

Probing Fundamental Physics with CMB B-modes

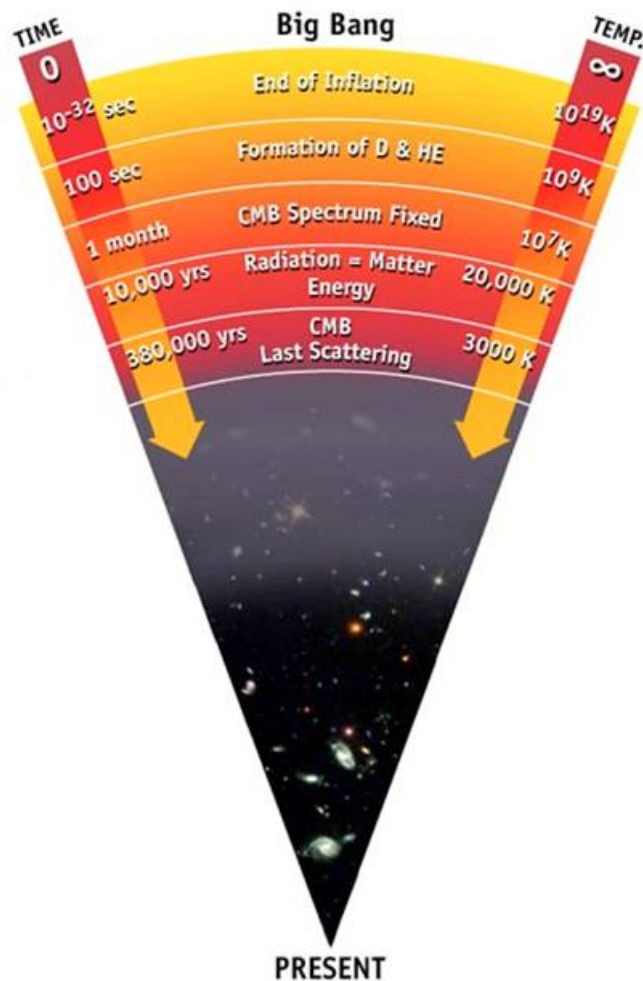
**Cora Dvorkin
Harvard University
(Hubble and ITC Fellow)**

The Primordial Universe After Planck

30th IAP Colloquium

December, 2014

Cosmic History

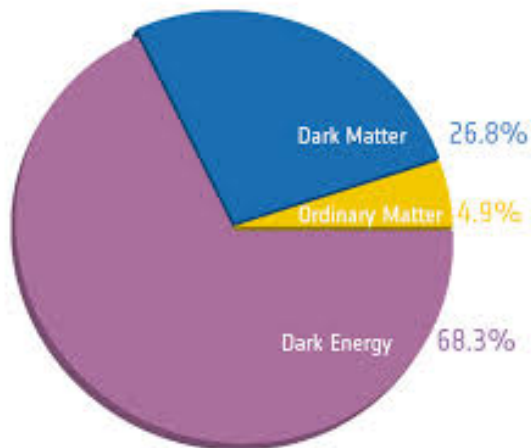


- The universe began as a **hot** and **dense** plasma of particles in thermal equilibrium.
- **Recombination** ($z \approx 1100$): $p^+ + e^- \rightarrow H$
Universe becomes transparent to CMB photons.

Photons mainly **freestream**.
- Radiation from first stars and quasars reionizes the universe ($z \approx 10-20$) and $\sim 10\%$ of the photons re-scatter.
- We observe these photons at $T \approx 2.725$ K.

Λ CDM: the “Standard” Model of Cosmology

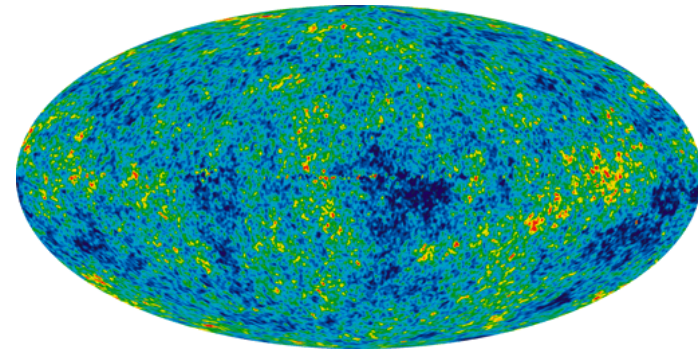
Homogeneous background



$$\Omega_b h^2, \Omega_c h^2, \Omega_\Lambda, \tau, \theta$$

- Baryonic matter: 5%
- Cold dark matter: 27%
- Dark energy: 68%

Perturbations

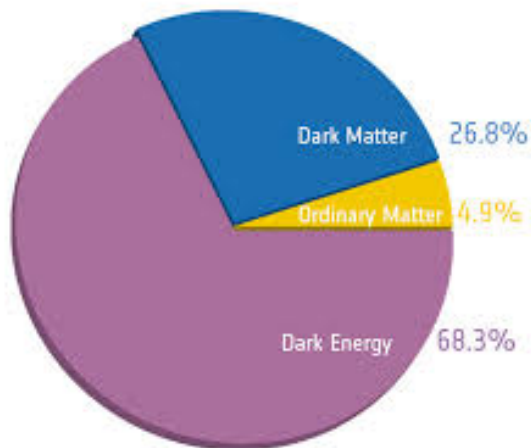


$$A_s, n_s$$

- Nearly scale-invariant
- Gaussian

Λ CDM: the “Standard” Model of Cosmology

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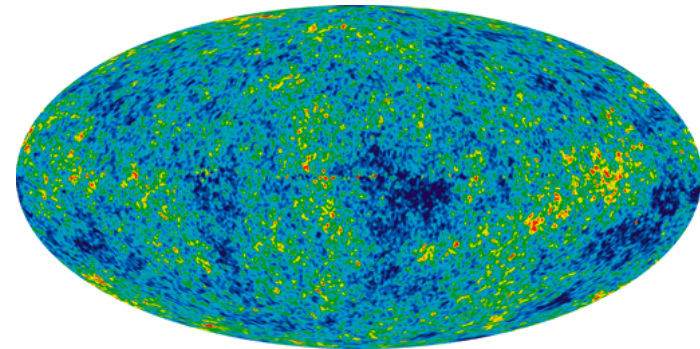


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$\Lambda?$ CDM?

Perturbations



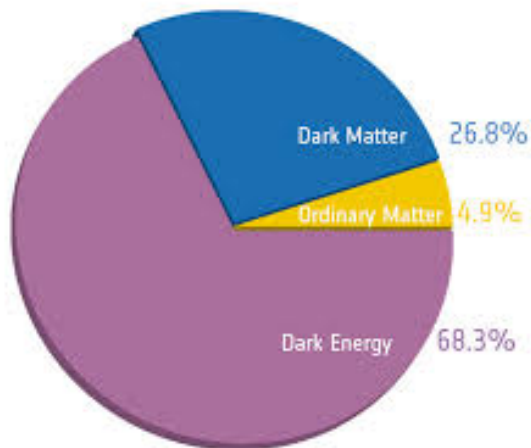
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Origin?

After March 2014 (BICEP2): Do we need new parameters in our Standard Model?

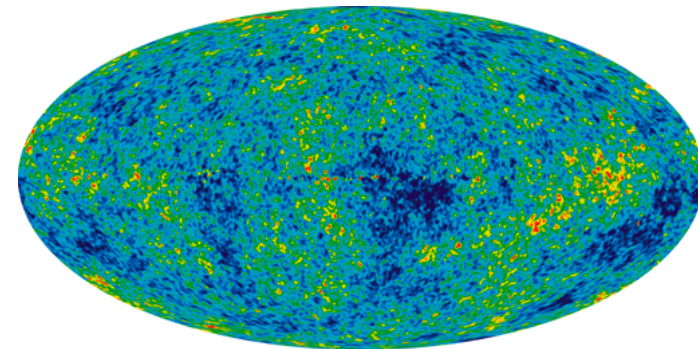
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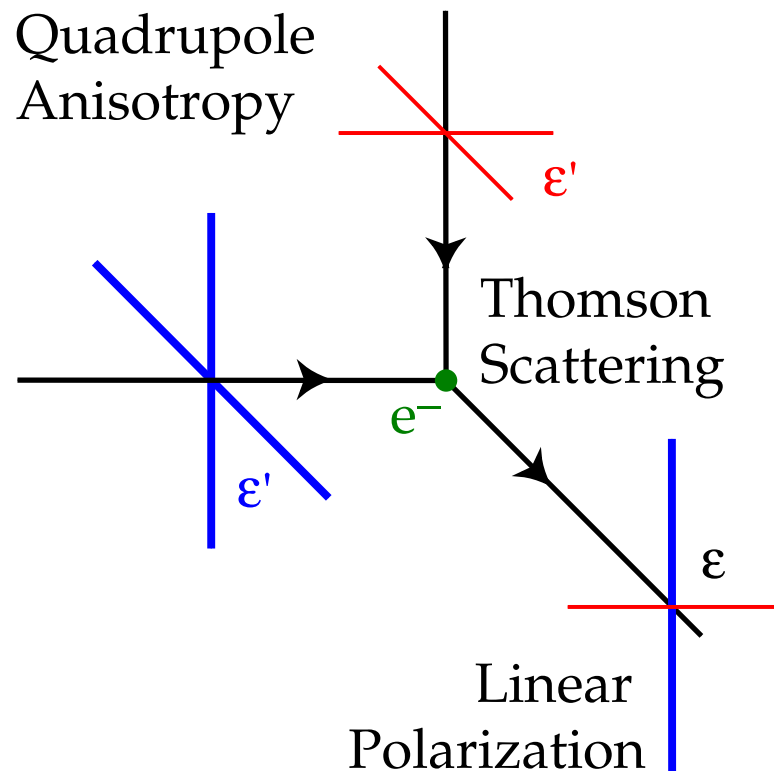
Perturbations



$$A_s, n_s, r, n_t?$$

- Nearly scale-invariant
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From Temperature Anisotropies to Polarization



Polarization is generated by Thomson scattering:

$$e^- \gamma \rightarrow e^- \gamma$$

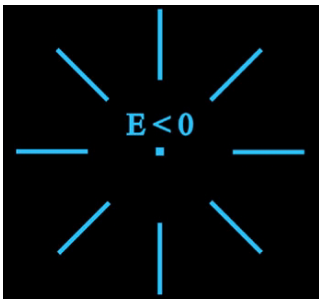
Local temperature quadrupole

⇒ Linear polarization

W. Hu & M.White

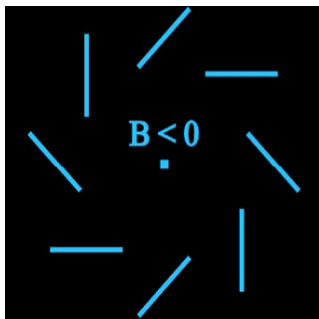
CMB polarization: E-B decomposition

Represent CMB polarization on the sky by a traceless symmetric tensor Π_{ab}



E-mode: “curl-free” field

$$\Pi_{ab} = \left(\nabla_a \nabla_b - \frac{1}{2} g_{ab} \nabla^2 \right) \phi$$



B-mode: “divergence-free” field



$$\Pi_{ab} = \left(\frac{1}{2} \epsilon_{ac} \nabla^c \nabla_b + \frac{1}{2} \epsilon_{bc} \nabla^c \nabla_a \right) \phi$$

This is the analog of the **gradient/curl decomposition** of a vector field

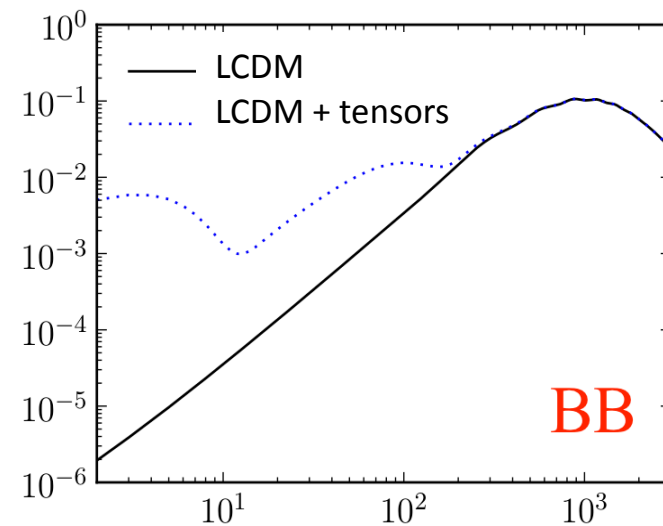
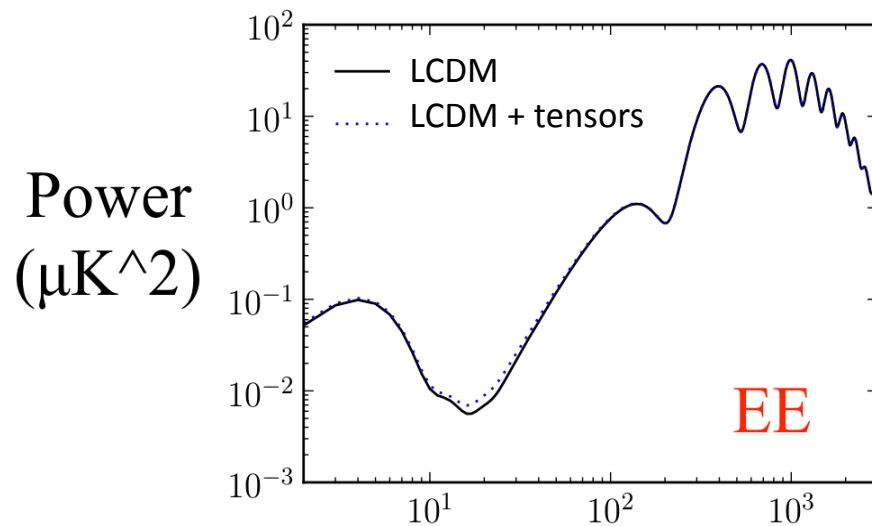
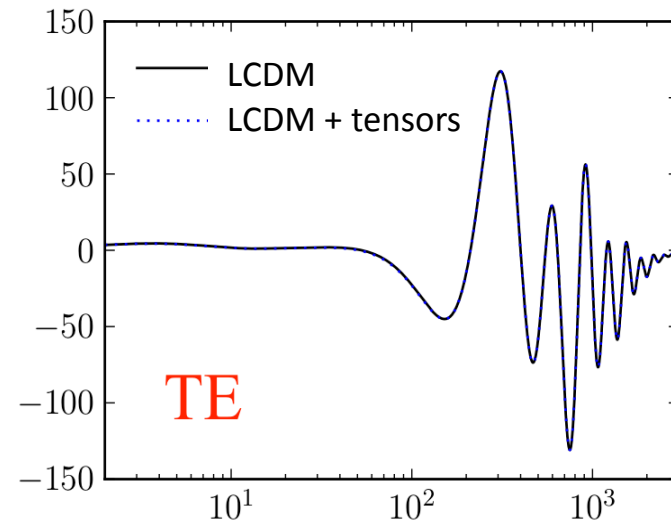
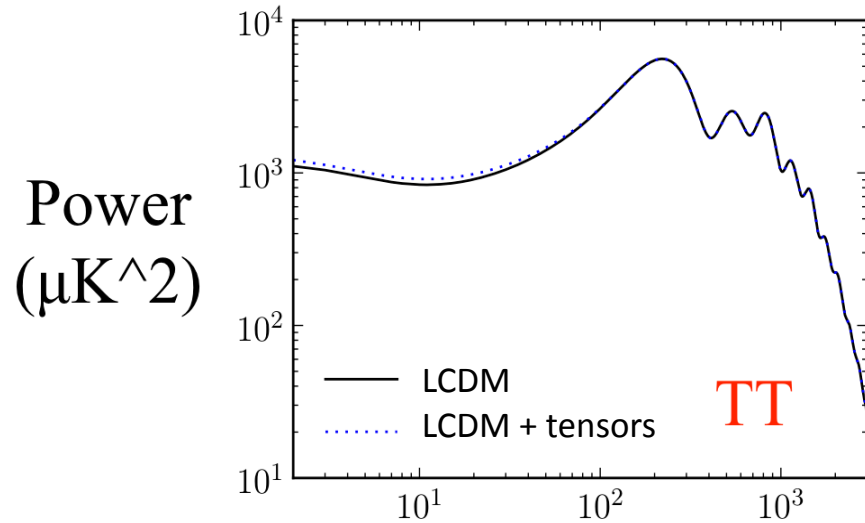
Generation of B-modes

Polarization is a spin-2 field: $(Q \pm iU)(\hat{\mathbf{n}}) \rightarrow e^{\mp i2\Psi} (Q \pm iU)(\hat{\mathbf{n}})$

$$(Q \pm iU)(\hat{\mathbf{n}}) = - \sum_{\ell m} (E_{\ell m} \pm iB_{\ell m})_{\pm 2} Y_{\ell m}(\hat{\mathbf{n}})$$

- Scalar sources + linear evolution  E-modes.
- Gravitational waves (distorting space-time and creating a CMB quadrupole) or non-linear evolution  B-modes.

How do primordial tensor modes affect the CMB temperature and polarization spectra?

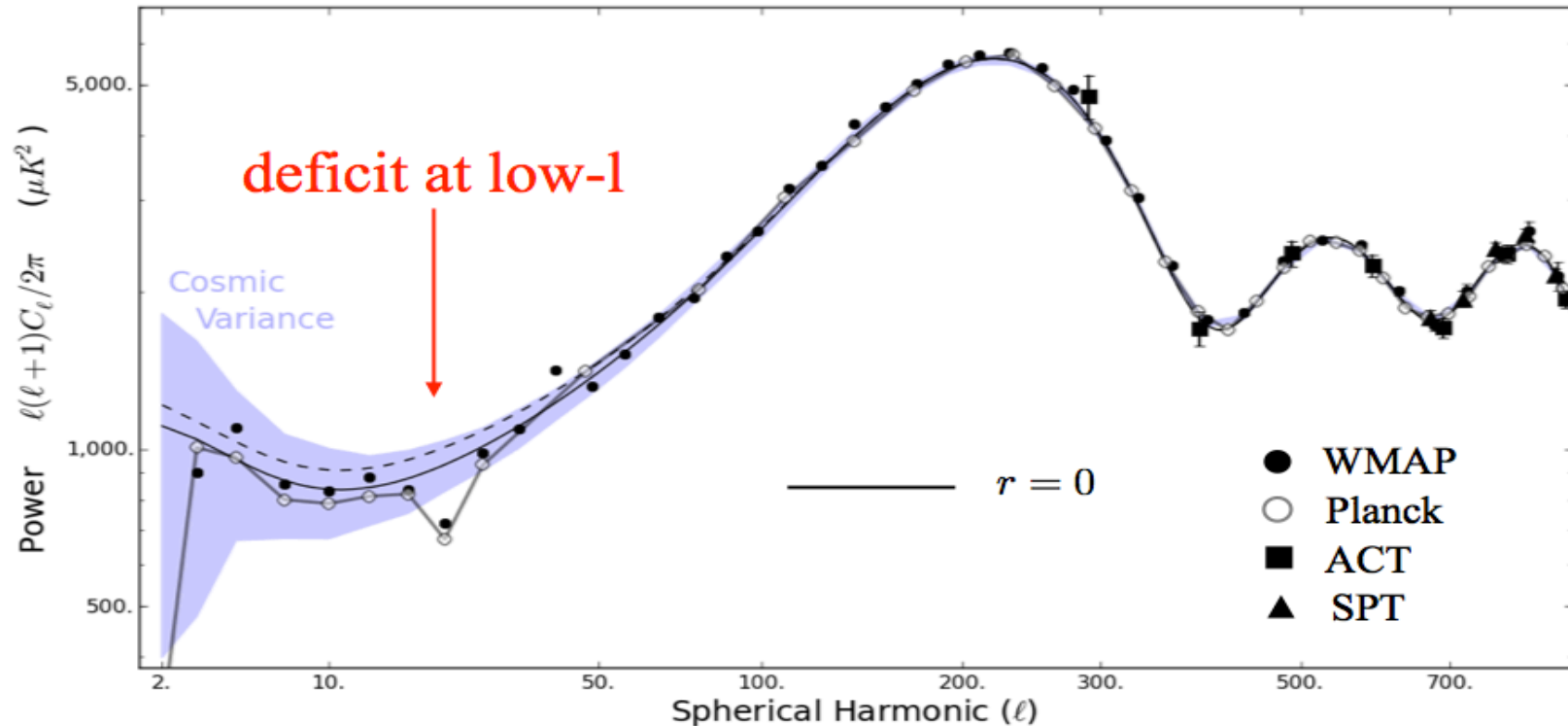


Multipole l

Multipole l

Limits on tensor modes from the temperature data

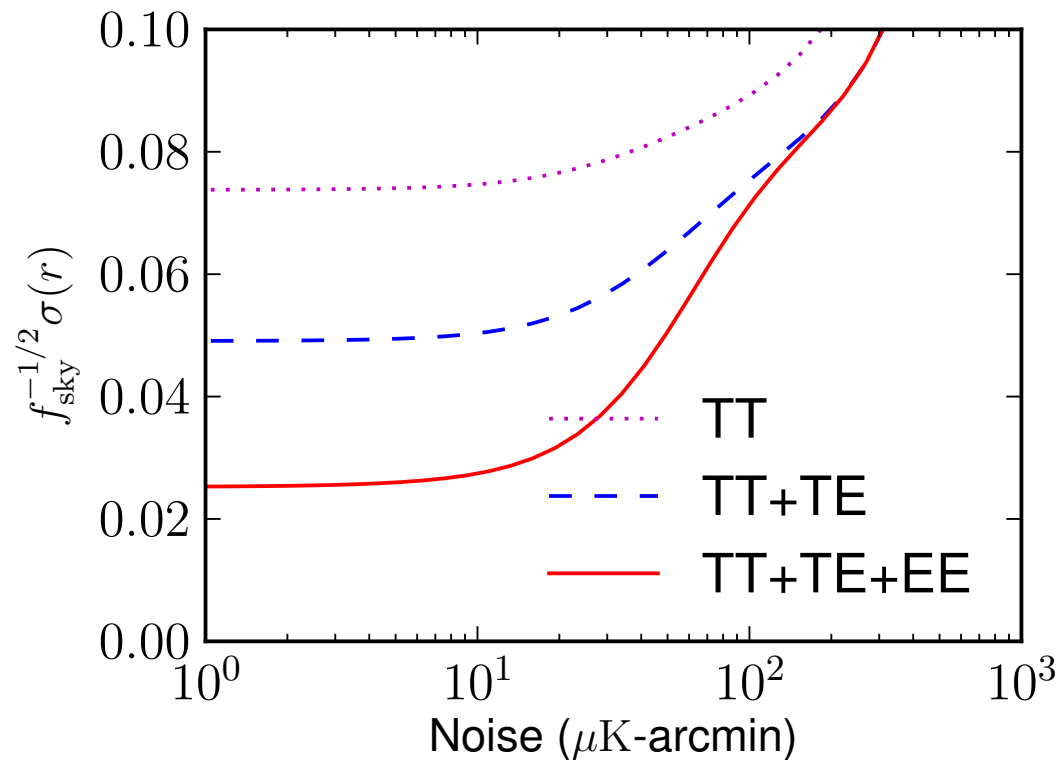
Tight constraint on the *tensor-to-scalar ratio* (r) from Planck temperature data:
 $r < 0.11$ (at the 95% CL).



K. M. Smith, C. Dvorkin, L. Boyle, N. Turok, M. Halpern, G. Hinshaw, B. Gold, PRL (2014)

Polarization Predictions

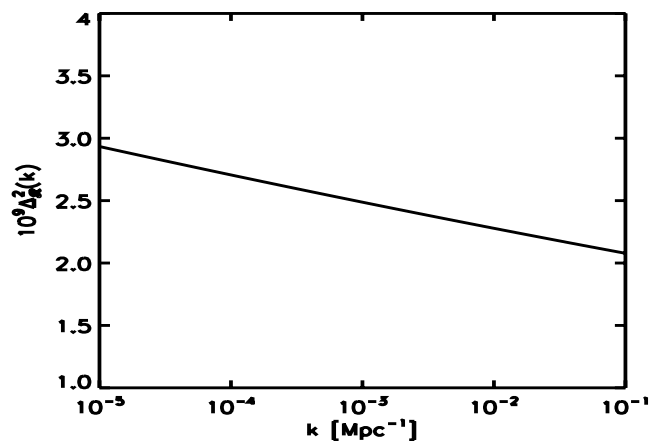
TE and EE are not yet very informative, but they will be soon (with Planck)



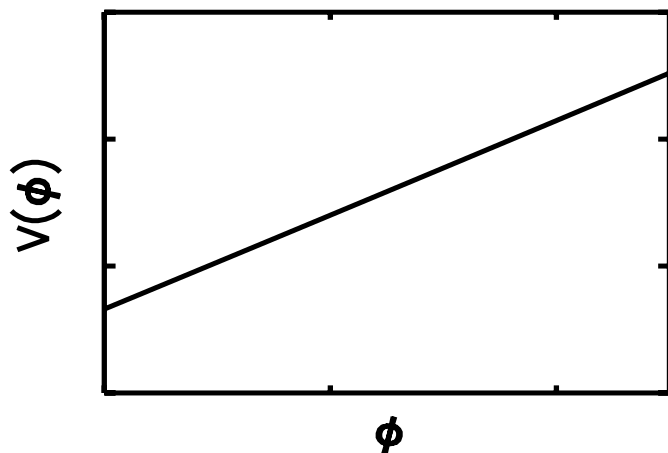
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Connecting Theory with Observations

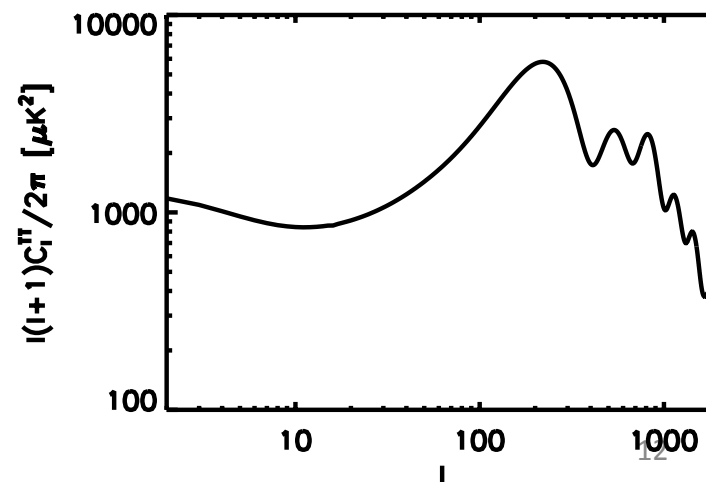
POWER SPECTRUM



INFLATIONARY POTENTIAL

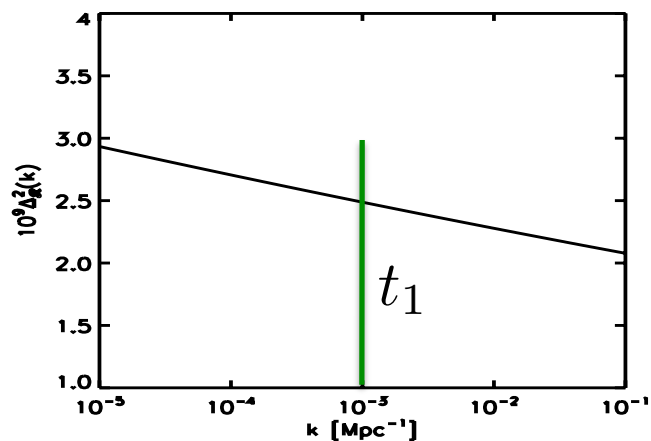


CMB POWER SPECTRUM

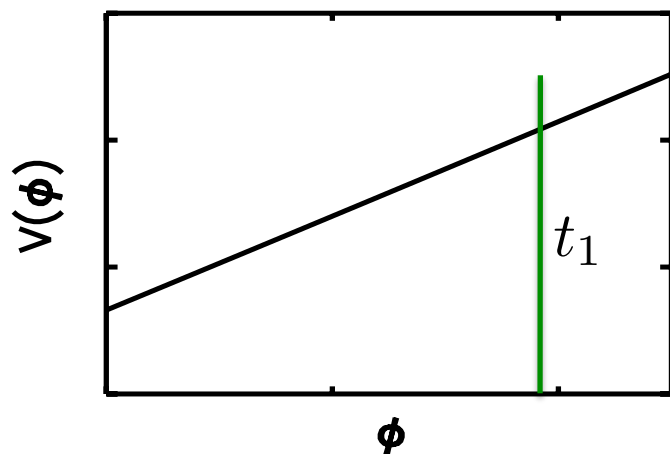


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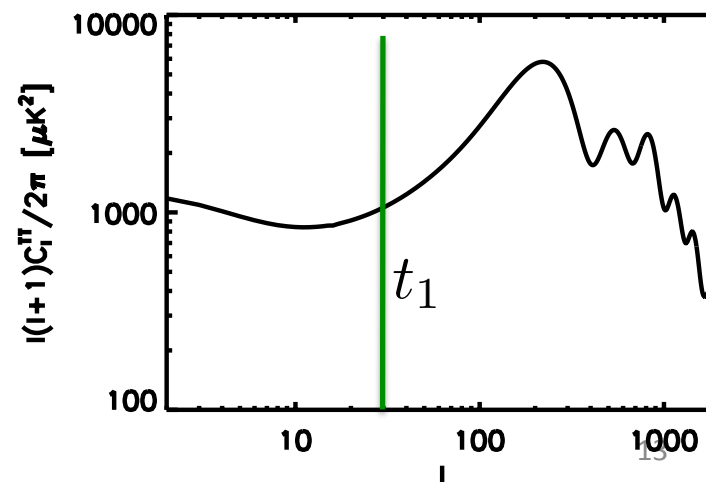
POWER SPECTRUM



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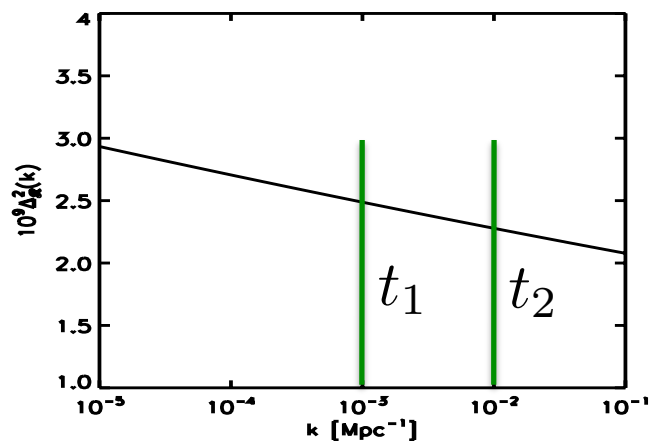


CMB POWER SPECTRUM

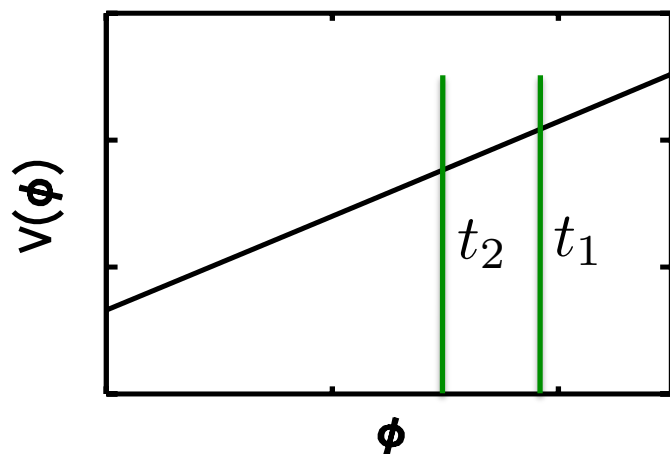


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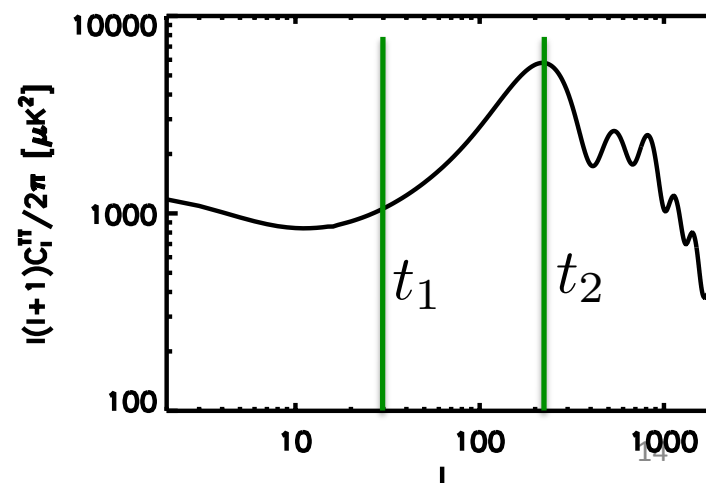
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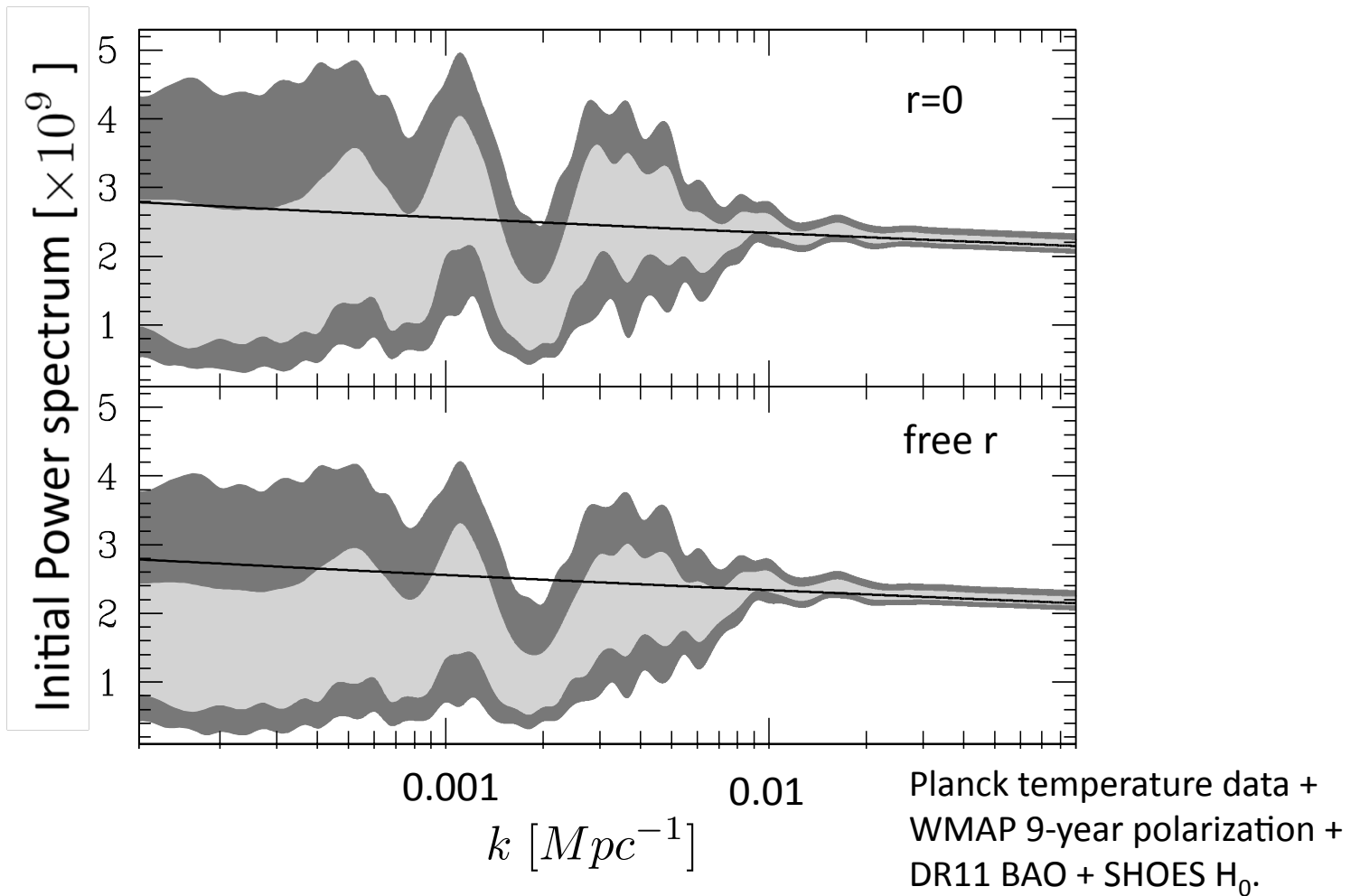
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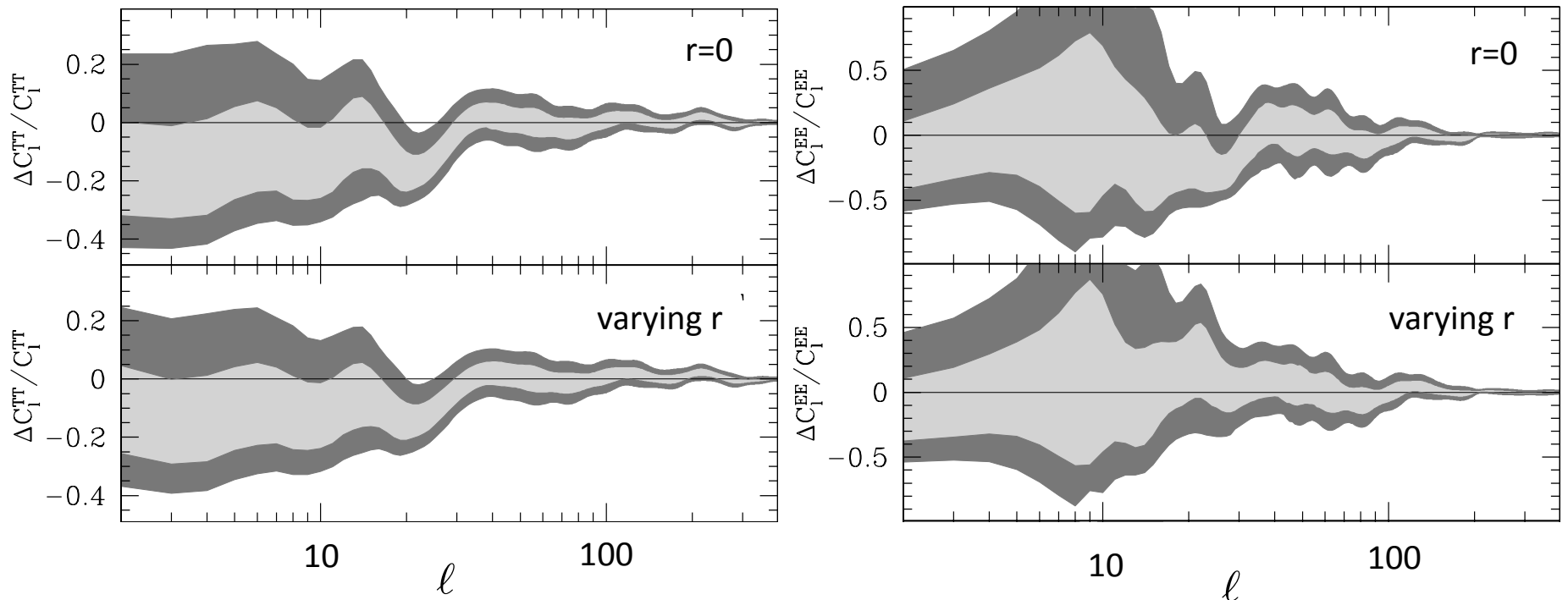


Primordial B-modes and Initial Curvature Power Spectrum reconstruction



V. Miranda, W. Hu, and C. Dvorkin, PRD submitted (2014)

Polarization Predictions



V. Miranda, W. Hu, and C. Dvorkin, PRD submitted (2014)

Testing the single-field slow-roll consistency relation

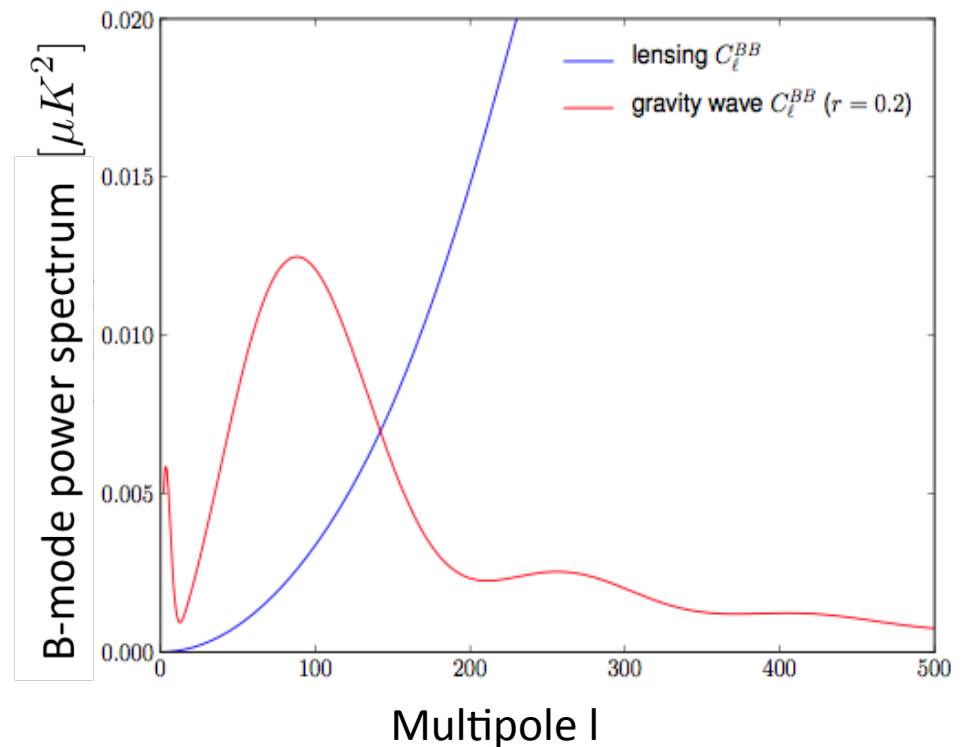
On CMB scales, the tensor power spectrum is predicted to be almost a power-law in most models of inflation:

$$\left(k^3 / 2\pi^2\right) P_T(k) = r \Delta_\zeta^2 \left(k/k_0\right)^{n_t}$$

Prediction from single-field slow-roll “consistency relation”:

$$n_t = -r/8$$

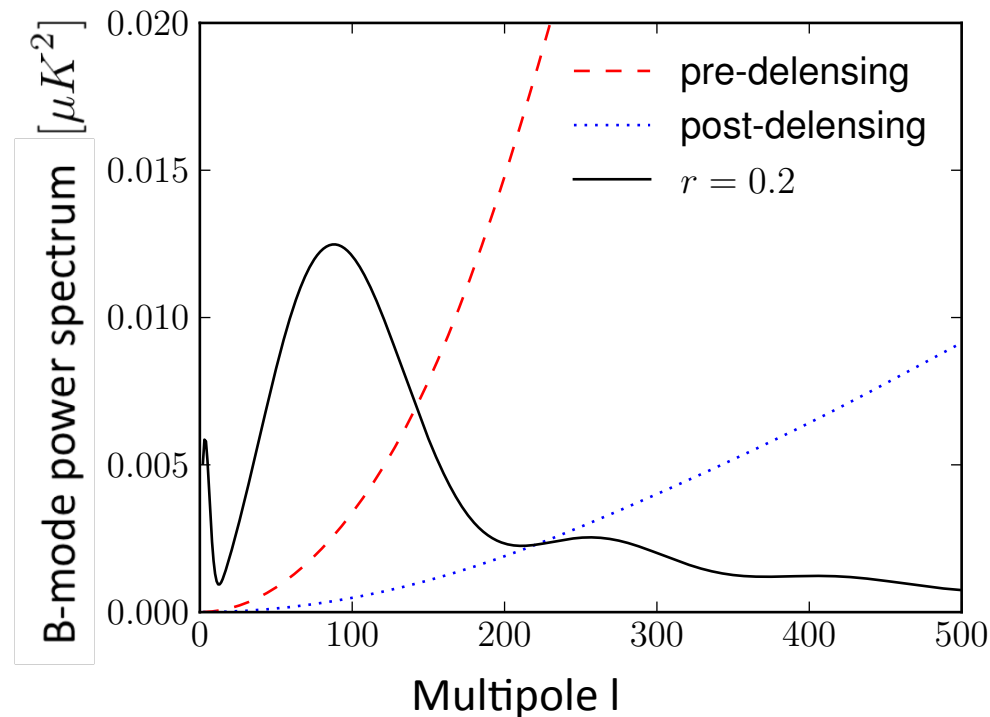
Relation between the amplitude and the tilt of the B-mode power spectrum.



Testing the single-field slow-roll consistency relation

“Delensing” is an algorithm that can separate the gravitational lensing B-modes (non-Gaussian) from the tensor B-modes (Gaussian), lowering the effective lensing. *U. Seljak and C. Hirata (2003)*

M. Kesden, A. Cooray and M. Kamionkowski (2003)

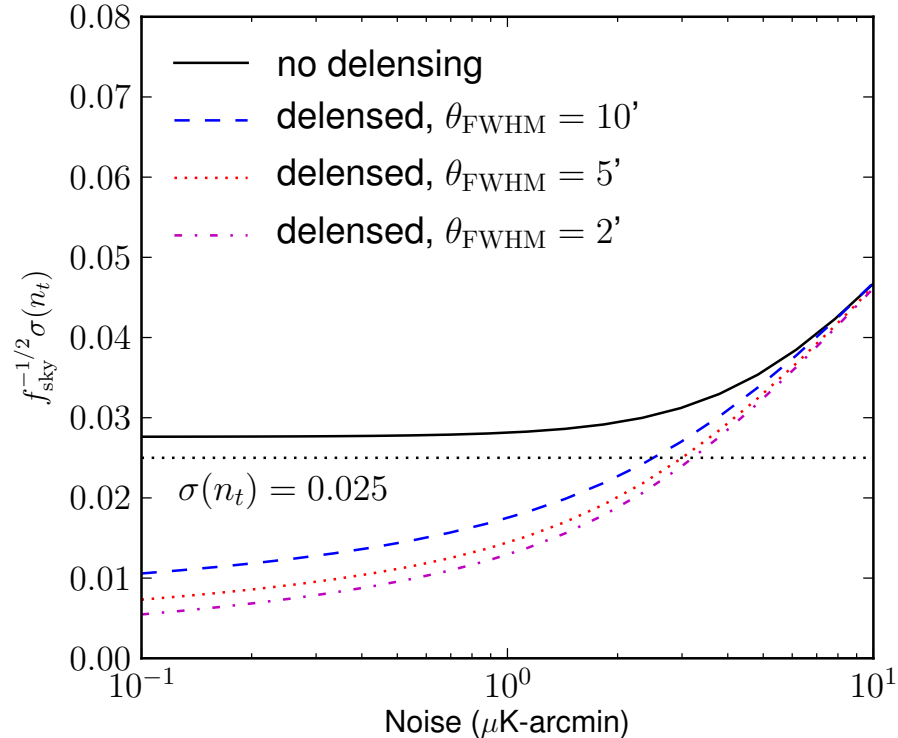


(see also Simard's poster)

L. Boyle, K. M. Smith, C. Dvorkin, N. Turok, submitted to PRL (2014)

Testing the single-field slow-roll consistency relation

We might be able to distinguish the consistency relation from scale invariance with a futuristic experiment such as the proposed “CMB Stage IV”.



↓
*W. Wu, J. Errard, C. Dvorkin,
C. L. Kuo, A. Lee, et al.,
ApJ (2014)*

L. Boyle, K. M. Smith, C. Dvorkin, N. Turok, submitted to PRL (2014)

How do we know if a B-mode measurement is primordial?

- Foregrounds/CMB can be separated by making observations at different frequencies.

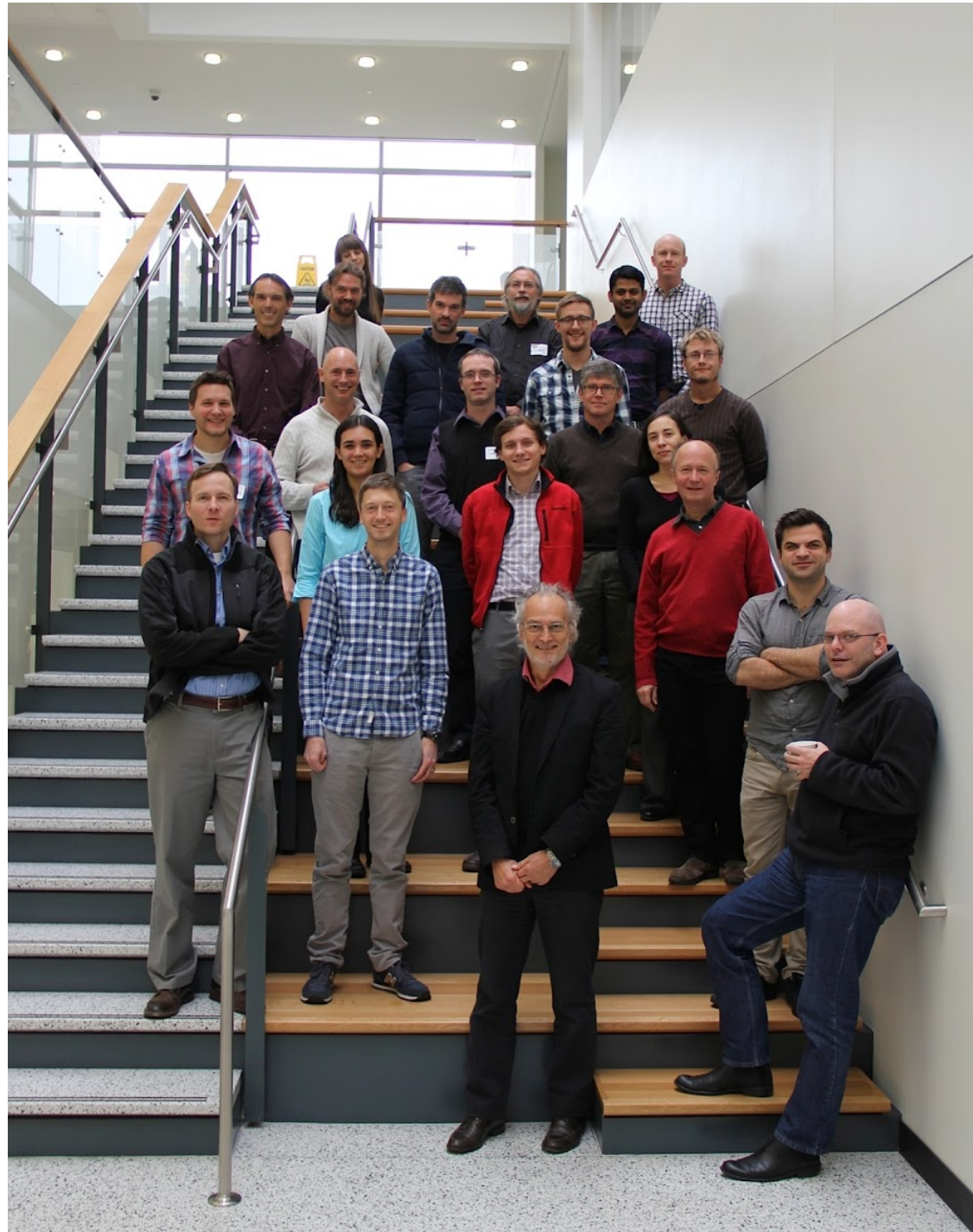
How do we know if a B-mode measurement is primordial?

- Foregrounds/CMB can be separated by making observations at different frequencies.

Is there a primordial signal in the BICEP2 measurement?

- The cross-correlation of BICEP2 and KECK maps with Planck maps at different frequencies will help to shed light on this question.

Analysis to appear very soon!



Conclusions and Future Directions

- Using Cosmic Microwave Background observations, we learned that our Universe can be described by a simple model (“ Λ CDM”).
- A primordial B-mode signal encodes a wealth of information about the physics of the very early universe:
 - The amplitude of the signal is directly related to the energy scale of inflation.
 - The shape of the signal could test the basic assumptions of single-field and slow-roll inflation (this would require “delensing” algorithms and an experiment such as the proposed “CMB Stage IV”).
 - A primordial B-mode signal would make the observed suppression in the initial curvature power spectrum even more pronounced. Predictions for the E-mode polarization could shed light on the origin of this suppression.
- A very difficult B-mode detection has been recently made. An important question remains: Is there a primordial signal buried under this measurement? (analysis to appear soon).