## How is cosmology like exoplanets?

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#### punchlines

- Probabilistic inference with a generative model beats any point estimate for accuracy and precision.
- When you don't know how to model your data, use the data to build the model; think *hierarchically*.
- You usually need to spend even more time modeling the things you *don't care about*—the noise—than the things you do—the signal.
- ► "Images → coadd → catalog → best-fit model → high-level conclusions" just won't work in many circumstances.
  - warnings for LSST and PanSTARRS and Gaia and ...

## principal collaborators

- Jo Bovy (IAS)
- Rob Fergus (NYU)
- Dan Foreman-Mackey (NYU)
- Jonathan Goodman (NYU)
- Joe Hennawi (MPIA)
- Rory Holmes (MPIA)
- Sergei Koposov (Cambridge)
- **Dustin Lang** (Princeton  $\rightarrow$  CMU)
- Hans-Walter Rix (MPIA)
- Sam Roweis (deceased)
- David Schiminovich (Columbia)

Vivi Tsalmantza (MPIA)

## Hogg's decadal survey

Money spent on *inference with real data* is much more productive, per dollar, than money spent on hardware or theory...

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## Hogg's decadal survey

- Money spent on *inference with real data* is much more productive, per dollar, than money spent on hardware or theory...
  - ... and will help us survive the collapse of NASA and NSF!

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## what is inference?

- ► I have some data **D**, I need to measure *x*.
- theoretically inspired arithmetic operations on the data?
- maximum-likelihood estimator?
- No: full likelihood function  $p(\mathbf{D}|x, \alpha)$
- And marginalize  $p(\mathbf{D}|x) = \int p(\mathbf{D}|x, \alpha) p(\alpha) \, \mathrm{d}\alpha$ 
  - like a rotation and projection of the data into the x space
  - as lossless as possible (there are theorems)
  - likelihoods can be combined with other likelihoods to correctly combine multiple data sets relevant to x.

## 1. Data-driven models

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- Each datum  $x_n$  has its own error  $\sigma_n$ , therefore
- each datum  $x_n$  is drawn from it's own, individual pdf  $p(x_n | \sigma_n, \theta)$ .
- Parameterize the true (zero-error) PDF with "hyperparameters" θ and
- find the hyperparameters that optimize the combined likelihood of *all the data*.

$$p(\{x_n\} \mid \theta) = \prod_n p(x_n \mid \sigma_n, \theta)$$
 (1)

- This is a form of *hierarchical inference*.
- Generalize to D dimensions.

## XDQSO (Bovy et al. 1011.6392): setup

► 2.2 < z < 3.5 quasars can be used to measure the baryon acoustic oscillation in the Lyman alpha forest</p>

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- SDSS-III BOSS
- quasars in this range look like stars in ugriz
- This is a hard supervised classification problem.

## XDQSO (Bovy et al. 1011.6392): results



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XDQSO (Bovy et al. 1011.6392): why do we win?

- We are data-driven.
- We use the errors correctly and account properly for missing data; we have a generative model.
- That is true for both the training data and the test data.
  - We can predict high S/N data using only low S/N data!
- ▶ We are extensible to new prior information or other data.
  - ► GALEX
  - UKIDSS
  - variability
- extreme-deconvolution
  - Bovy, Hogg, & Roweis (0905.2979)
  - it Just Works (tm)
  - C code with Python and IDL wrappers / interface
  - can handle large data sets with large numbers of dimensions
- SDSS-III BOSS core target selection

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- ► these are all *awesome*
- they require that test data have the same statistical and error properties as training data
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  - never true!
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  - never true!
  - (If you know enough about your data to fix this problem, then just write down a likelihood!)

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When you have a probabilistic generative model, generating the raw data, even *extremely low signal-to-noise data can be decisive*.

Catalogs are useless in this regime.

#### high contrast imaging (Fergus et al.): examples



data from the P1640 spectroscopic imaging coronograph (Oppenheimer *et al.*)

- Data are four dimensional: x, y,  $\lambda$ ,  $n_{exp}$ .
- Expect strong structure in the radius-wavelength plane.
- We have made the instrument an order of magnitude more sensitive, by software alone.

## high contrast imaging (Fergus et al.): eigenvectors

#### Eigenvectors



Wavelength

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## high contrast imaging (Fergus et al.): sensitivity



#### binary quasars (Tsalmantza et al. 1106.1180): example



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#### punchlines

- Probabilistic inference with a generative model beats any point estimate for accuracy and precision.
- When you don't know how to model your data, use the data to build the model; think *hierarchically*.
- You usually need to spend even more time modeling the things you *don't care about*—the noise—than the things you do—the signal.
- ► "Images → coadd → catalog → best-fit model → high-level conclusions" just won't work in many circumstances.
  - warnings for LSST and PanSTARRS and Gaia and ...

## 2. Foreground-background modeling

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GD-1 stream (Grillmair & Dionatos 2006 ApJL 643 L17–L20.)



Fig. 1.— Smoothed, summed weight image of the SDSS field after subtraction of a low-order polynomial surface fit. Darker areas indicate higher surface densities. The weight image has been smoothed with a Gaussian kernel with  $\sigma = 0.2^{\circ}$ . The white areas are either missing data, or clusters, or bright stars which have been masked out prior to analysis.

#### GD-1 stream (Koposov et al. 0907.1085): setup



Fig. 2.— Profile in stars with 0.15 < g - r < 0.41 18.1 < r < 19.85across the  $\phi_2 = 0$  axis. The dotted line shows the profile of stars of all stars with -70 <  $\phi_1$ [10. The solid line shows the weighted profile of stars -70 <  $\phi_1 < 10$  with weights depending on  $\phi_1$ . The Gaussian fit with 640 stars and signars—9's shown in red.



FIG. 3.— Color-color diagram of the stream. The metallicity according to the the Equation 4 from Ivezić et al. (2008) is [Fe/H]=-1.9\pm0.1

halo stars, and therefore the Ivezić et al. (2008) calibration is correct). We derive that  $[{\rm Fe}/{\rm H}]_{phot}{=}{-}1.9{\pm}$  0.1.

To derive the metallicity age and distance in a more

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#### mixture models

[on the board]

#### GD-1 stream (Koposov et al. 0907.1085): results



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#### GD-1 stream (Koposov et al. 0907.1085): results



#### GD-1 stream (Koposov et al. 0907.1085): lessons

- We got the first-ever six-dimensional map of an orbit in the Milky Way.
- If we had required hard classification of every star, we would have *failed*.
- We had to put more parameters into our *background model* than the stream!

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## self-calibration of imaging (Holmes, Rix, Hogg)



## self-calibration of imaging (Holmes, Rix, Hogg)



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## self-calibration of imaging

A good survey (Holmes *et al.*):

- every star appears in many images
- in different images, the star is in different places
- every image contains many stars
- A good model (Foreman-Mackey & Hogg):
  - every star has some probability of being variable (actually every star is variable with unknown amplitude)
  - every datapoint has some probability of being corrupted
  - calibrate without hard classification
  - mixture model is a marginalization over good-bad decisions
  - can recover many discarded SDSS-II Stripe 82 imaging runs

## exoplanets around red giants (Hou, Goodman, Hogg)



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exoplanets around red giants (Hou, Goodman, Hogg)

- stars (especially giants) have surface oscillations
- radial-velocity signal is a superposition of exoplanet and oscillations
- need methods to model stochastically driven, damped oscillators
  - > This is what *Gaussian Processes* are designed to do!
  - Also very appropriate for transits in the presence of *stochastic* intensity variations.

Inference is expensive. Suck it up.



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#### punchlines

- Probabilistic inference with a generative model beats any point estimate for accuracy and precision.
- When you don't know how to model your data, use the data to build the model; think *hierarchically*.
- You usually need to spend even more time modeling the things you *don't care about*—the noise—than the things you do—the signal.
- ► "Images → coadd → catalog → best-fit model → high-level conclusions" just won't work in many circumstances.
  - warnings for LSST and PanSTARRS and Gaia and ...

3. Catalogs are bad; unstacked images are good

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#### faint proper motions (Lang et al. 0808.4004): brown dwarf



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#### faint proper motions (Lang et al. 0808.4004): z > 6 QSO







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#### faint proper motions (Lang et al. 0808.4004): faint galaxy



star model (destavored,  $\Delta_k^{1/2} = 165$ ) galaxy model (desvored) ga

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#### faint proper motions (Lang et al. 0808.4004): defect



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faint proper motions (Lang et al. 0808.4004): lessons

- If we had only a catalog, we would have failed.
- If we had only a coadd, we would have failed.

## what's wrong with LSST and PanSTARRS?

- reducing data with point estimates
- building catalogs from "co-adds" with point estimates
- catalog matching
- ► All of these throw away information. Does it matter?

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Lang and I are betting it does: theTractor.org

## The Tractor (Lang et al.): data



## The *Tractor* (Lang *et al.*): model



#### punchlines

- Probabilistic inference with a generative model beats any point estimate for accuracy and precision.
- When you don't know how to model your data, use the data to build the model; think *hierarchically*.
- You usually need to spend even more time modeling the things you *don't care about*—the noise—than the things you do—the signal.
- ► "Images → coadd → catalog → best-fit model → high-level conclusions" just won't work in many circumstances.
  - warnings for LSST and PanSTARRS and Gaia and ...

[polemical backup slides]

### polemic: Weak lensing

- work very hard to make sensitive morphological measurements (think "ellipticities") on millions of galaxies
- then simply average in bins on the sky to make a shear map!
- Hierarchical inference beats averaging, provably.

$$p(\text{data} | \text{map}, \alpha) = \prod_{n} \int p(d_n | \text{map}, \alpha)$$
 (2)

$$p(d_n | \operatorname{map}, \alpha) = \int p(d_n | s_n, \operatorname{map}) p(s_n | \alpha) \, \mathrm{d}s_n \tag{3}$$

$$p(\text{data} | \alpha) = \int p(\text{data} | \text{map}, \alpha) p(\text{map}) d \text{map}$$
 (4)

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## polemic: The baryon acoustic feature

build galaxy catalog from noisy imaging and spectroscopy data

- build two-point function from catalog
- fit baryon acoustic feature to two-point function
- Can we write down the likelihood instead?
  - model the density field
  - model how galaxies populate that field
  - enormous marginalization
  - impossible? (e.g., Dodelson et al. 9712074)
- If we fail, will S/N rise with survey size?
  - certainly not guaranteed

## polemic: Missing data

- Most machine-learning methods hate missing data.
- Interpolation or data censoring (both very, very bad) are required.
- Any model that properly accounts for *uncertainty* also properly accounts for *missing data*.
  - Missing data is (extreme) uncertainty; uncertainty is (mild) missing data.

► If you have a justified generative model p(D<sub>n</sub>|ω<sub>n</sub>), you automatically deal with missing data.

polemic: Don't convolve your data, convolve your model!

- If you are uncertain about something (a redshift, a classification) so that you don't know which bin to put it in:
- Don't put a bit of your data point into each bin!
  - That re-convolves your noisy result with the noise again.

- Do put a bit of your distribution model into each bin.
  - That is, convolve your *model* for the object with the uncertainty.
  - Obvious, but frequently done wrong.

## polemic: Catalogs are dangerous (Hogg & Lang 1008.0738)

- No objects are detected or classified with perfect confidence.
- Different investigators have different objectives and priors.
- As new data become available, the balance will shift for many objects.

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- Catalogs become wrong, likelihood functions are forever.
  - and I mean *functions*, not optima