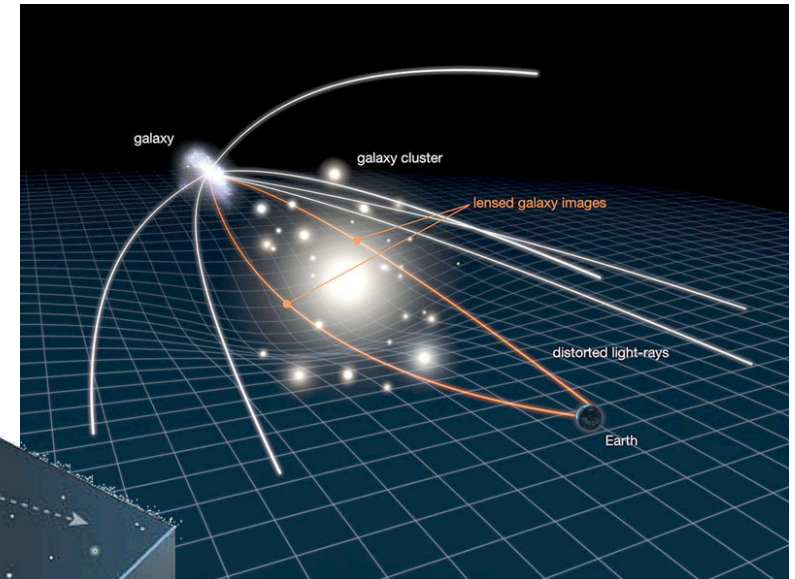
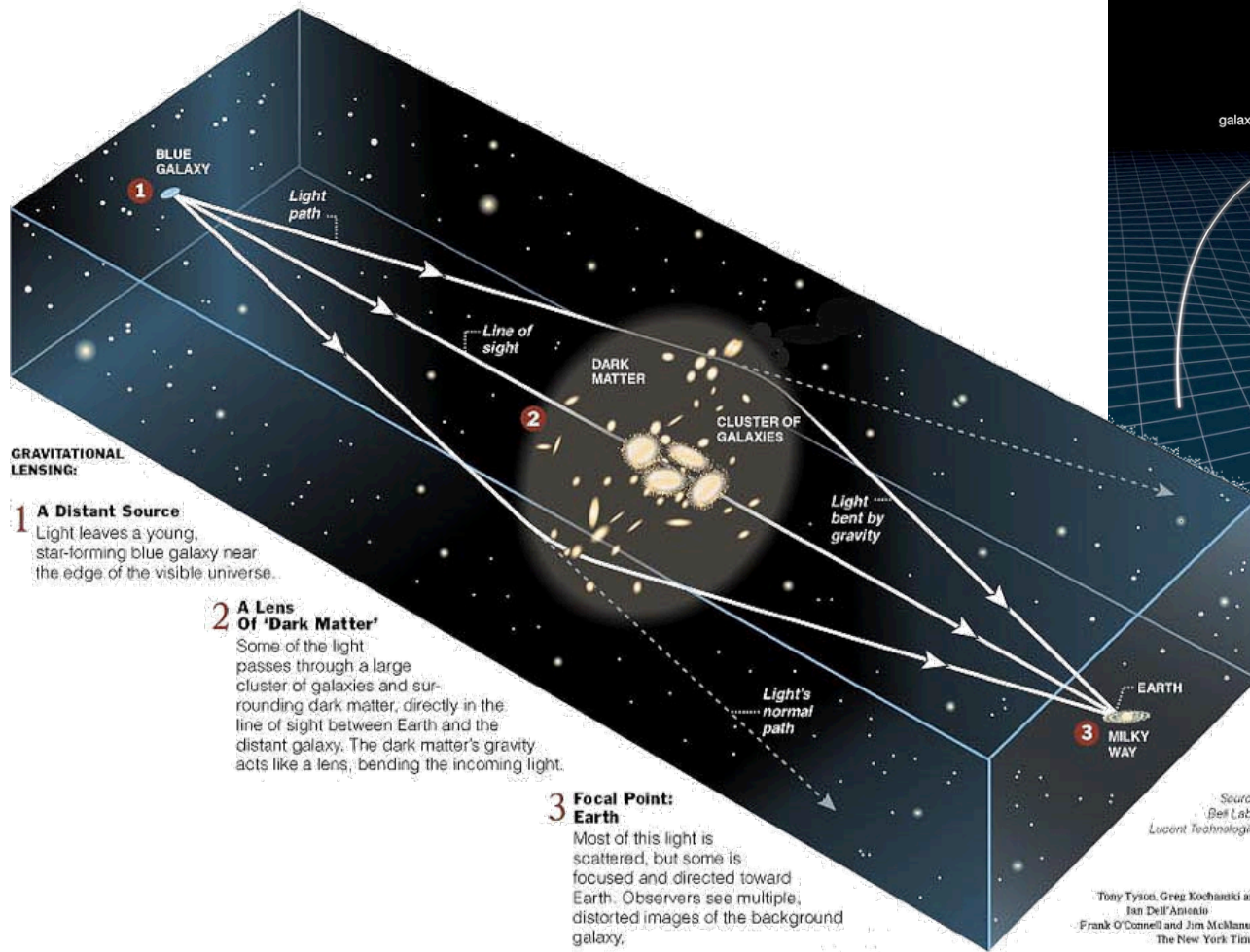
PLANCK: $\xi = [0.7, 1.0]$
 $\langle \xi \rangle = 0.8$

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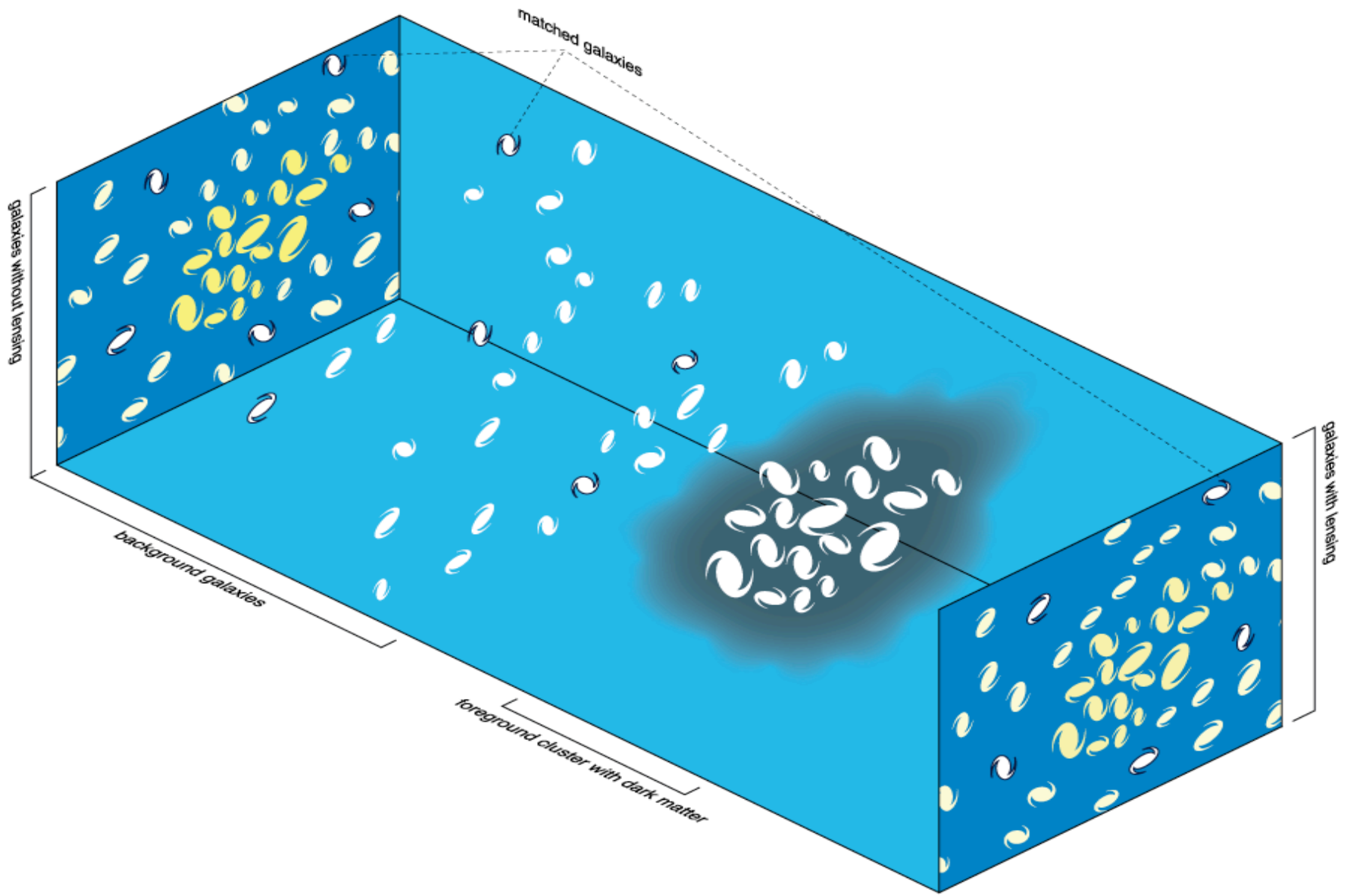
WE CAN EMPIRICALLY ESTABLISH $Y_{sz} - M$ FOR CLUSTERS IN THE NEARBY UNIVERSE – USING WEAK GRAV LENSING!

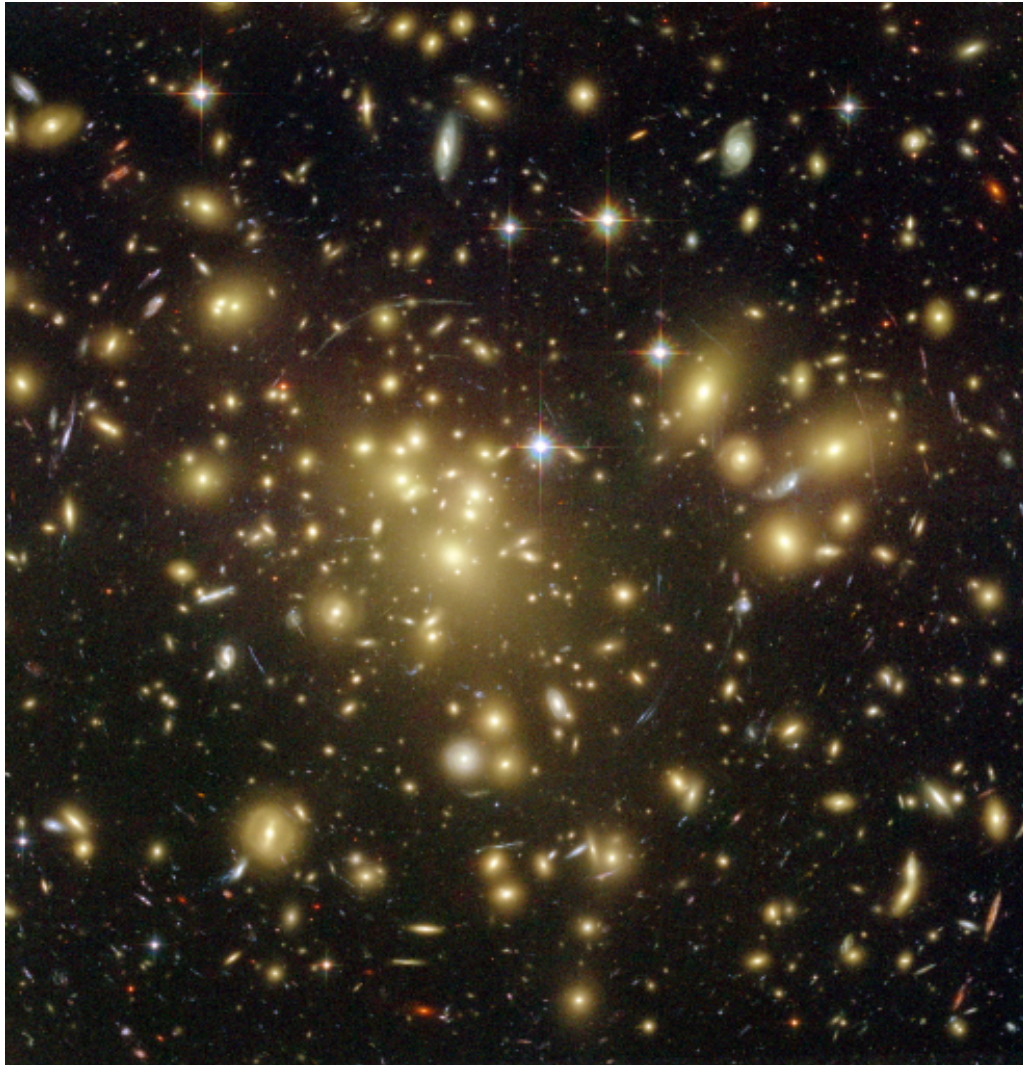


Canadian Cluster Comparison Project
it's good for the masses!

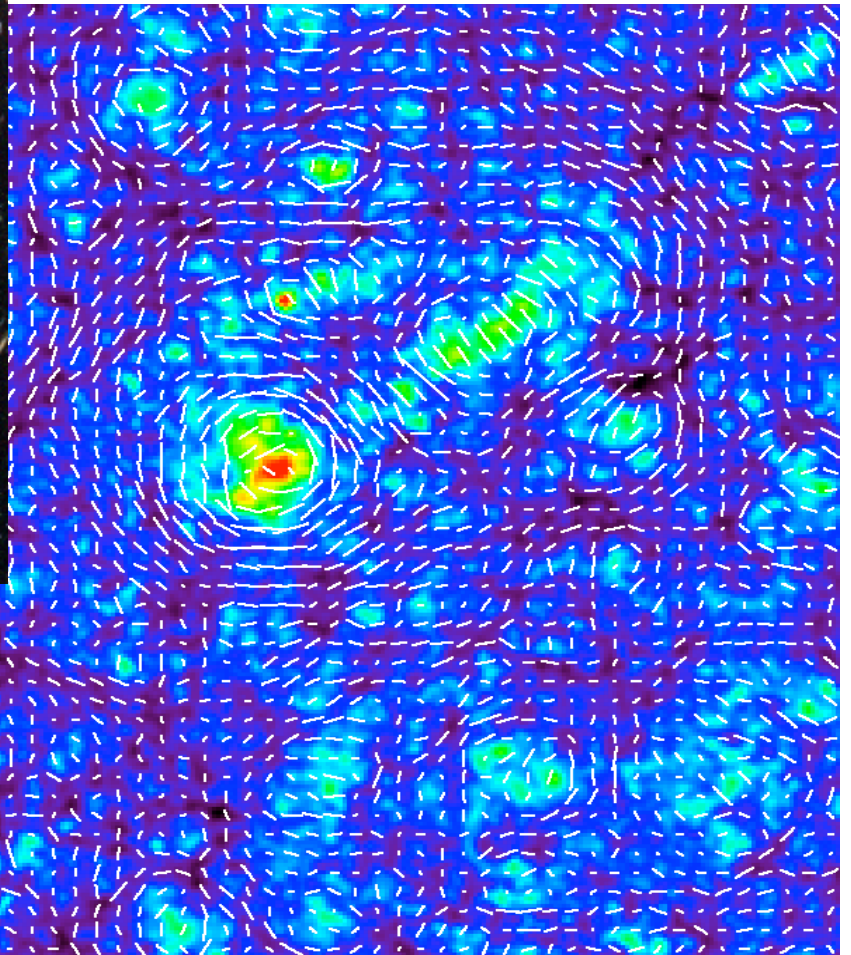
Source:
Bell Labs,
Lucent Technologies

Tony Tyson, Greg Kochanski and
Ian Dell'Antonio
Frank O'Connell and Jim McKeanes/
The New York Times

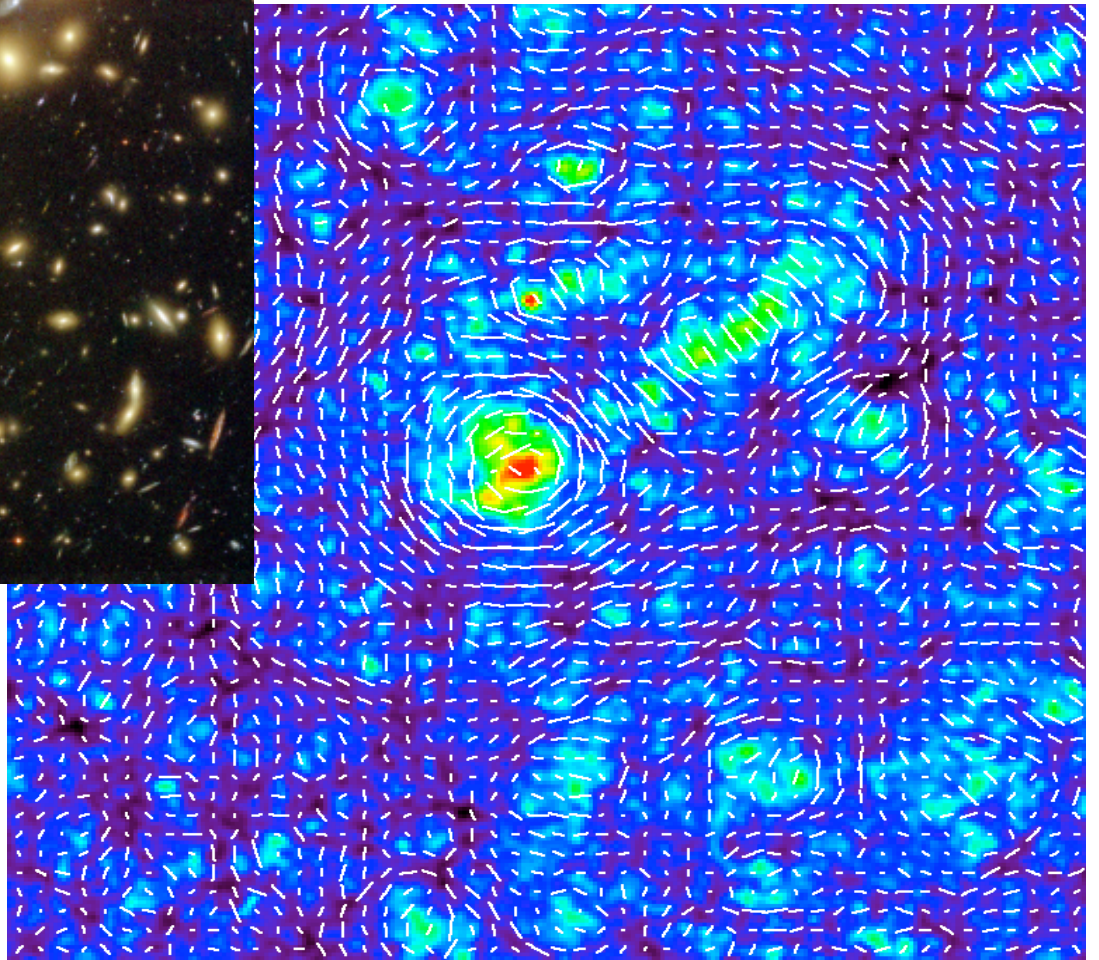
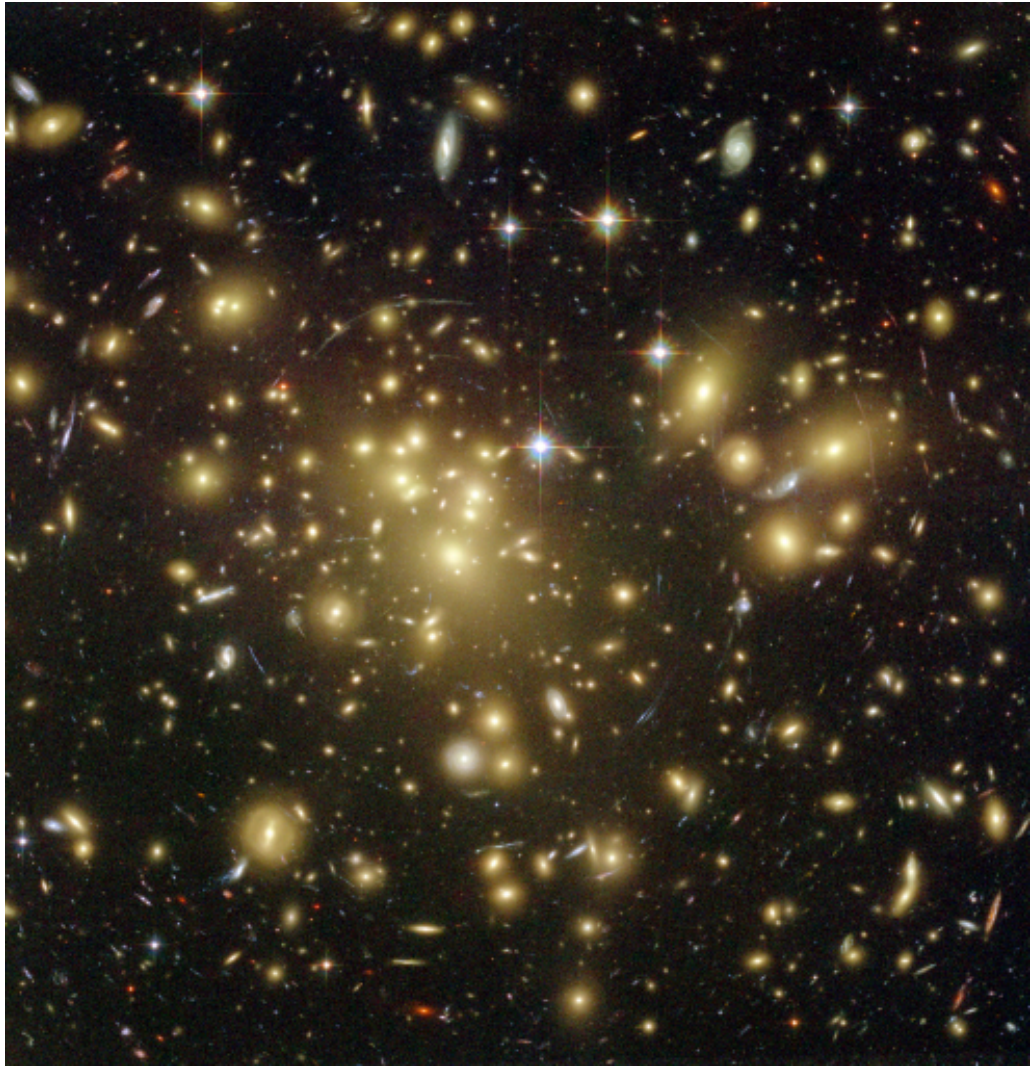


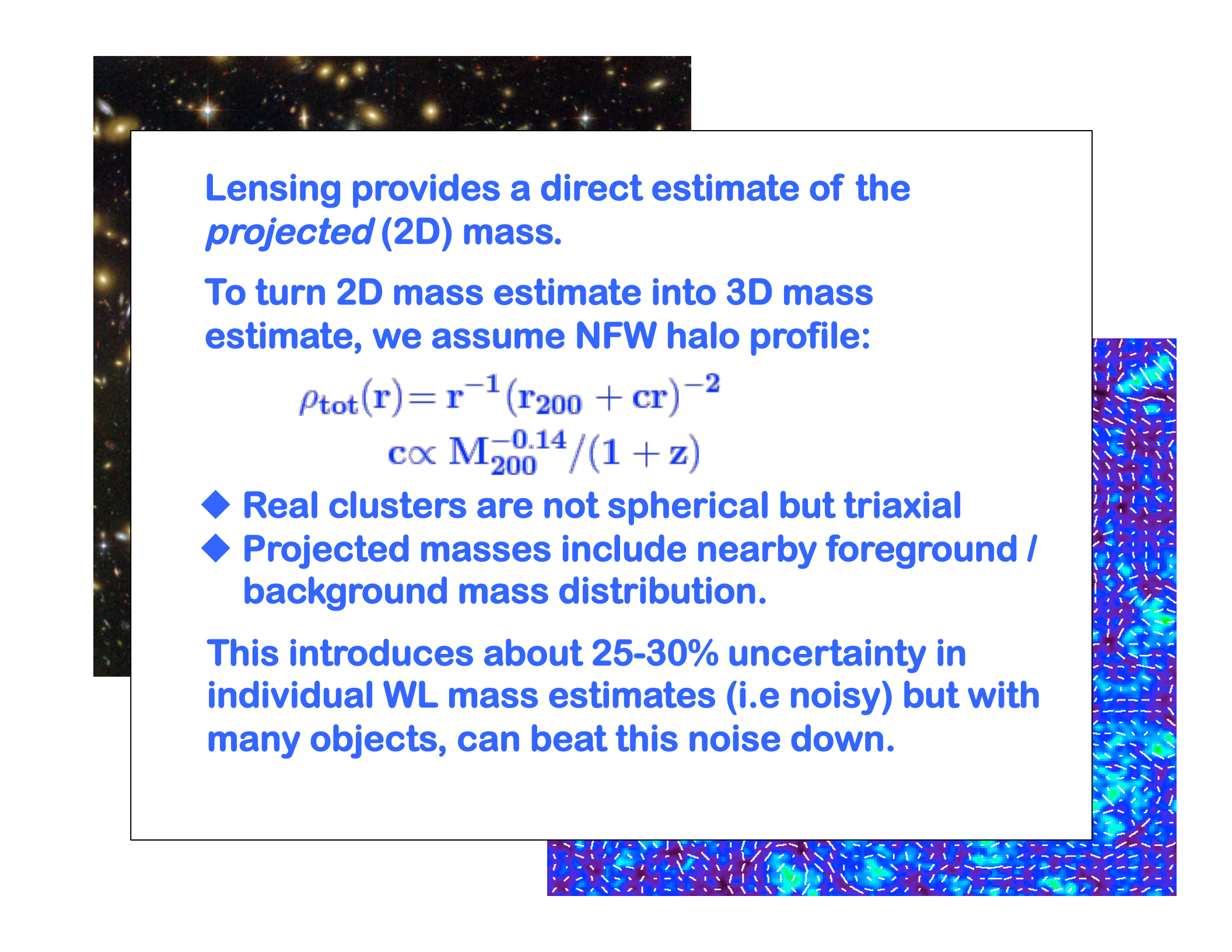


$$\begin{aligned} \gamma_1 &= \frac{1}{2}(\partial_1^2 - \partial_2^2)\psi \\ \gamma_2 &= \partial_1\partial_2\psi, \\ \kappa &= \frac{1}{2}(\partial_1^2 + \partial_2^2)\psi, \end{aligned}$$



$$\begin{aligned} \kappa(\theta) &= \frac{\Sigma(\theta)}{\Sigma_{\text{crit}}}, \\ \Sigma_{\text{crit}} &= \frac{c^2}{4\pi G} \frac{D_{\text{OS}}}{D_{\text{OL}}D_{\text{LS}}}, \end{aligned}$$





Lensing provides a direct estimate of the *projected* (2D) mass.

To turn 2D mass estimate into 3D mass estimate, we assume NFW halo profile:

$$\rho_{\text{tot}}(\mathbf{r}) = r^{-1} (r_{200} + cr)^{-2}$$
$$c \propto M_{200}^{-0.14} / (1 + z)$$

- ◆ Real clusters are not spherical but triaxial
- ◆ Projected masses include nearby foreground / background mass distribution.

This introduces about 25-30% uncertainty in individual WL mass estimates (i.e noisy) but with many objects, can beat this noise down.

MEASURING SHEAR: THEORETICALLY SIMPLE, IN PRACTISE...

SOURCES OF NOISE:

Random intrinsic shape of galaxies.



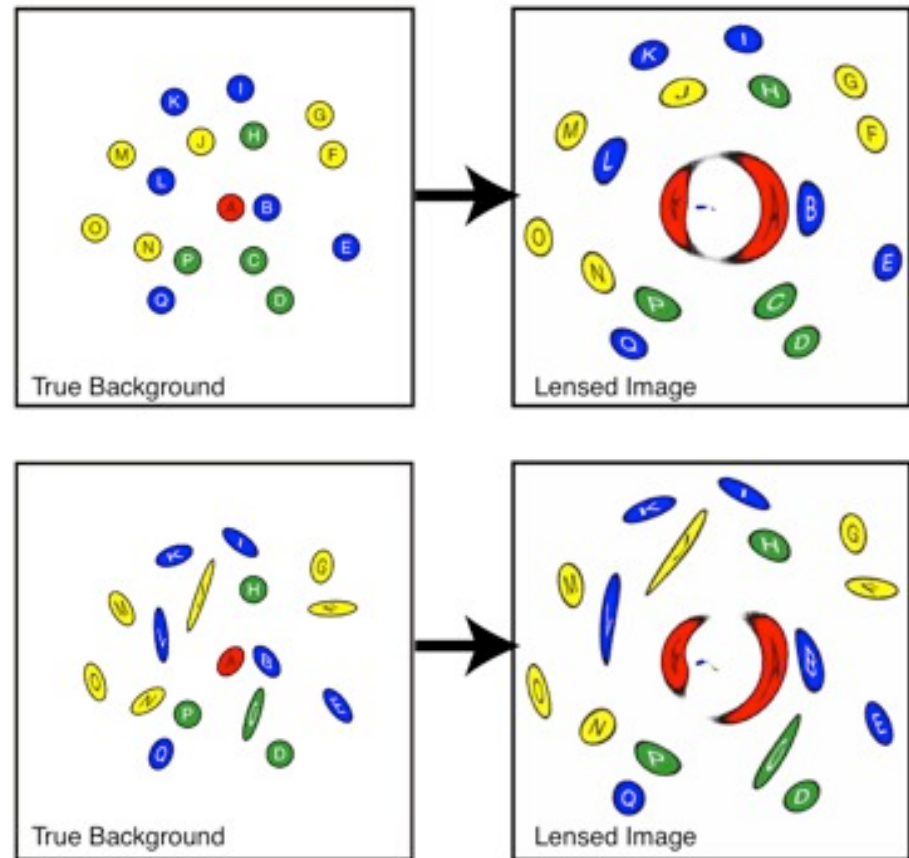
Atmospheric seeing and telescope point spread function

Background noise in the CCD image

Foreground and cluster galaxies

Faint unresolved galaxies

Distance between lens and background galaxies



UNDERSTANDING SYSTEMATIC OFFSETS:

We have undertaken a thorough analysis of the entire pipeline to understand and quantify different sources of systematic biases:

$$Y_i^{\text{obs}} = (1 + \mu) Y_i^{\text{true}} + C$$

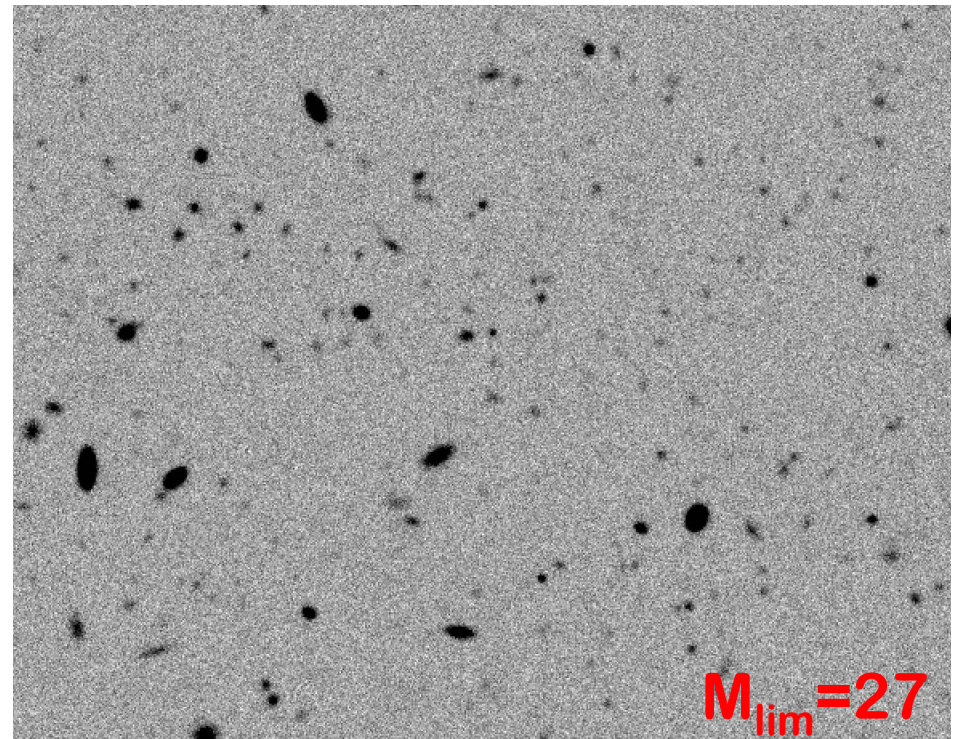
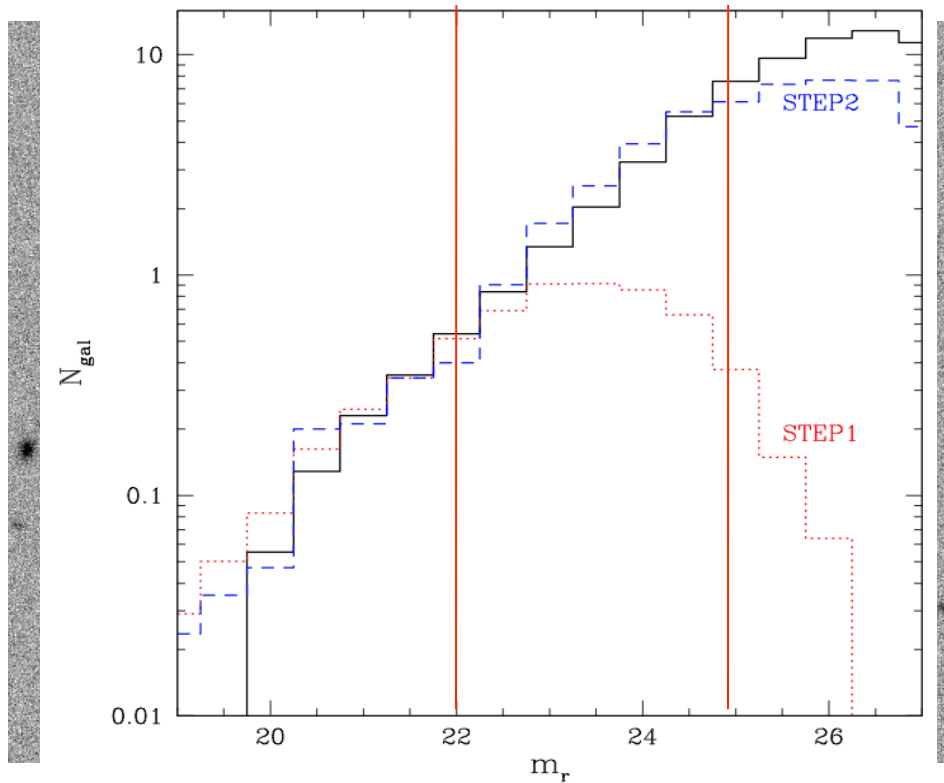
For cluster work:
not important due
to azimuthal avrg

- ❖ **Start with an input mock galaxy distribution**
 - correct number counts and redshift distribution
 - appropriate ellipticity distribution (mag dependent)
- ❖ **Apply a known shear due to intervening lens → “truth”**
- ❖ **Create a lensed image; add “appropriate” noise level**
- ❖ **Impose correct PSF – size (seeing) and distortions**
- ❖ **Analyze mock images via identical pipeline/approach**
- ❖ **Compare results to true input to determine multiplicative and additive biases.**

MOCK IMAGES MUST MATCH OBSERVATIONS IN ALL ASPECTS!

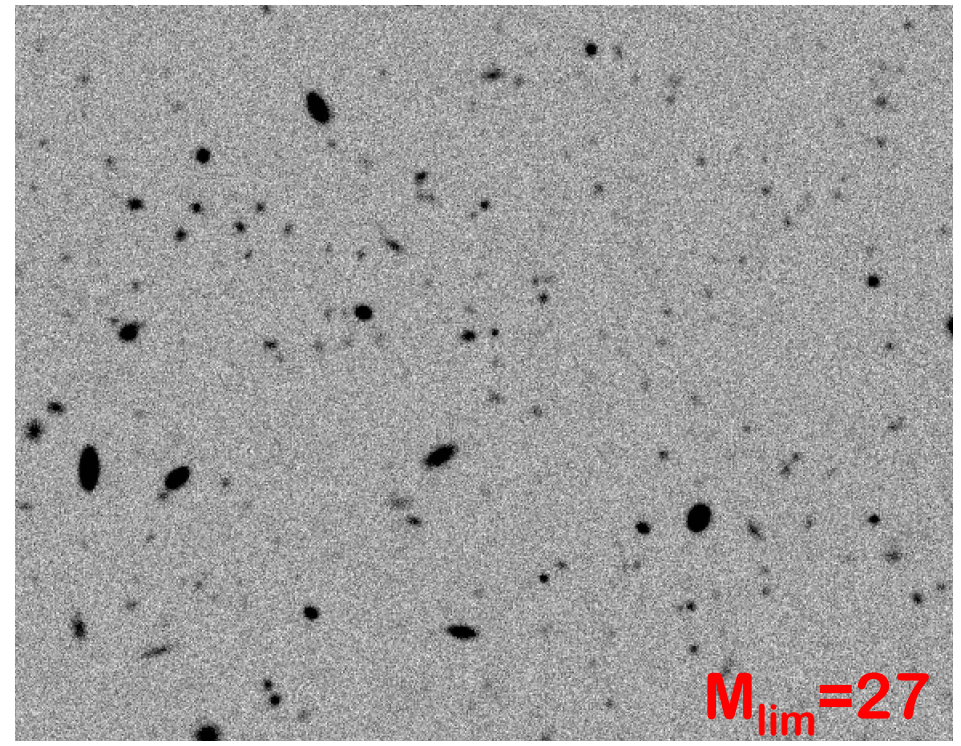
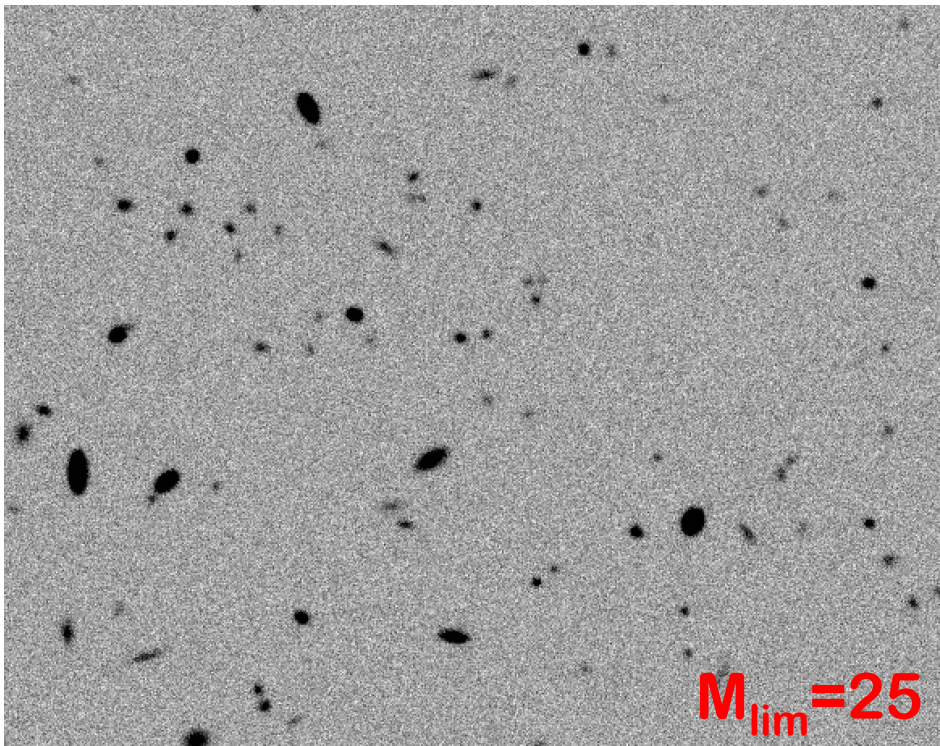
MOST IMPORTANT FINDINGS

MOCK IMAGES MUST INCLUDE GALAXIES AT LEAST 1.5 MAGNITUDES FAINTER THAN THE LIMITING MAGNITUDE OF SOURCES USED IN THE LENSING ANALYSIS – EVEN IF THESE GALAXIES ARE UNRESOLVED.



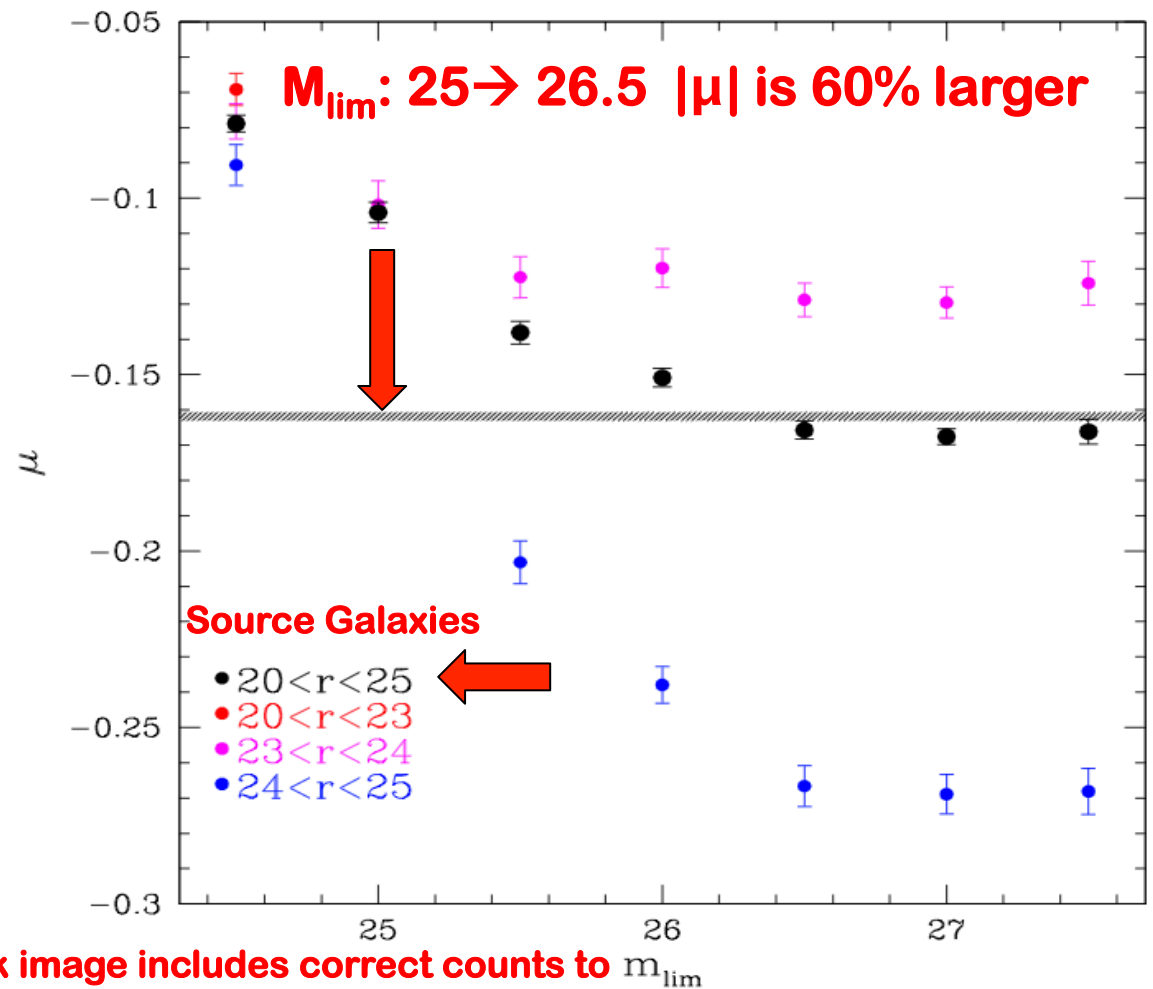
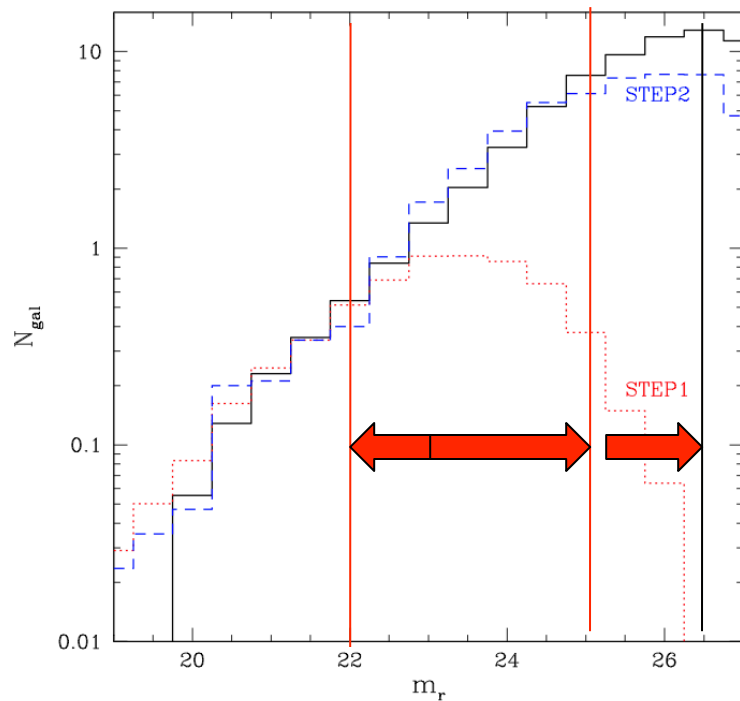
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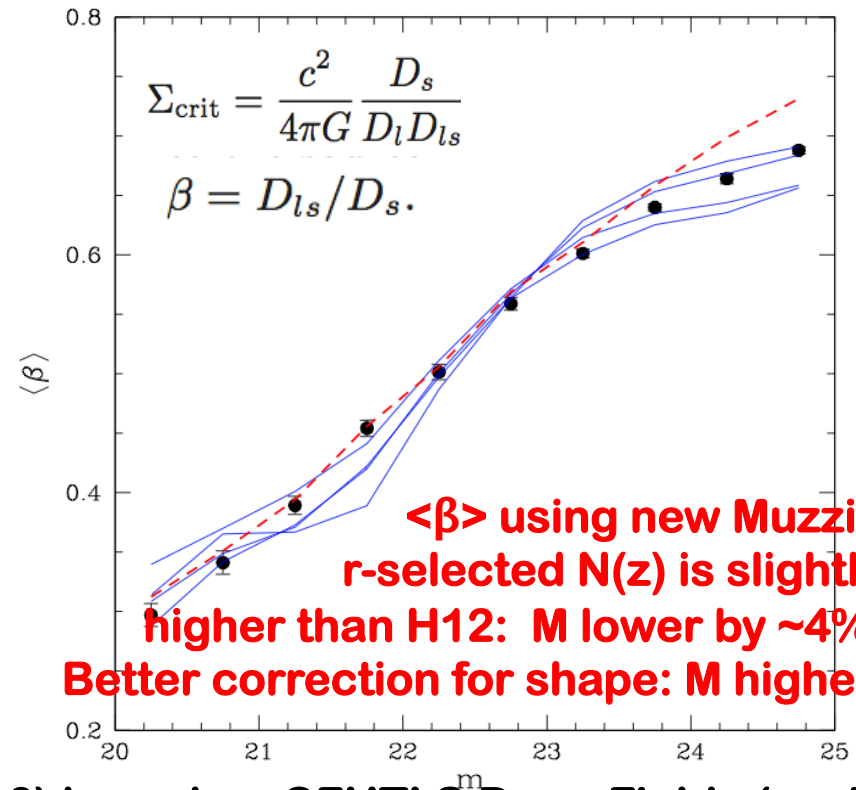
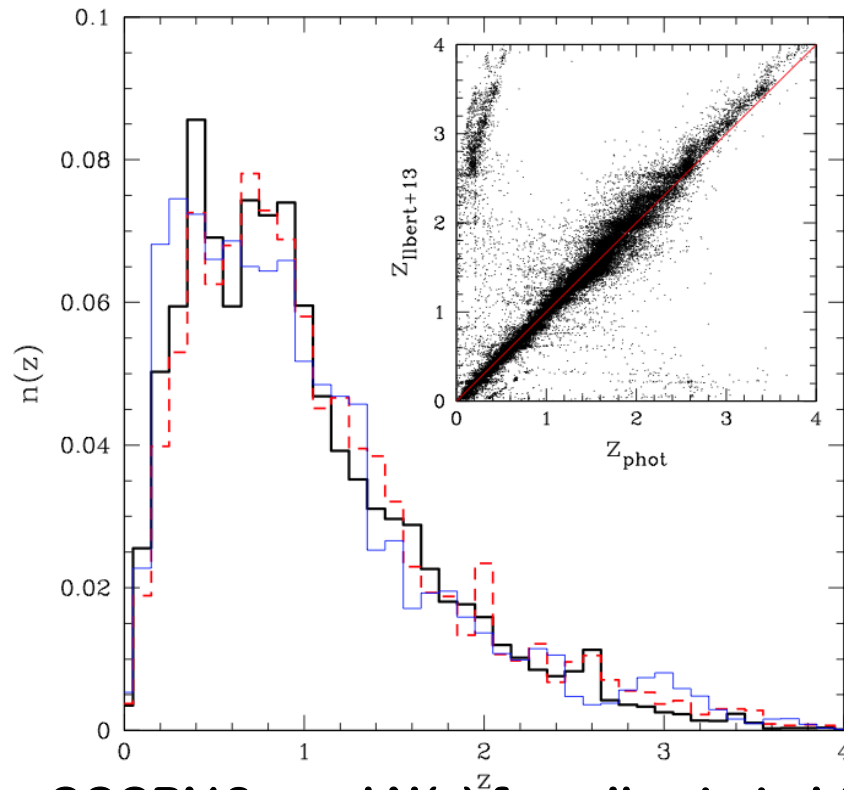
FAINT UNRESOLVED GALAXIES IMPACT SHAPES OF BRIGHTER SOURCE GALAXIES VIA BLENDING

GOING FROM STEP2 TO GEMS GALAXY COUNTS, THE GREATEST CHANGE IN $|\mu|$ RESULTS FROM INCLUSION OF UNRESOLVED FAINT GALAXIES IN THE SIMULATIONS.



MOST IMPORTANT FINDINGS

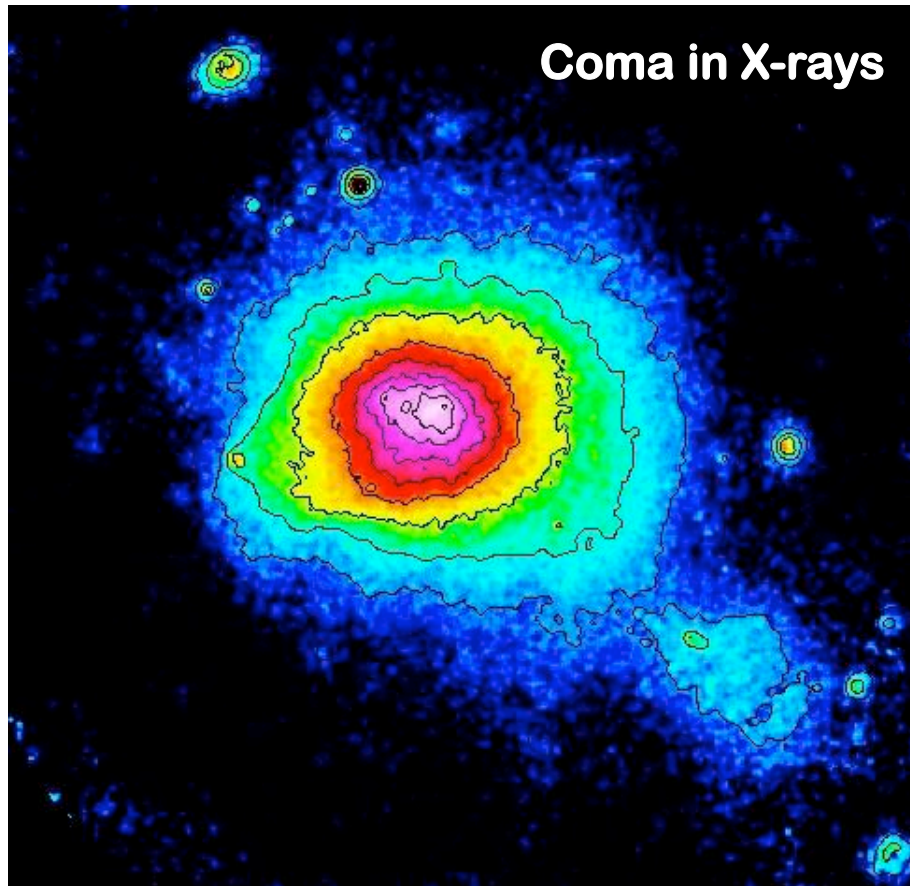
**CORRECT SOURCE REDSHIFT DISTRIBUTION IS KEY
THIS IS THE DOMINANT SOURCE OF SYSTEMATIC UNCERTAINTY**



- **CCCP'12 used $N(z)$ from Ibert et al (2006) based on CFHTLS Deep Fields (ugriz) Ibert et al (2009) based on COSMOS-30: no NIR photometry (not shown) \rightarrow WtG**
- **New Ibert et al (2013): COSMOS/UltraVISTA with deep NIR data and calibrated against zCOSMOS.**
- **Muzzin r-selected $N(z)$ using COSMOS/UltraVISTA: 29 bands from 0.15-24 μm and also calibrated against zCOSMOS**

$\langle \beta \rangle$ using new Muzzin r-selected $N(z)$ is slightly higher than H12: M lower by $\sim 4\%$. Better correction for shape: M higher.

PLANCK SZ CLUSTER ANALYSIS: PREMISED ON MEASURING CLUSTER MASS FUNCTION



CLUSTERS ARE LARGELY DARK
mass cannot be easily measured

PLANCK MEASURE Y_{sz}

FOR SUBSET OF CLUSTERS
WITH X-RAY DATA, USE X-RAY
DATA TO ESTIMATE MASS: M_x

M_x IS A BIASED ESTIMATOR OF
TRUE MASS M : $M_x = \xi M$

PLANCK: $\xi = [0.7, 1.0]$
 $\langle \xi \rangle = 0.8$

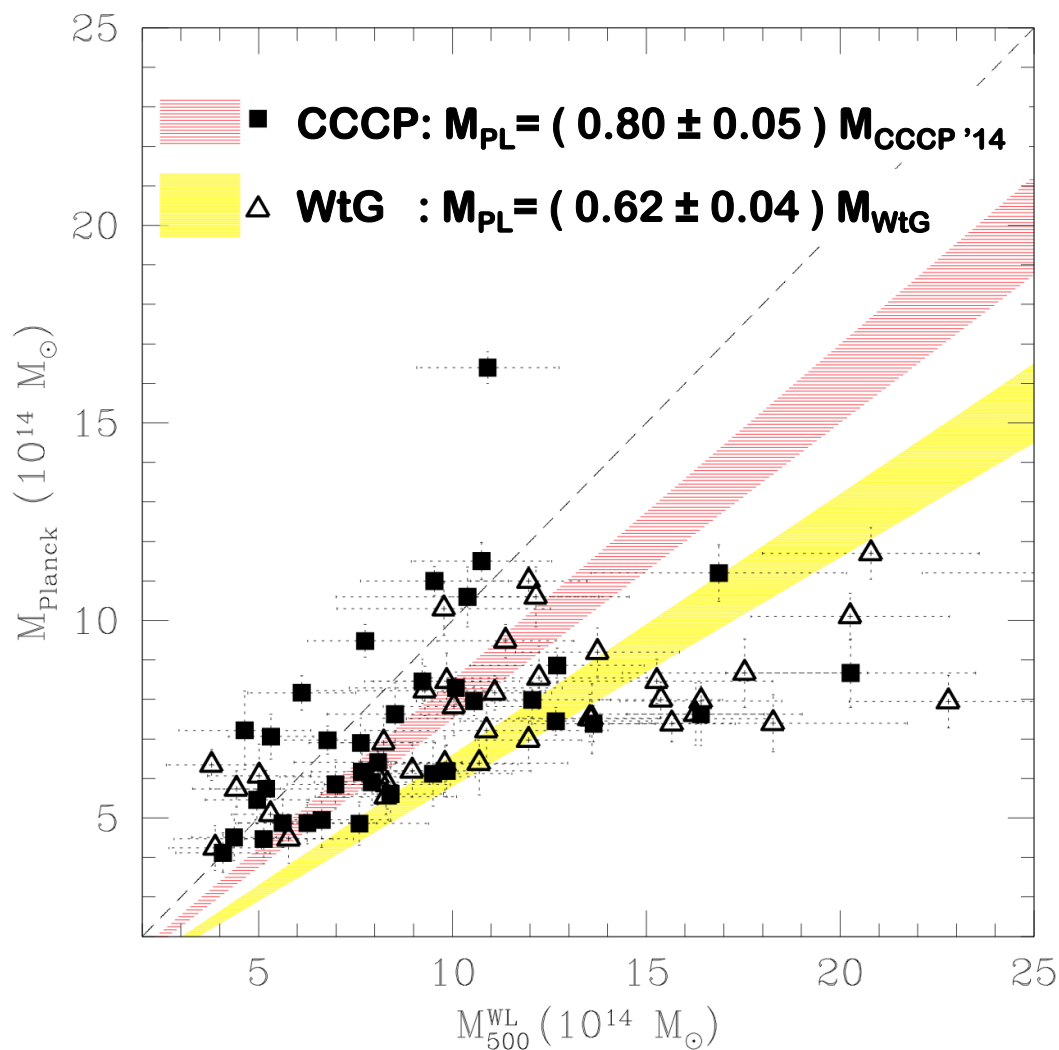
USE RESULTING $Y_{sz} - M$ TO
DERIVE MASSES OF ALL OTHER
CLUSTERS (MASS-OBSERVABLE)

HSE:
$$\frac{dP}{dr} = -\frac{GM(r)\rho(r)}{r^2}$$

IF USE $\langle \xi \rangle = 0.6$ INSTEAD OF 0.8, THE TENSION IS RESOLVED

AND, COMBINING EVERYTHING TOGETHER...

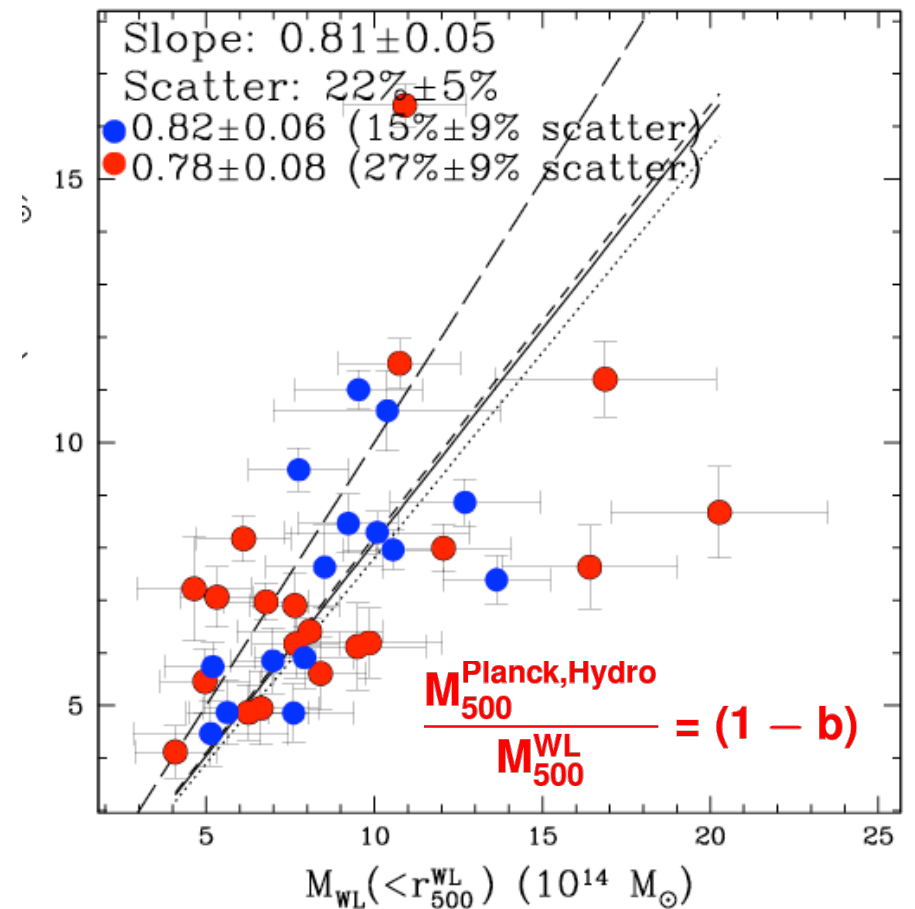
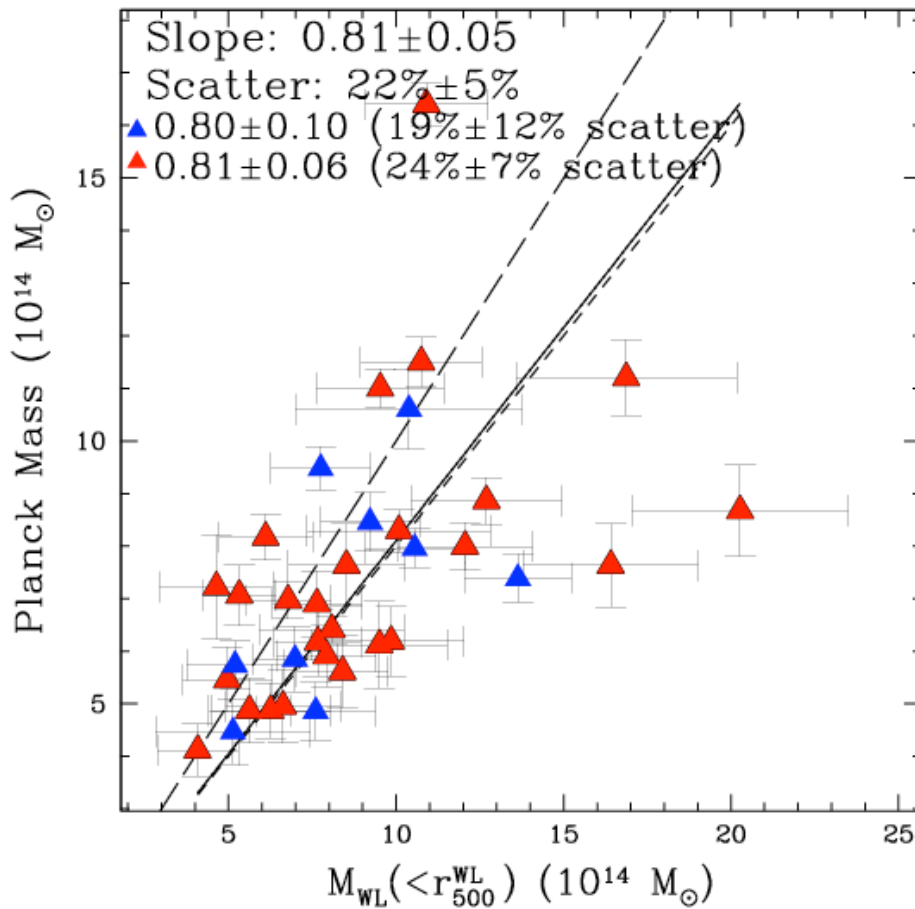
WE COMPARE TO PLANCK MASSES



$$\frac{M_{500}^{\text{Planck,Hydro}}}{M_{500}^{\text{WL}}} = \xi = 0.8$$

THE VALUE OF ξ WITH CCCP MASSES IS SAME AS THAT ASSUMED IN PLANCK COSMOLOGY ANALYSIS.

TENSION BETWEEN PLANCK CLUSTER ANALYSIS AND PLANCK CMB ANALYSIS REMAINS.



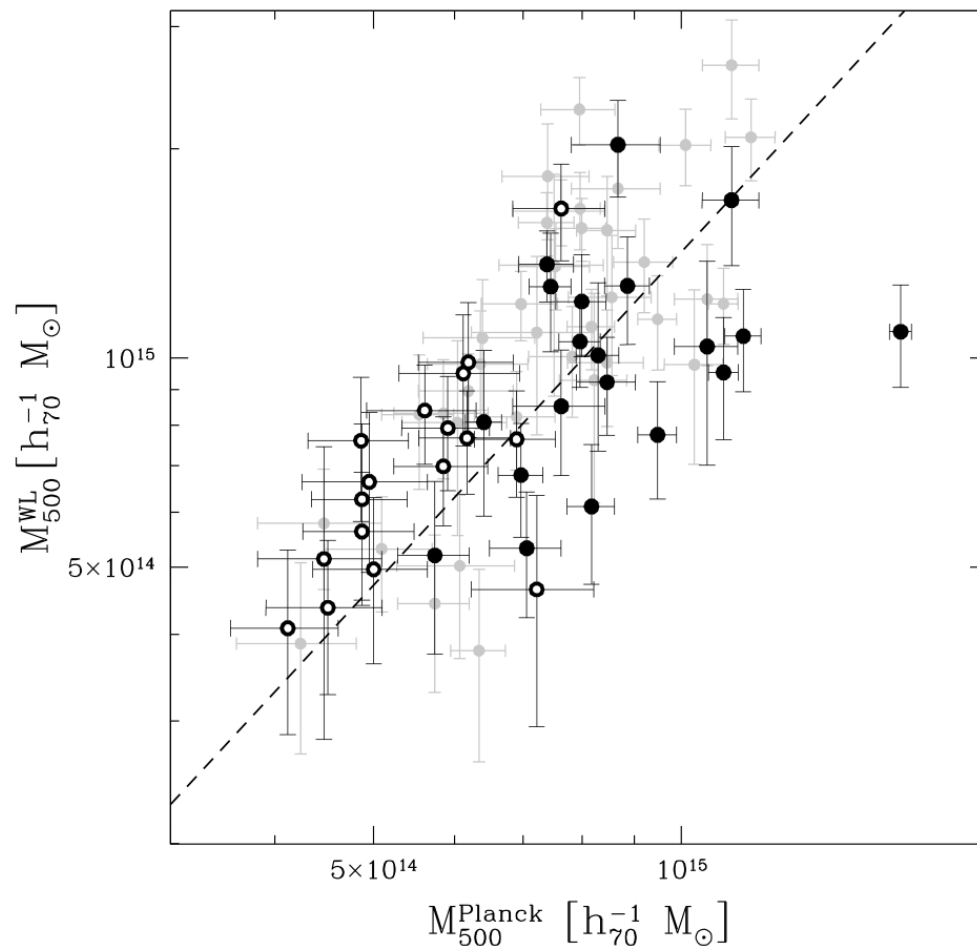
▲ $K(20 \text{ kpc}) < 70 \text{ keV cm}^2$
 ▲ $K(20 \text{ kpc}) > 70 \text{ keV cm}^2$

● $D_{\text{BCG}} < 0.01 \text{ Mpc}$
 ● $D_{\text{BCG}} > 0.01 \text{ Mpc}$

NO DIFFERENCE BETWEEN COOL CORE & NON-COOL CORE SYSTEMS
NO DIFFERENCE BETWEEN RELAXED & UNRELAXED SYSTEMS

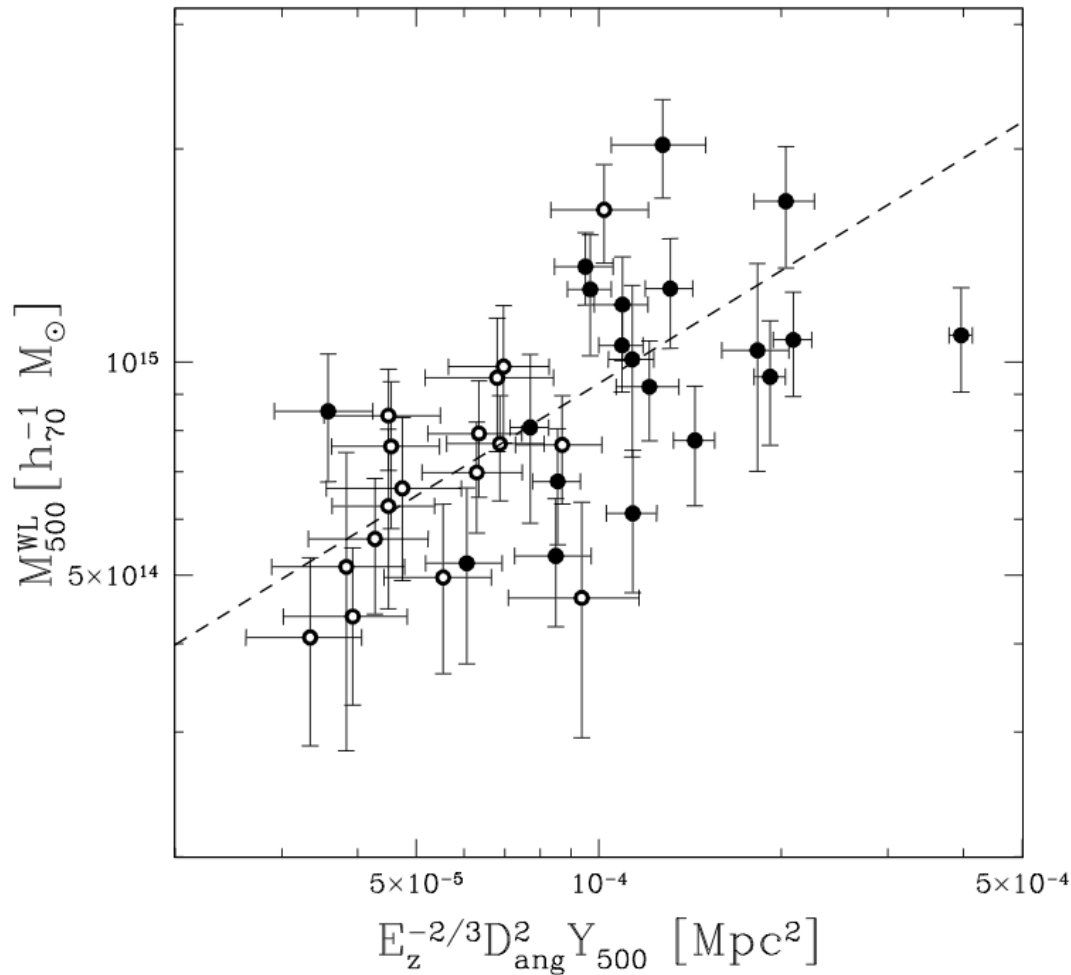
WE FIND MASS DEPENDENCE BETWEEN M_{pl} - M_{wl}

$$\frac{M_{Planck}}{10^{15} h_{70}^{-1} M_{\odot}} = 0.800^{+0.041}_{-0.039} \times \left(\frac{M_{CCCP}}{10^{15} h_{70}^{-1} M_{\odot}} \right)^{0.66 \pm 0.17}$$



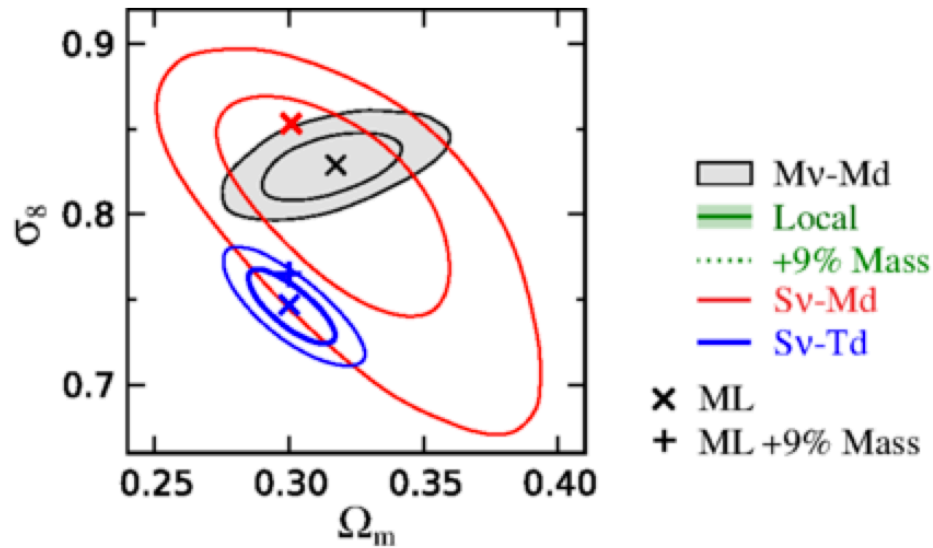
PRELIMINARY MASS- Y_{sz} SCALING RELATION

$$\frac{M_{500}^{WL}}{10^{15} h_{70}^{-1} M_{\odot}} = 0.93_{-0.053}^{+0.056} \times \left(\frac{10^4 \times D_{\text{ang}}^2 Y_{500}}{E(z)^{2/3} \text{Mpc}^2} \right)^{0.53 \pm 0.13}$$



**CONSISTENT WITH
PLANCK SCALING: 0.56**

THIS IS ALL VERY EXCITING... SO DOES THIS MEAN NEW PHYSICS?

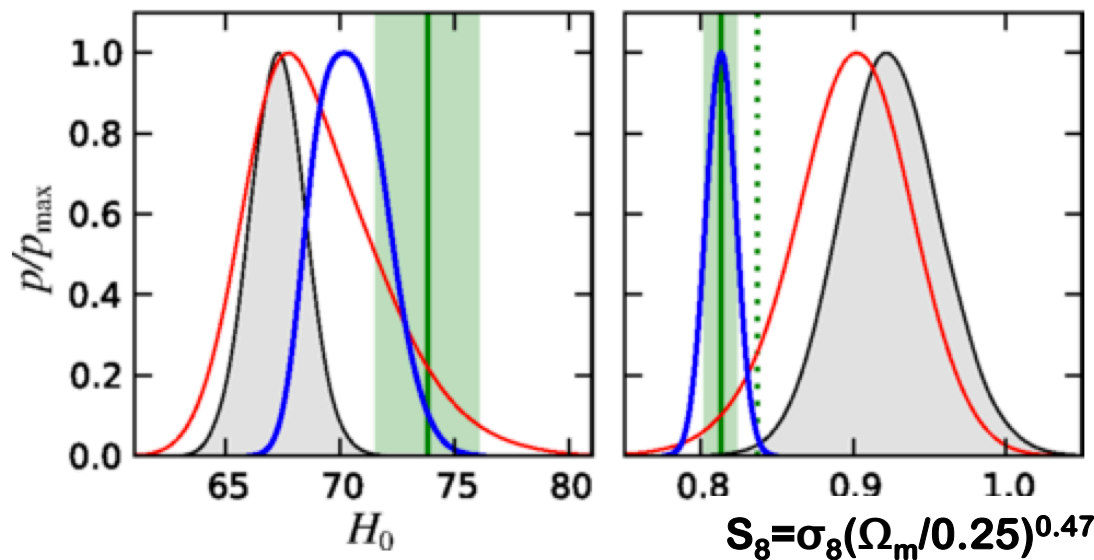


**TENSION BTW HI-Z &
LO-Z PARAMETERS
CAN BE RESOLVED:**

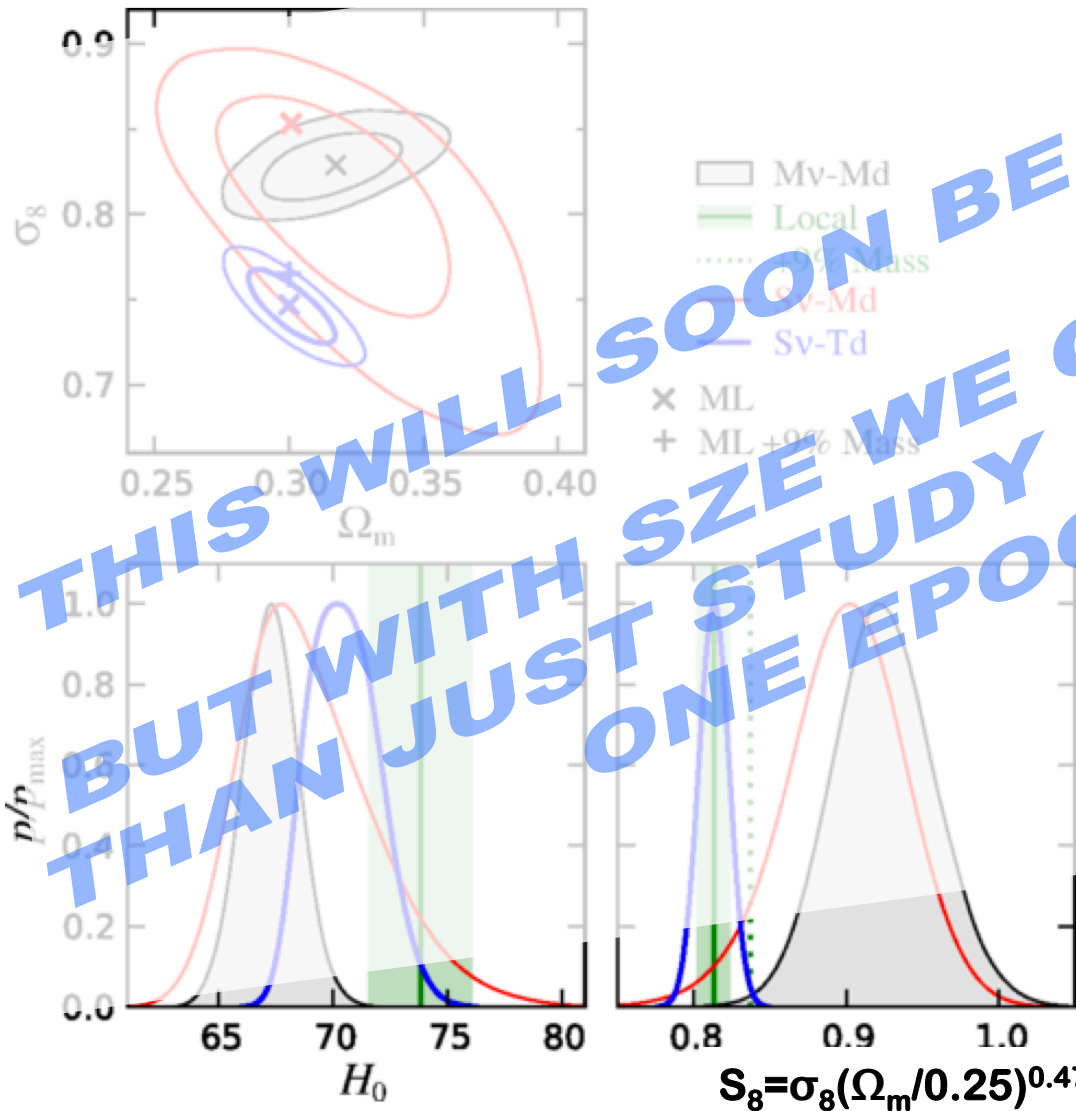
ONE EXTRA STERILE ν

$$\Delta N_{\text{eff}} = 1$$

$$M_s \sim 0.4-0.8 \text{ eV}$$



THIS IS ALL VERY EXCITING...
SO DOES THIS MEAN NEW PHYSIS?

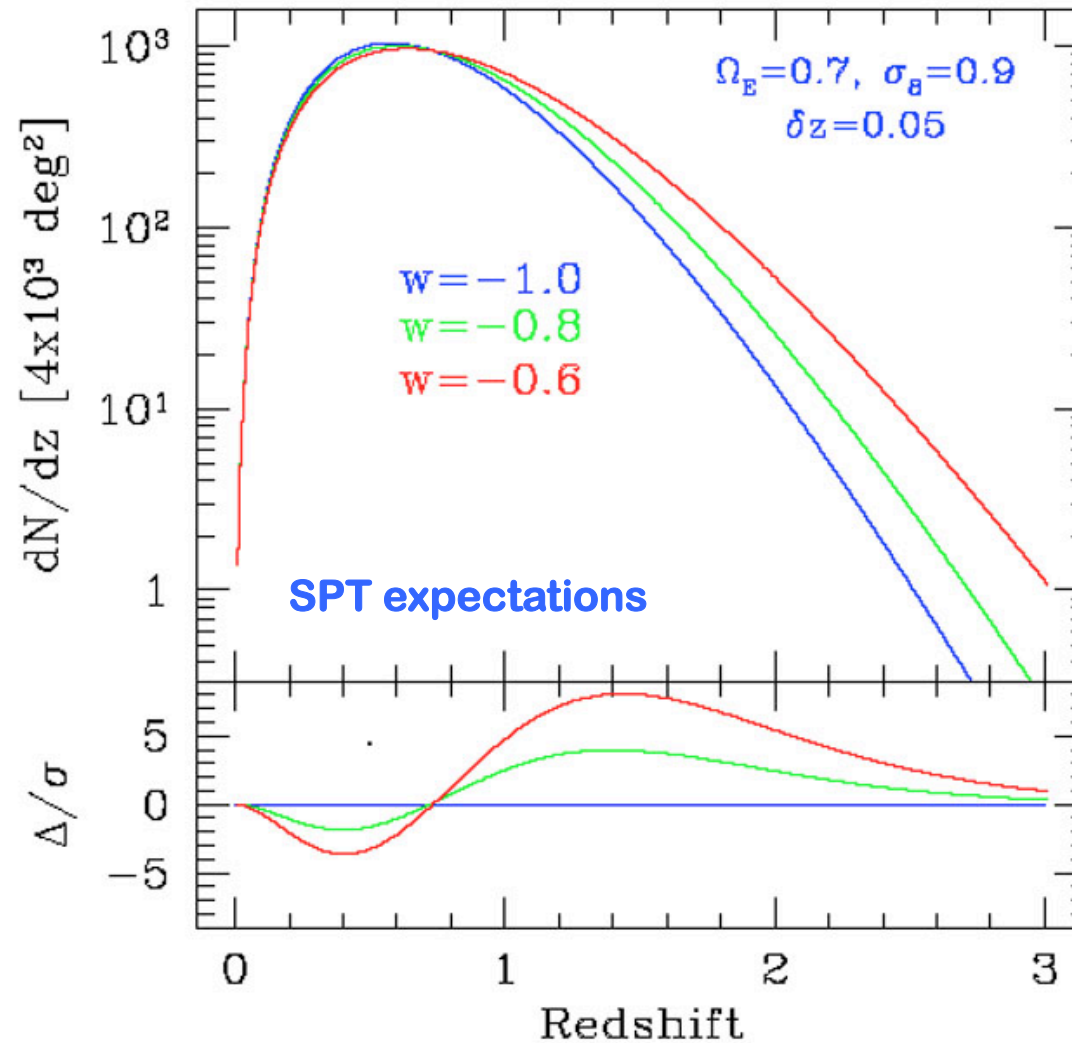


**THIS WILL SOON BE RESOLVED...
BUT WITH SIZE WE CAN DO MORE
THAN JUST STUDY CLUSTERS AT
ONE EXTRA STERILE ν**

TENSION BETWEEN HI-Z &
LO-Z PARAMETERS
CAN BE RESOLVED:

$\Delta N_{\text{eff}} = 1$
 $M_s \sim 0.4-0.8 \text{ eV}$

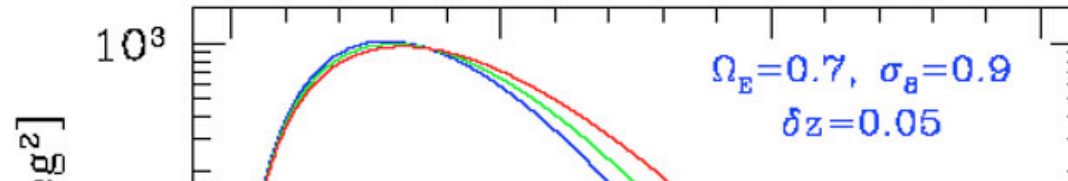
DEEP CLUSTER COUNTS FROM GROUND-BASED SZE SURVEYS



cluster counts: SZE

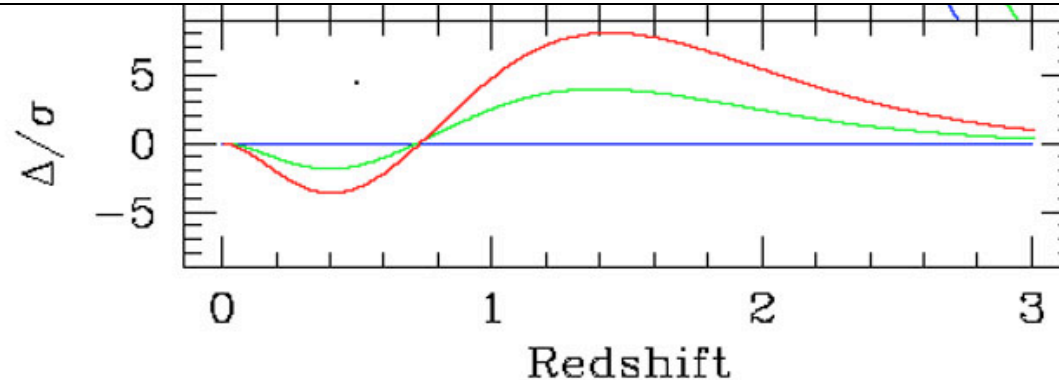
Frieman et al. 2008
Carlstrom et al. 2002

DEEP CLUSTER COUNTS FROM GROUND-BASED SZE SURVEYS



**BUT THIS REQUIRES KNOWING Y_{sz} – MASS
RELATIONSHIP ACROSS DIFFERENT REDSHIFT.**

**THE SIMPLEST ASSUMPTION WOULD BE THAT THE
GAS IS INFLUENCED ONLY BY GRAVITY ...NO EVOL.**

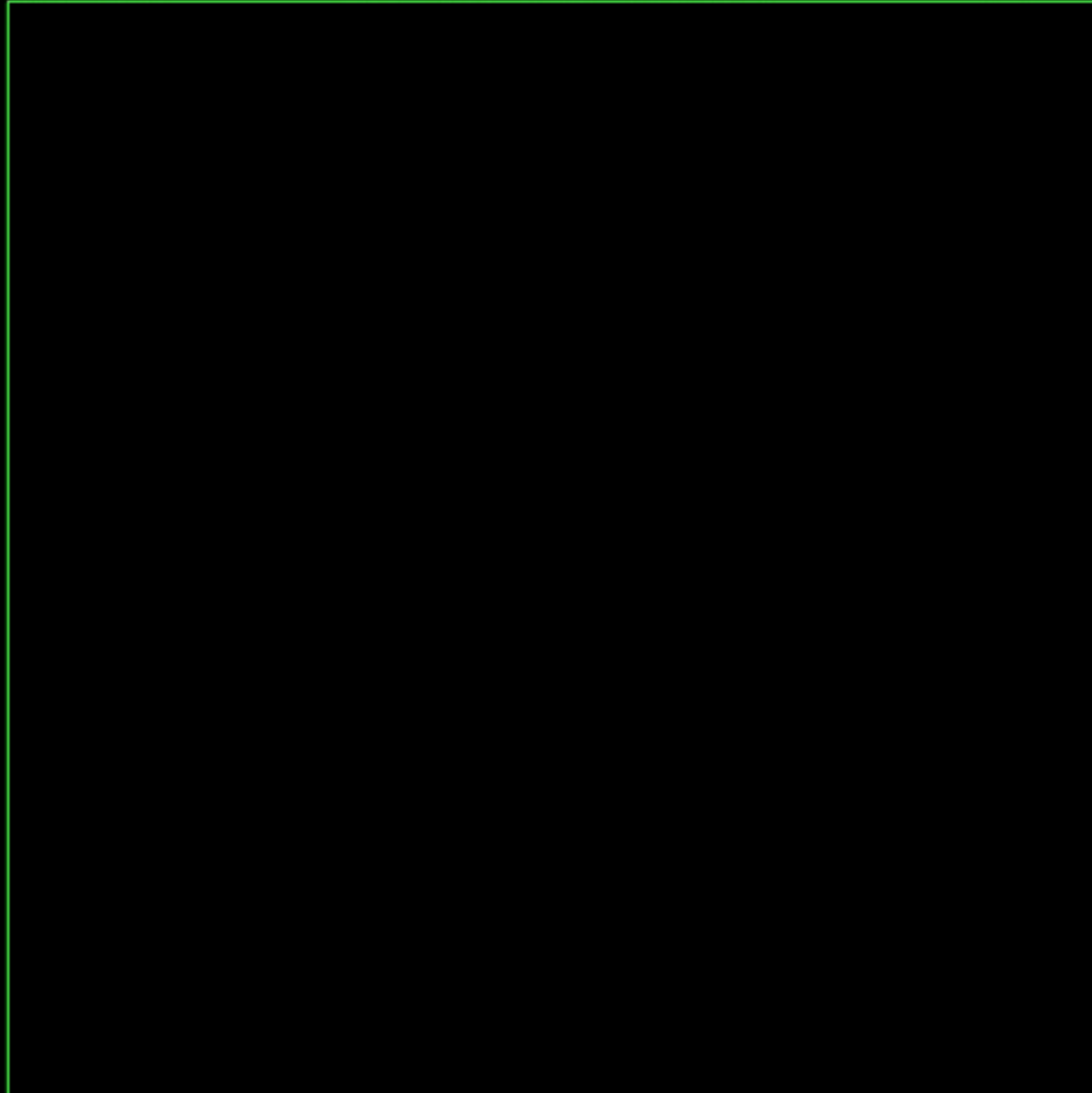


GAS IS HEATED BY ACCRETION SHOCKS

8 Mpc box

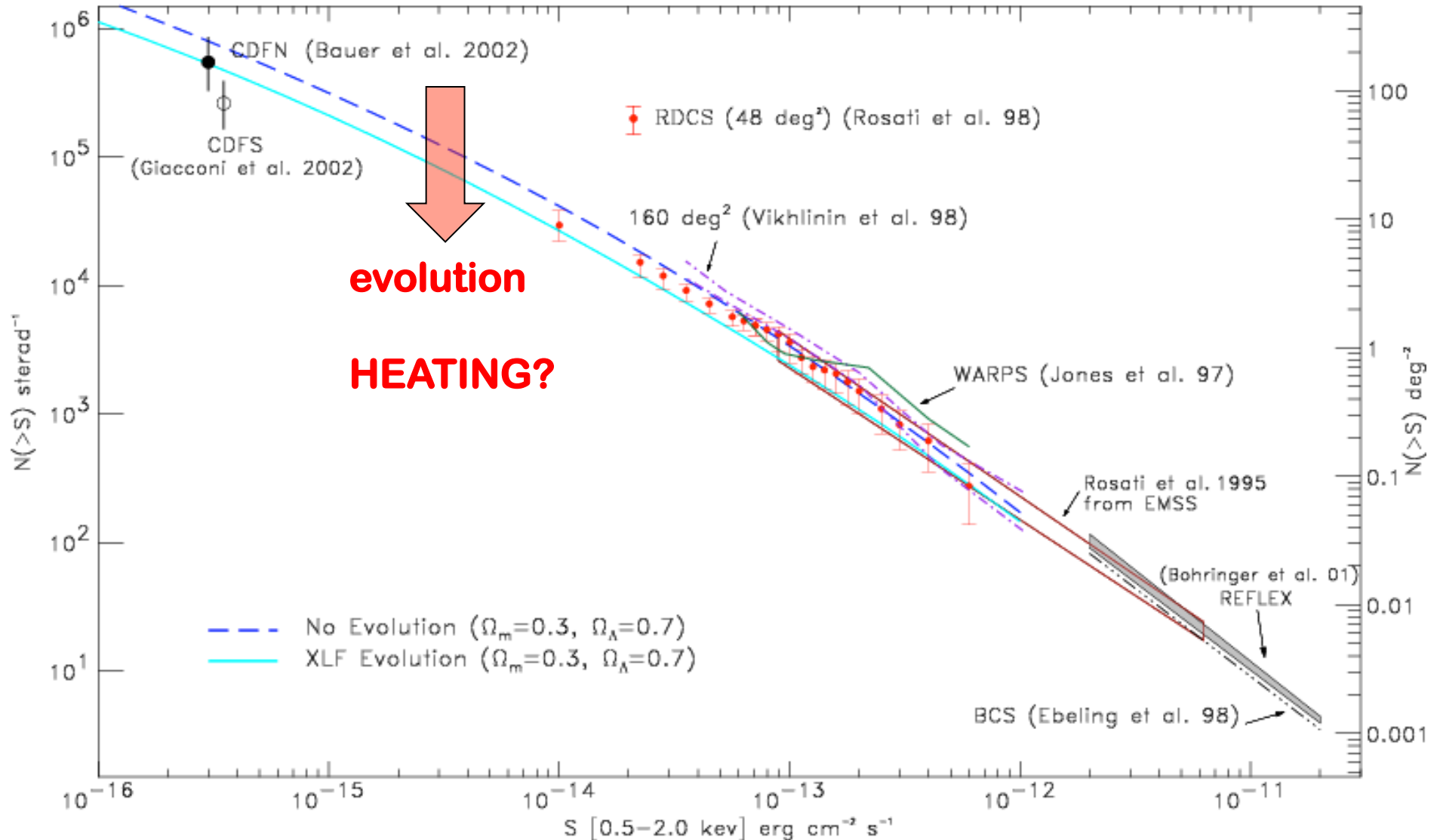
Cluster gas density

0.02 Gyr



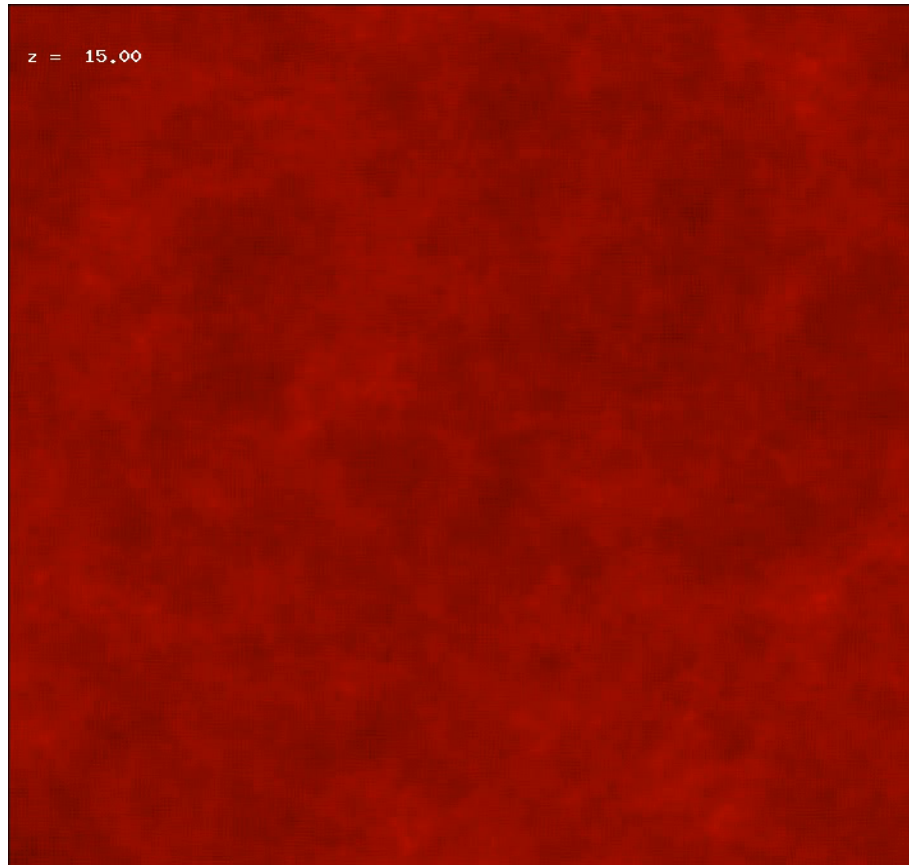
CLUSTER NUMBER COUNTS VS. X-RAY FLUX

faintest sources live at an earlier epoch \rightarrow evolution and astrophysics



cluster counts: x-ray flux

BUT...GAS CAN ALSO BE HEATED BY LARGE-SCALE GALACTIC OUTFLOWS POWERED BY SUPERNOVAE, STELLAR WINDS & RADIATION PRESSURE”

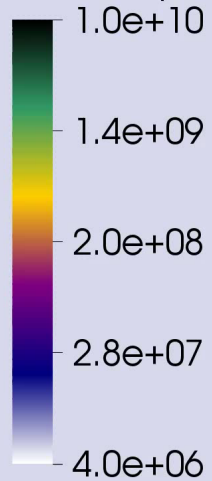


F. DURIER

AND BY JETS AND WINDS FROM BLACK HOLES

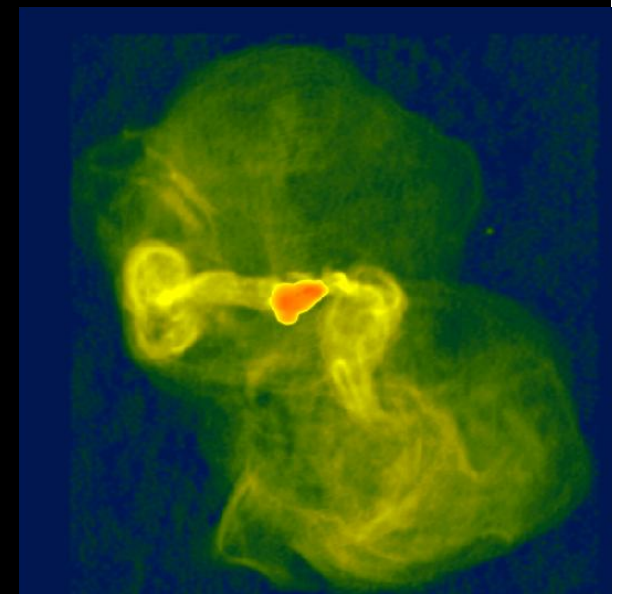
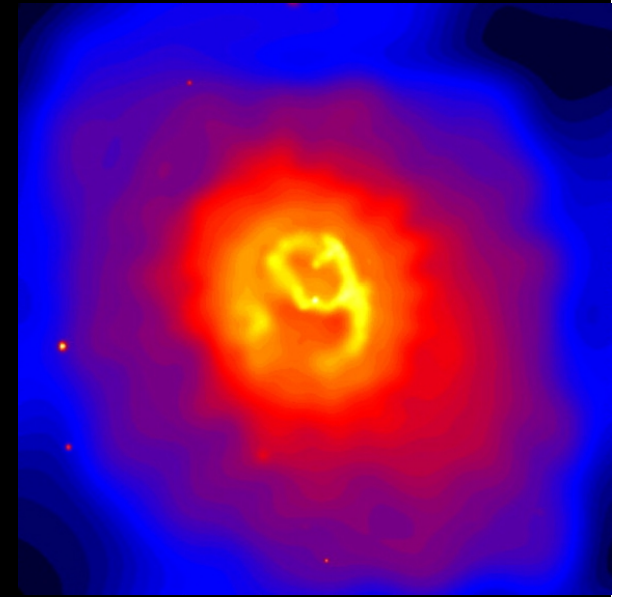
DB: s200m5P42b640I10_hdf5_plt_cnt_0000
Cycle: 1 Time:0

Pseudocolor
Var: temp

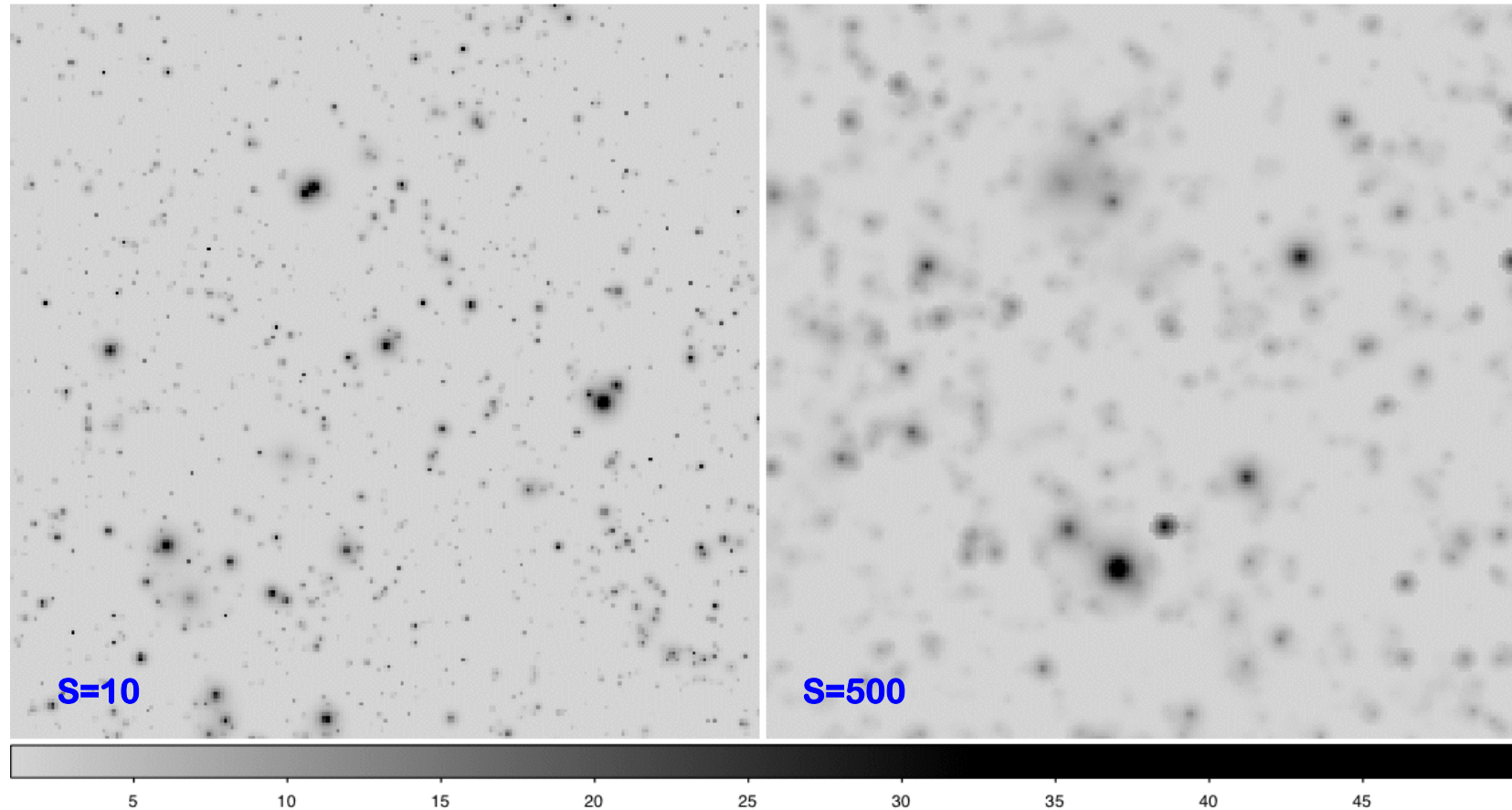


S. CIELO

**REALISTIC AGN FEEDBACK IN
COSMO SIMS: F. DURIER/ G. NOVAK**

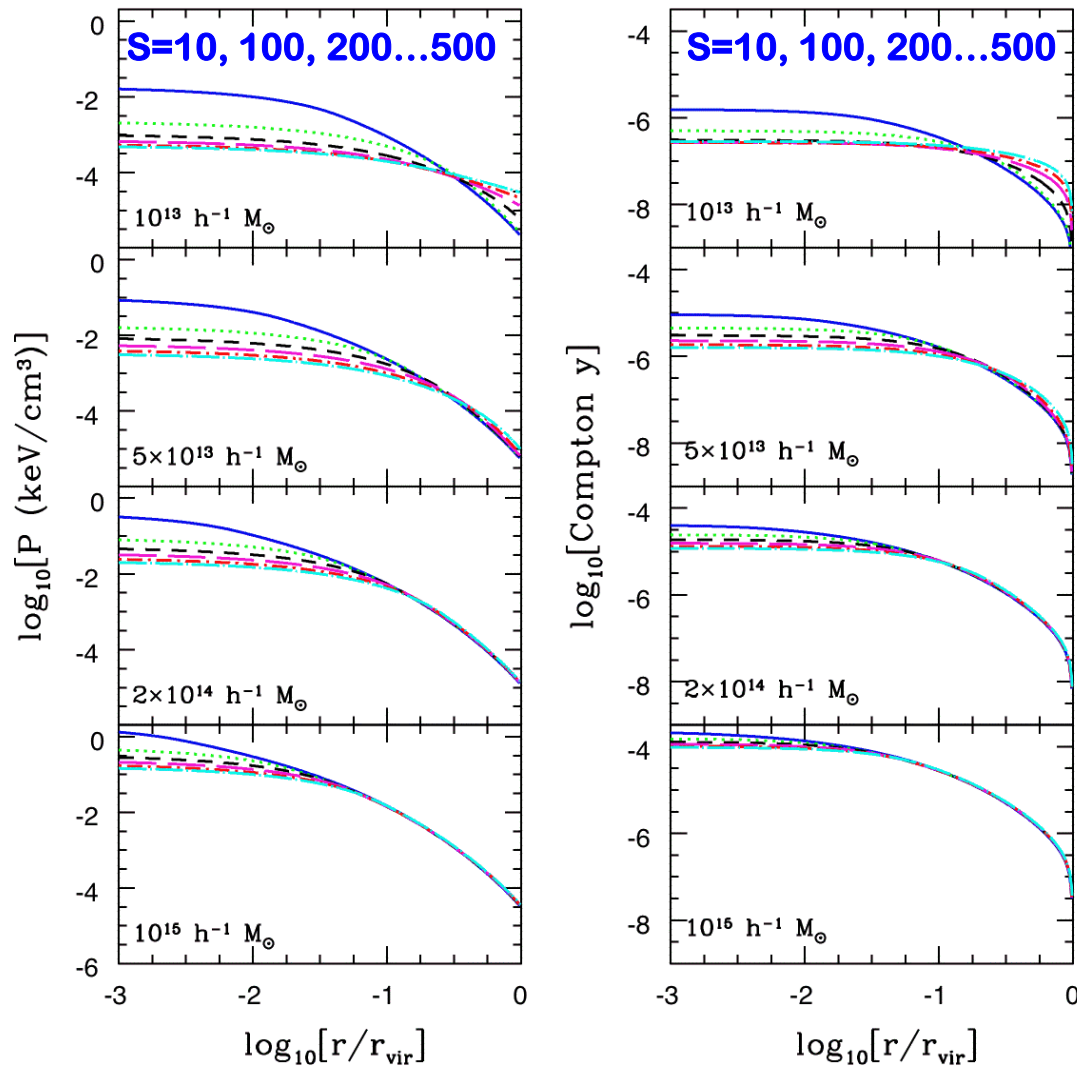


Implications Of Varying Entropy Core Values: y-maps



**0°.85 Square Section Of 2°X2° SZ Sky Map: $\sigma_8=0.9$; $M > 10^{13} h^{-1} M_{\odot}$
(uniform core entropy with no evolution; res=14" ; only thermal SZ)**

Implications Of Varying Entropy Core Values: SZE



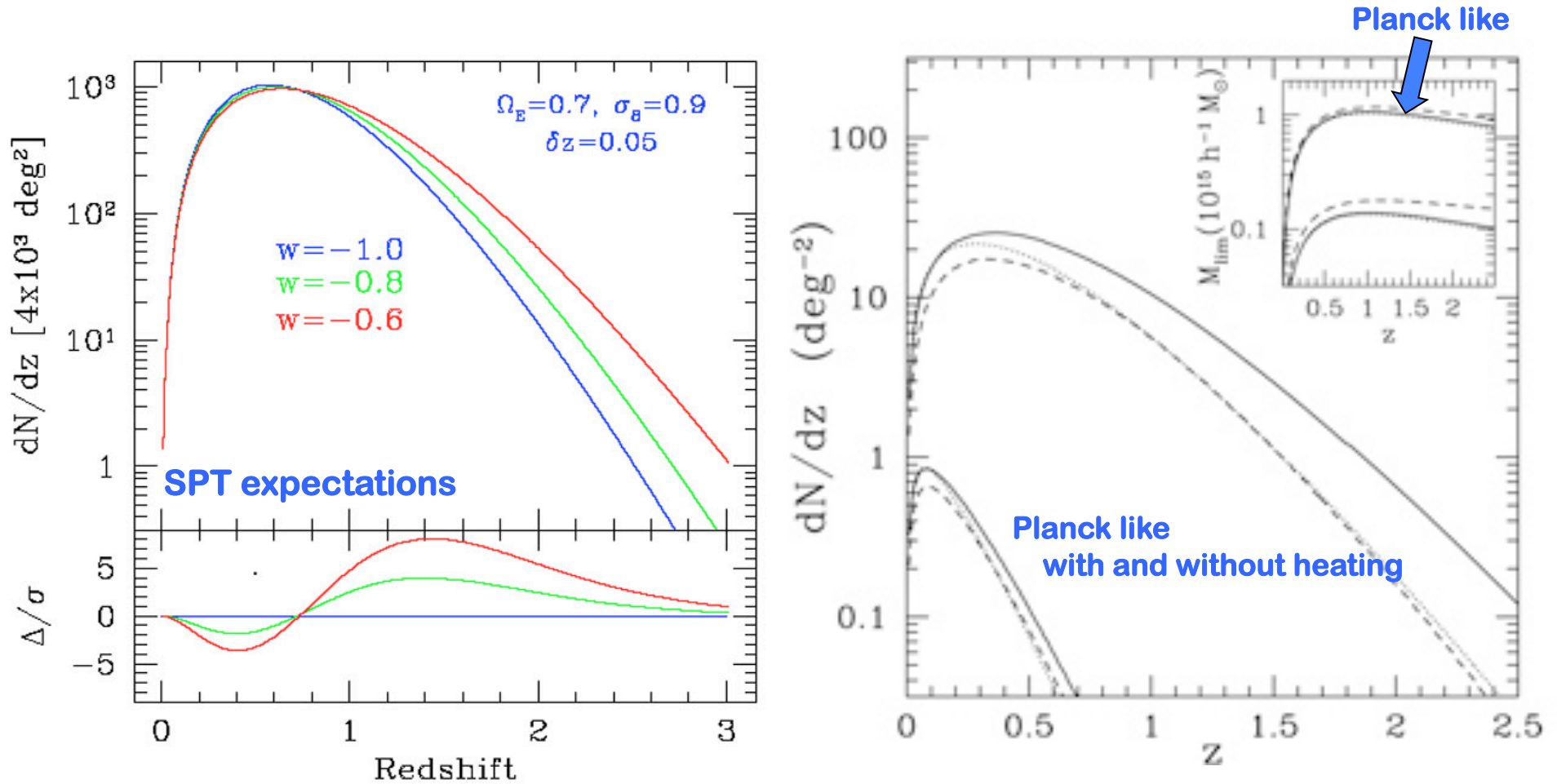
At a given mass, larger S results in:

- ❖ lower amplitude,
- ❖ flatter proj. y -profiles,
- ❖ higher signal outside the core

With increasing mass, the fractional change is lower.

Changes are negligible for $M > 10^{14} M_{\odot}$

CLUSTER COUNTS IN SZE SURVEYS

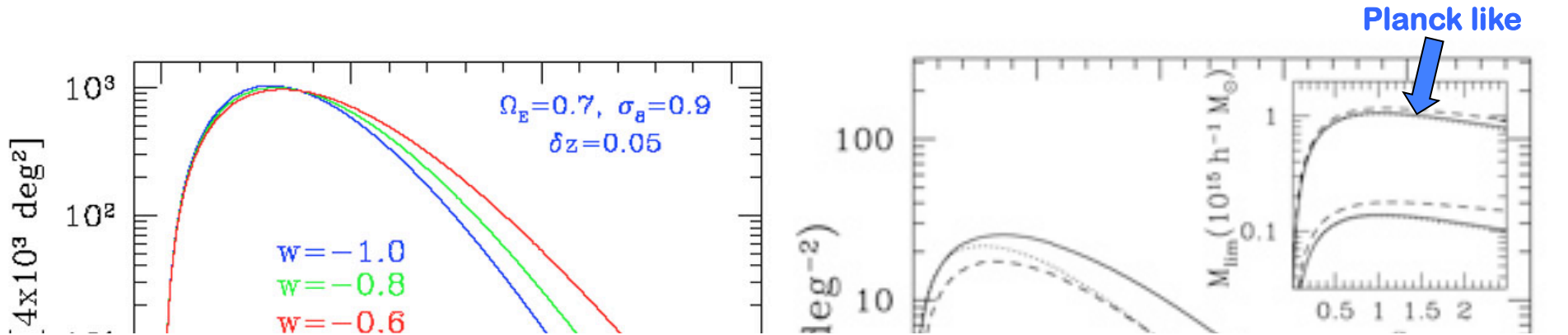


ASTROPHYSICAL EFFECTS CAN MIMIC COSMOLOGICAL TRENDS

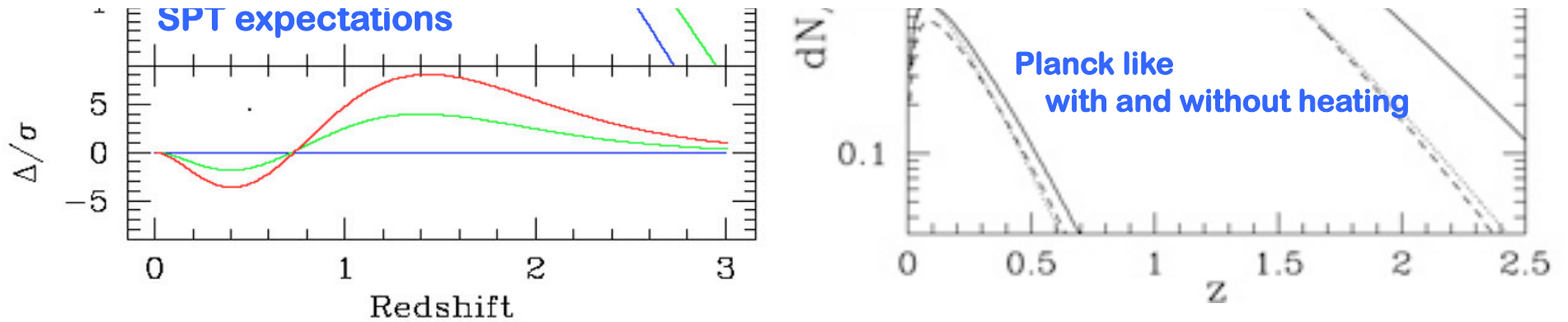
cluster counts: SZE

Frieman et al. 2008
 Carlstrom et al. 2002

CLUSTER COUNTS IN SZE SURVEYS



WEAK GRAVITATIONAL LENSING WILL NOT BE MUCH HELP IN CALIBRATING Y-M AT REDSHIFTS $Z > 0.7$



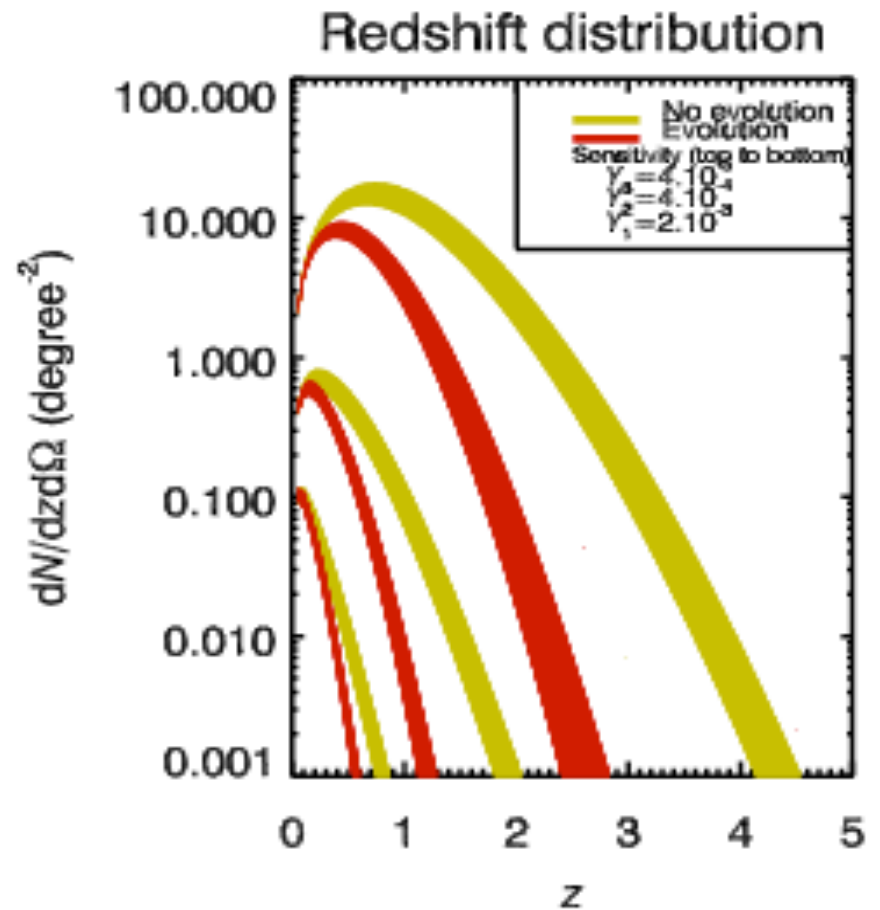
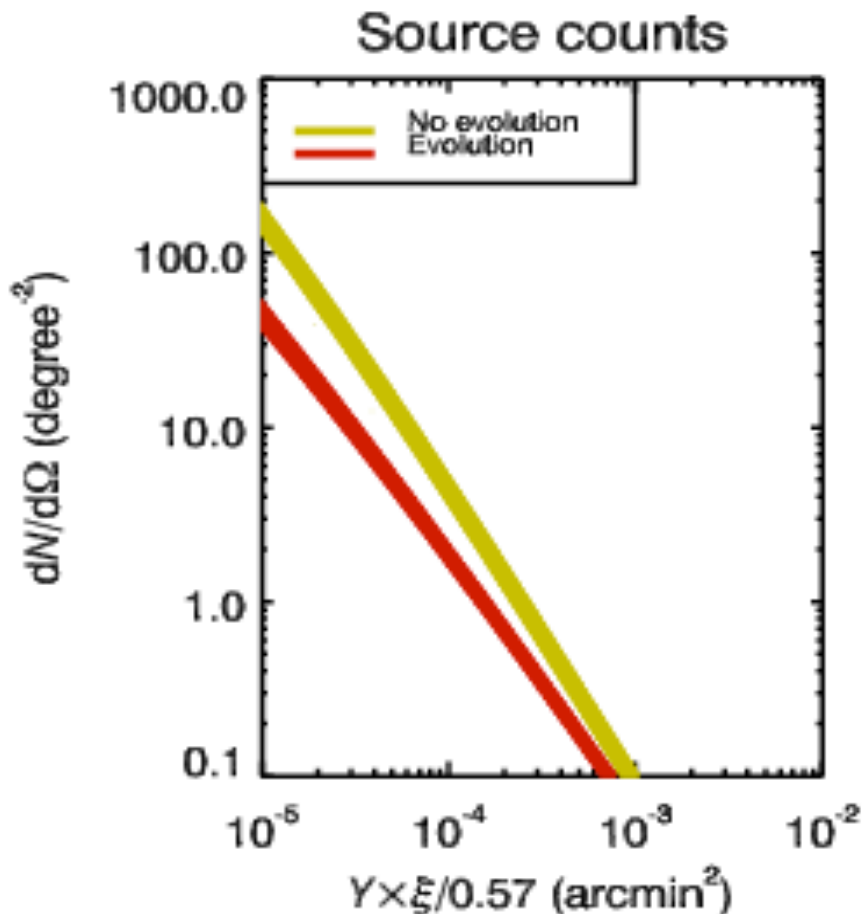
ASTROPHYSICAL EFFECTS CAN MIMIC COSMOLOGICAL TRENDS

cluster counts: SZE

Frieman et al. 2008
Carlstrom et al. 2002

QUANTIFYING EFFECTS OF ASTROPHYSICS VS. COSMOLOGY

REQUIRES GOOD UNDERSTANDING OF THE PHYSICS AND
HIGH FIDELITY SIMULATIONS



Canadian Cluster Comparison Project

“it’s good for the masses!”



CASCADIA TO CAPE TOWN
COMPUTATIONAL
COSMOLOGY
COLLABORATORY

