

New results on sub-Chandrasekhar mass explosions of White Dwarfs

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XXVIth IAP Annual Colloquium
Paris 28.06.-02.07.2010



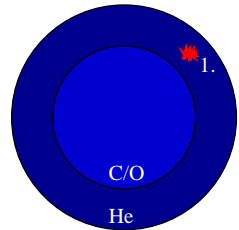
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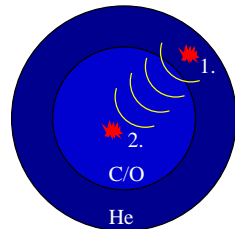
The double detonation scenario

- CO WD accretes He from a He-rich companion star
- He flash triggers a detonation in the shell



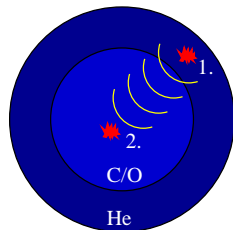
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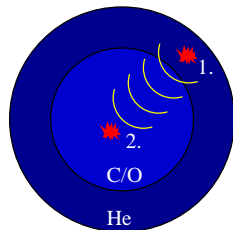
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- + WD mass direct parameter to explain range of observed ^{56}Ni yields
- + Progenitors should be frequent
- + Possible link to stellar population

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- + WD mass direct parameter to explain range of observed ^{56}Ni yields
- + Progenitors should be frequent
- + Possible link to stellar population
- Robustness of core ignition
- Problems in fitting observational data (Höfllich & Khokhlov 1996, Nugent et al. 1997)

New hydro simulations

- Less massive helium shells than previously thought may detonate (Bildsten et al. 2007)
- Can these shell detonations trigger core detonations?

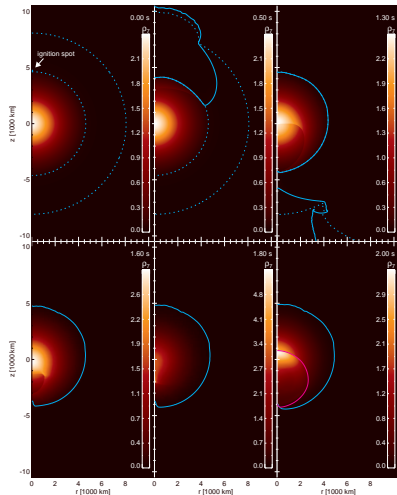
New hydro simulations

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- Fink et al. (2010) investigate six models

Model	$M_{\text{tot}} / M_{\odot}$	$M_{\text{core}} / M_{\odot}$	$M_{\text{shell}} / M_{\odot}$
1	0.936	0.810	0.126
2	1.004	0.920	0.084
3	1.080	1.025	0.055
4	1.164	1.125	0.039
5	1.293	1.280	0.013
6	1.389	1.385	0.004

New hydro simulations

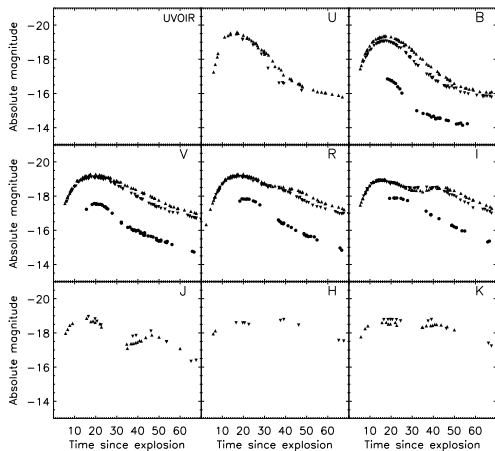
- Less massive helium shells than previously thought may detonate (Bildsten et al. 2007)
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- Fink et al. (2010) investigate six models
 - Surface reduction increases shock strength
 - All models successfully ignite a detonation in the C/O core



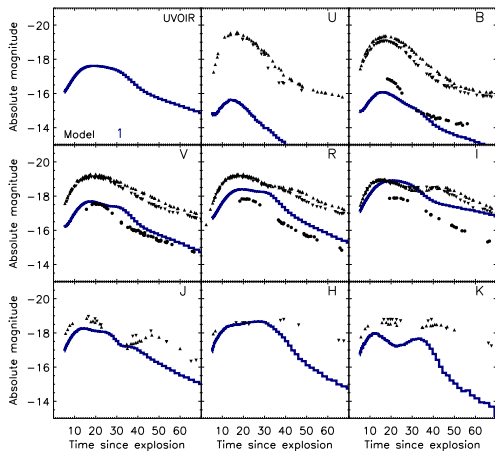
Now calculate synthetic observables for these models applying the ARTIS code (Kromer & Sim 2009, Sim 2007)

- Multi-wavelength: γ to NIR
 - Time-dependent
 - Fully 3D
 - Detailed solution of ionisation and thermal balance equation
 - Detailed treatment of radiation/matter interactions
- ⇒ Parameter-free prediction of synthetic observables

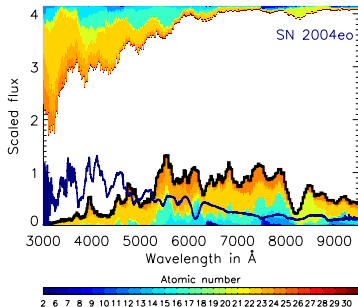
Synthetic observables (Kromer et al., ApJ in press)



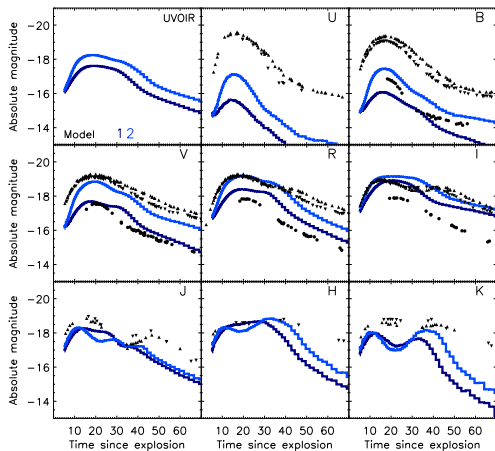
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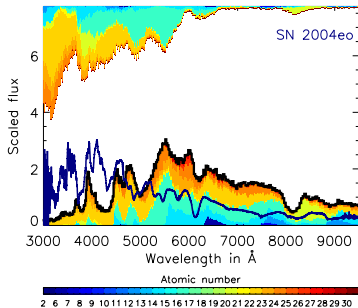
Model 1	Core	Shell
M	0.810	0.126
$M(^{56}\text{Ni})$	1.7×10^{-1}	8.4×10^{-4}
$M(\text{Ti})$	3.9×10^{-4}	1.1×10^{-2}
$M(\text{Si})$	2.7×10^{-1}	4.8×10^{-4}



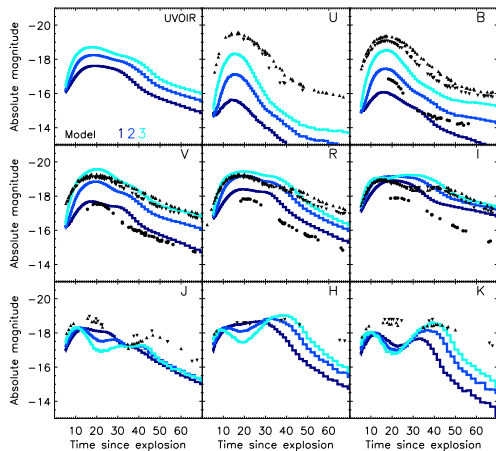
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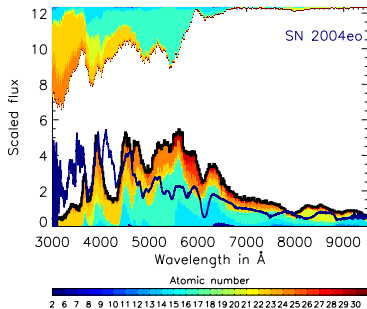
Model 2	Core	Shell
M	0.920	0.084
$M(^{56}\text{Ni})$	3.4×10^{-1}	1.1×10^{-3}
$M(\text{Ti})$	4.6×10^{-4}	7.8×10^{-3}
$M(\text{Si})$	2.5×10^{-1}	2.5×10^{-4}



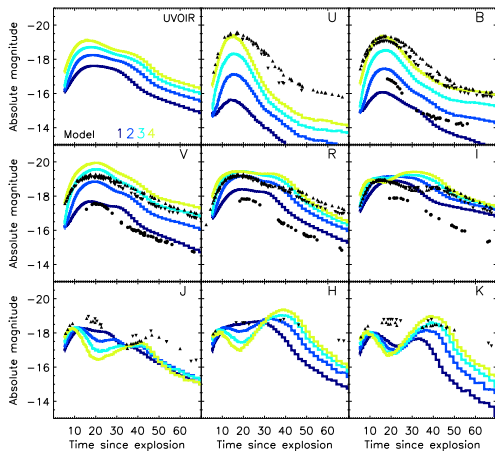
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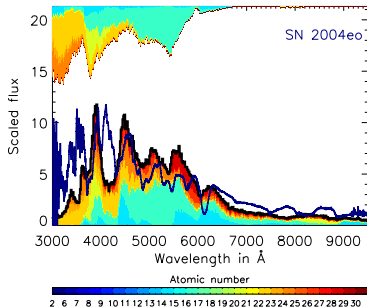
Model 3	Core	Shell
M	1.025	0.055
$M(^{56}\text{Ni})$	5.5×10^{-1}	1.7×10^{-3}
$M(\text{Ti})$	4.5×10^{-4}	4.4×10^{-3}
$M(\text{Si})$	2.1×10^{-1}	1.4×10^{-4}



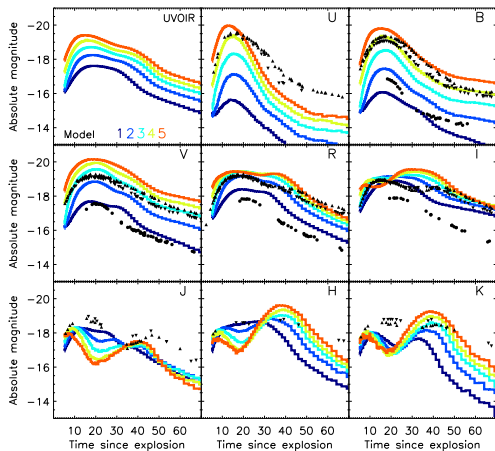
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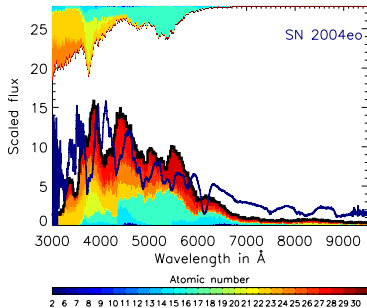
Model 4	Core	Shell
M	1.125	0.039
$M(^{56}\text{Ni})$	7.8×10^{-1}	4.4×10^{-3}
$M(\text{Ti})$	3.8×10^{-4}	2.2×10^{-3}
$M(\text{Si})$	1.4×10^{-1}	4.7×10^{-4}



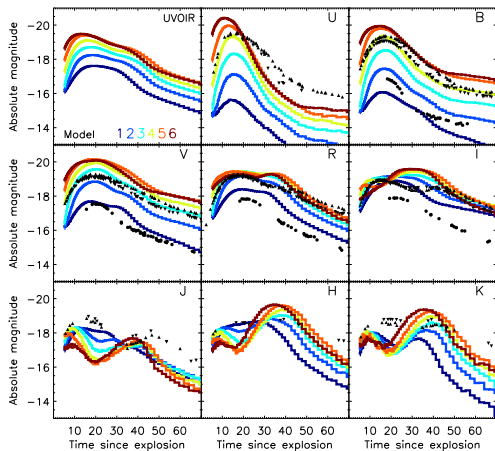
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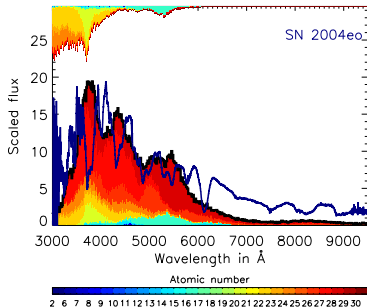
Model 5	Core	Shell
M	1.280	0.013
$M(^{56}\text{Ni})$	1.05	1.5×10^{-3}
$M(\text{Ti})$	2.1×10^{-4}	6.8×10^{-4}
$M(\text{Si})$	6.1×10^{-2}	1.6×10^{-4}



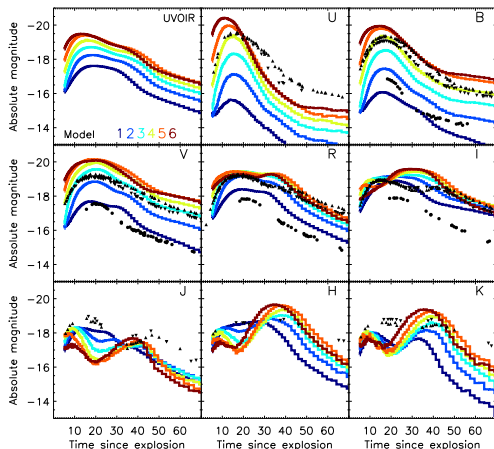
Synthetic observables (Kromer et al., ApJ in press)



Model 6	Core	Shell
M	1.385	0.004
$M(^{56}\text{Ni})$	1.10	5.7×10^{-4}
$M(\text{Ti})$	7.1×10^{-5}	1.5×10^{-4}
$M(\text{Si})$	1.5×10^{-2}	1.3×10^{-4}



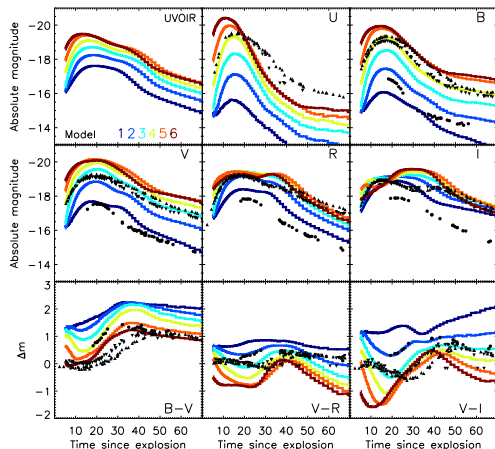
Synthetic observables (Kromer et al., ApJ in press)



Promising models

- + Populate a large range in brightness
- + Despite low mass, time-evolution OK

Synthetic observables (Kromer et al., ApJ in press)



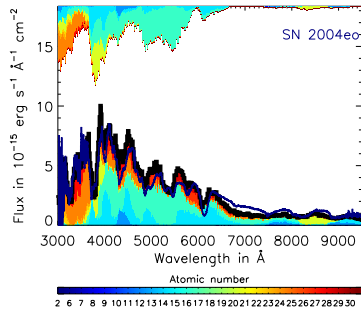
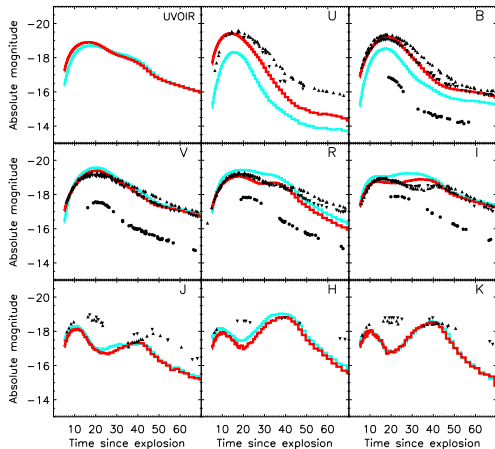
Promising models

- + Populate a large range in brightness
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Problems

- Peculiar light curves and spectra
- Colours too red

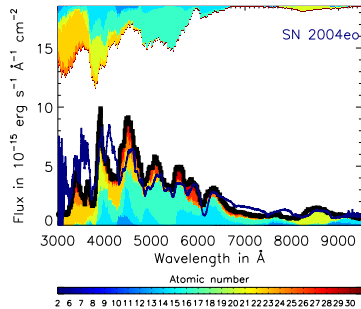
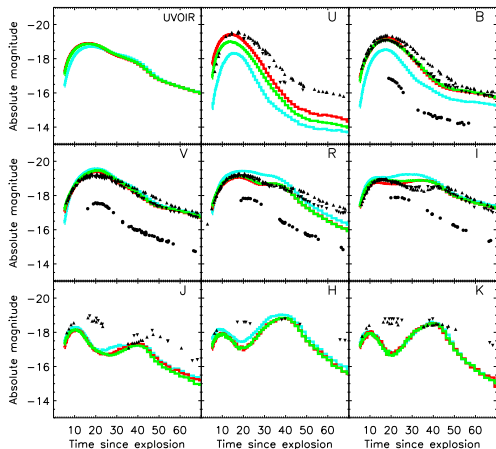
Influence of the helium shell



Model 3

Shell-less toy version of Model 3

Prospects: modifying the initial shell composition



Model 3

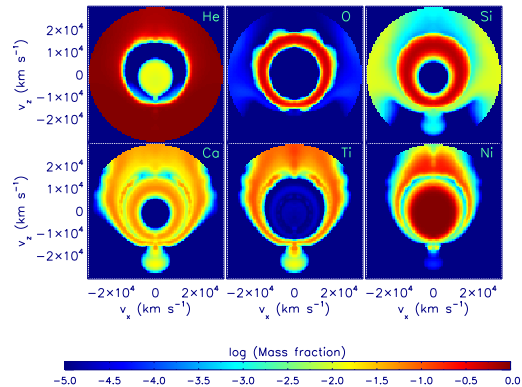
Shell-less toy version of Model 3

Model 3, initially 34 % ^{12}C in shell

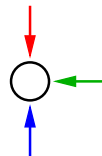
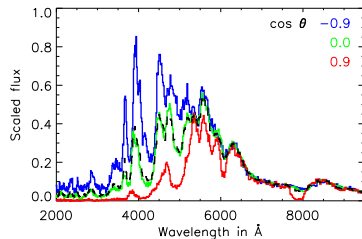
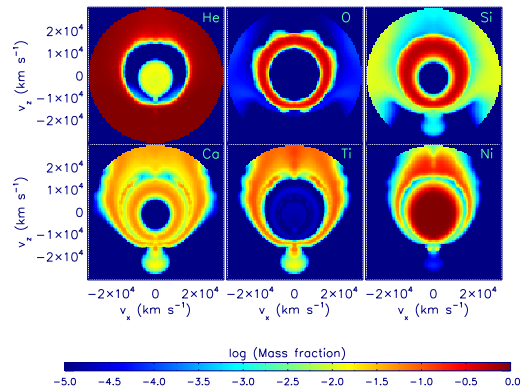
Summary

- Secondary core detonation ignites even for minimum helium shell masses (Fink et al. 2010)
- Models predict correct range of brightness and rise times (Kromer et al. arXiv:1006.4489)
- However, spectral features and colours do not agree
- Origin of this discrepancy is the helium shell material
- Tiny amounts of iron-group elements in outer layers cause severe problems
- Nucleosynthesis?
- Radiative transfer?

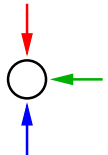
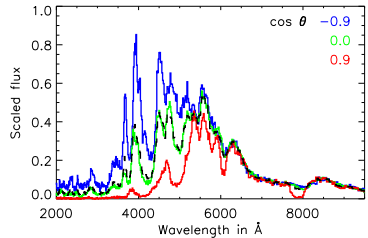
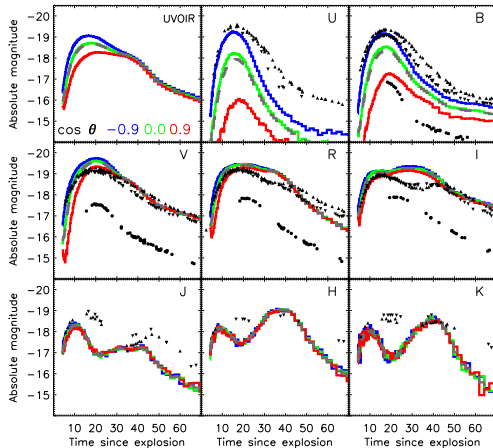
Model 3 as an example for line-of-sight effects



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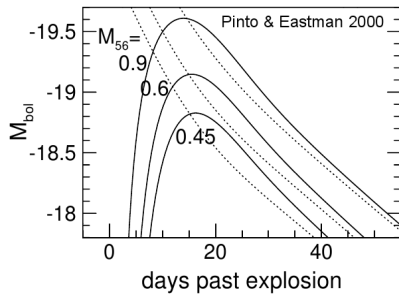


Model 3 as an example for line-of-sight effects

Sim et al. (2010) investigated pure detonations of naked sub-Chandrasekhar mass WDs

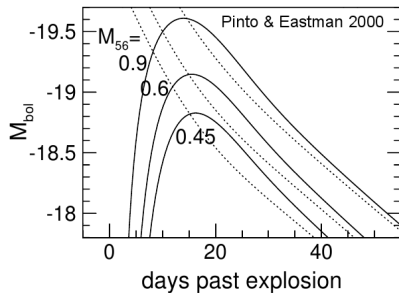
- Set of 1D models ($0.88 - 1.15 M_{\odot}$)
- Hydrodynamics, nucleosynthesis and radiative transfer
- Compared to observed SNe Ia the models explain
 - Range of brightness
 - Rise times
 - Colours
 - Silicon-line ratio
 - Velocity evolution of silicon lines
 - Width-luminosity relation

Outline of the problem



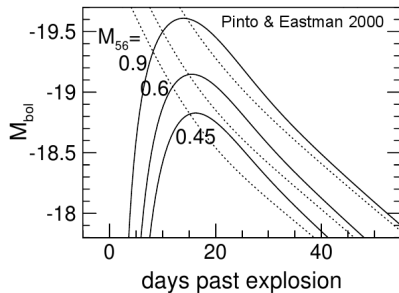
Outline of the problem

- Multi-wavelength



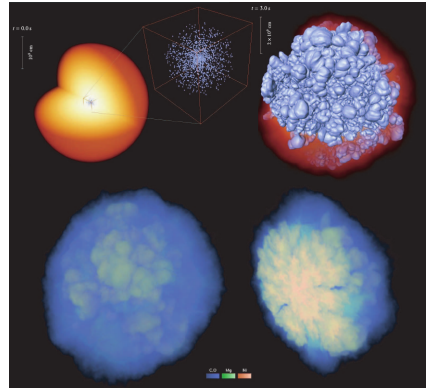
Outline of the problem

- Multi-wavelength
- Time-dependent



Outline of the problem

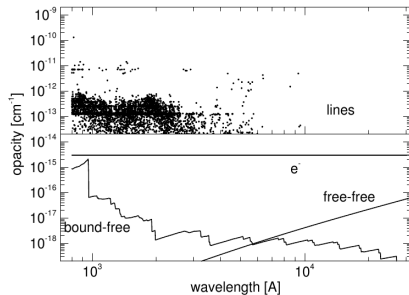
- Multi-wavelength
- Time-dependent
- Multi-dimensional



Röpke et al. 2007

Outline of the problem

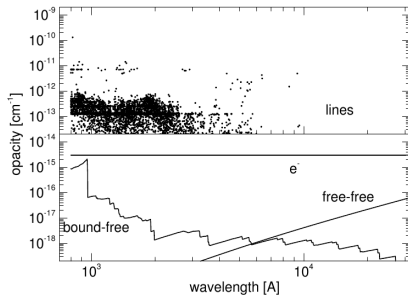
- Multi-wavelength
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- Multi-dimensional
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Pinto & Eastman 2000

Outline of the problem

- Multi-wavelength
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- Multi-dimensional
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- Non-LTE effects important



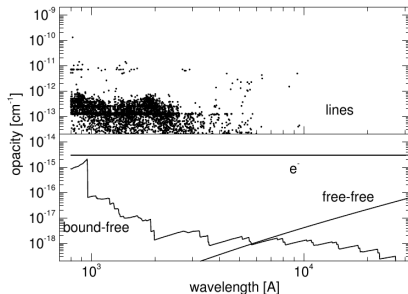
Pinto & Eastman 2000

Outline of the problem

- Multi-wavelength
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- Non-LTE effects important

But some simplifications

- Homologous expansion
- Sobolev approximation
- Statistical and thermal equilibrium

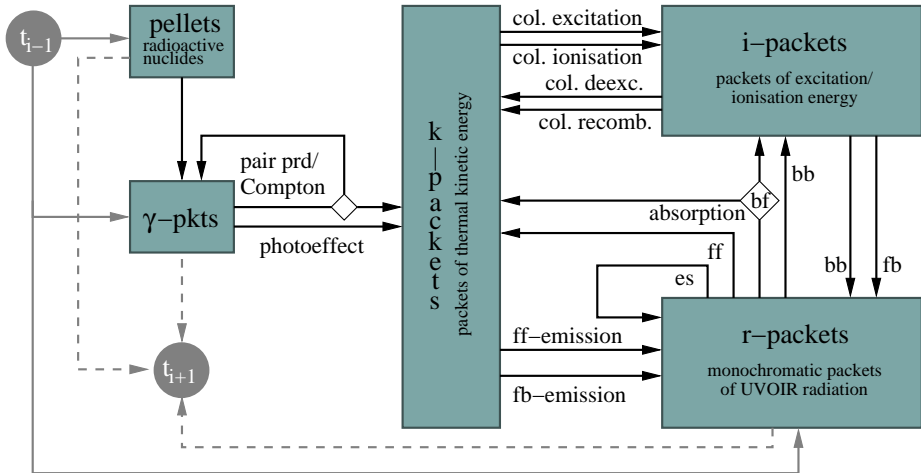


Pinto & Eastman 2000

Monte Carlo method

- Based on quantized energy flow: energy packets
- Follow the packets propagation through the ejecta
- Microphysical description of radiation/matter interactions
 - ⇒ Purely local
 - ⇒ Suitable for complex geometries & time-dependence
- Extract spectra and light curves by binning of escaping packets
- Use **indivisible energy packets** (Abbott & Lucy 1985; Mazzali & Lucy 1993; Lucy 1999, 2005)
 - ⇒ Implicit energy conservation
 - ⇒ Statistical and thermal equilibrium enforceable (Lucy 2002, 2003)

The framework of ARTIS (Kromer & Sim 2009)



Calculation of transition probabilities requires

- 1 Specification of atomic data
- 2 Population numbers (excitation/ionization state of the plasma)
- 3 Local radiation field J_ν

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 - Complete set of NLTE rate equations too expensive
 - Instead approximate NLTE treatment (**detailed**)
 - Consistent solution of photoionization and thermal balance
 - Boltzmann excitation formula
 - For comparison: LTE treatment (**simple**)
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 - Extractable from MC simulation, but computationally prohibitive
 - Nebular approximation for **detailed** treatment: $J_\nu = WB_\nu(T_R)$
 - Black body approximation for **simple** treatment: $J_\nu = B_\nu(T_J)$

Excitation/ionisation treatment

- **detailed** solution of the **ionisation balance**
 - assume photoionisation equilibrium

$$\frac{N_{j,k}}{N_{j+1,k} n_e} = \frac{\alpha_{j,k}^{\text{SP}}}{\Gamma_{j,k}}$$

- derive $\Gamma_{j,k}$ from Monte Carlo simulation

$$\Gamma_{j,k} \equiv \frac{g_{0,j,k}}{U_{j,k} n_{0,j,k}} \cdot \sum_{i=0}^{\mathcal{N}_{j,k}} n_{i,j,k} \gamma_{i,j,k}$$

- simultaneous solution of the **thermal balance** equation $\Rightarrow T_e$
 - heating rates from Monte Carlo simulation
 - cooling rates evaluated at T_e
- use **Boltzmann formula** evaluated at $T_J = \frac{\pi}{\sigma^4} \langle J \rangle$ for excitation

Radiation field

- exact radiation field extractable by Monte Carlo estimators

$$J_\nu d\nu = \frac{1}{4\pi\Delta tV} \sum_{d\nu} \epsilon_\nu^{\text{cmf}} d\mathbf{s}$$

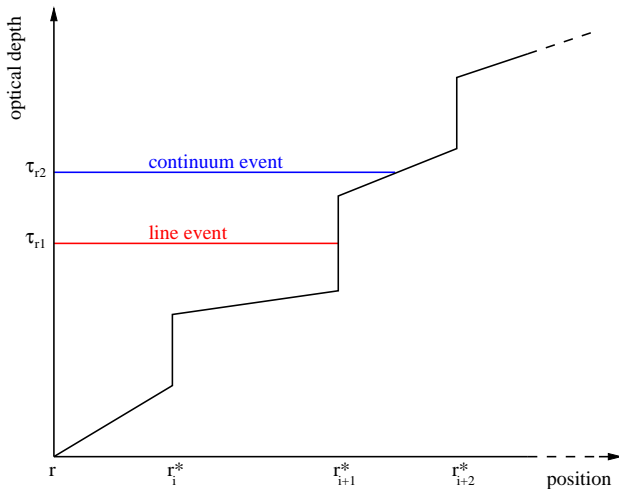
- *but*: computationally prohibitive
- ⇒ parameterise local radiation field in **nebular approximation**

$$J_\nu = W \cdot B_\nu(T_R)$$

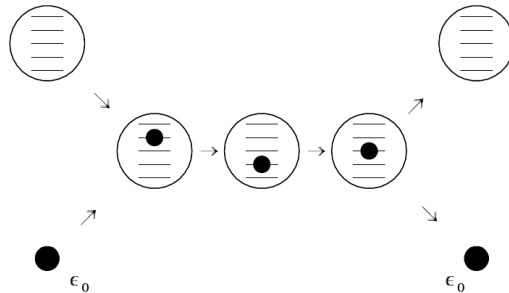
dilution factor W and radiation temperature T_R defined as

$$W = \frac{\pi}{\sigma T_R^4} \langle J \rangle \quad T_R = \frac{h \langle \nu \rangle}{3.832 k_B}$$

Selecting the next event

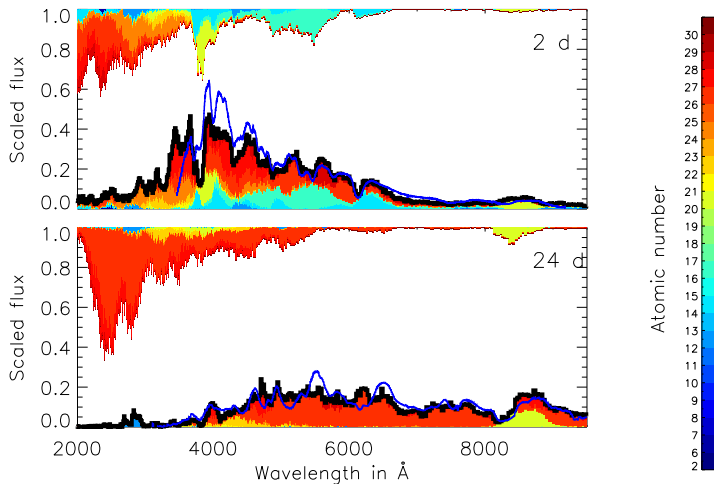


Macro atom formalism

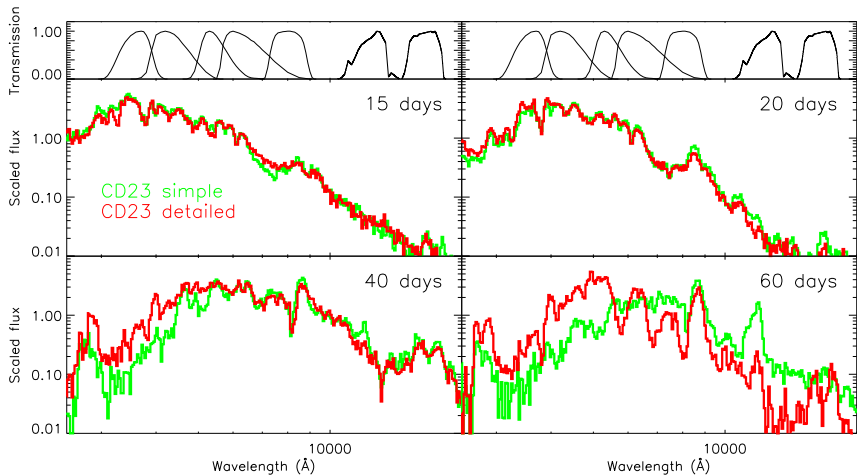


Lucy 2002

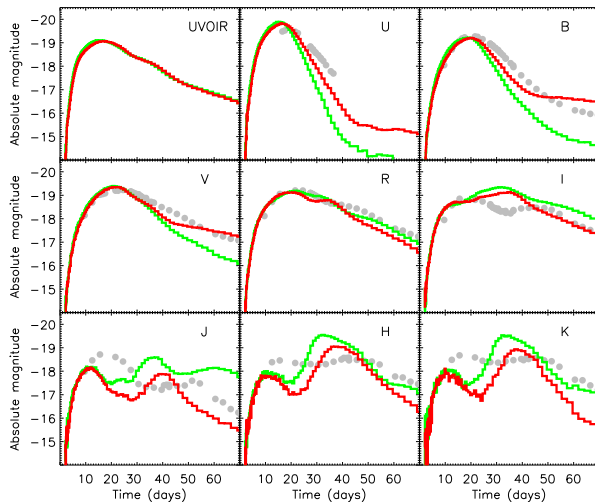
Spectral evolution



Influence of ionisation treatment

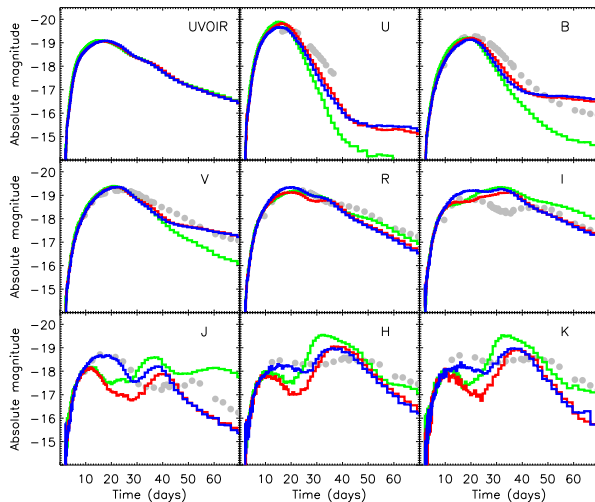


Influence of ionisation treatment



- circles: SN 2001el (Krisciunas 2003)
- CD23 simple
- CD23 detailed

Influence of atomic data



● circles: SN 2001el
(Krisciunas 2003)

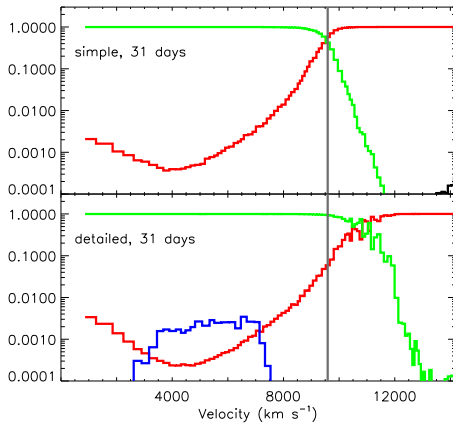
● CD23 simple

● CD23 detailed

● BIG detailed

Influence of ionisation treatment

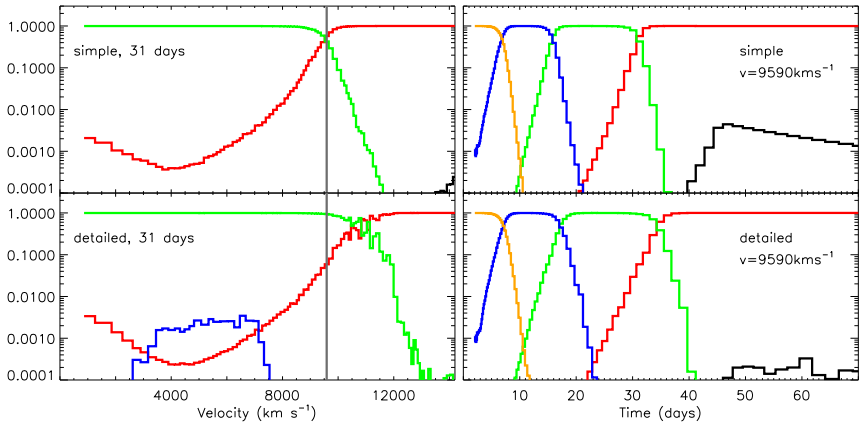
Ionisation fractions of Fe I, II, III, IV, V
versus radial velocity



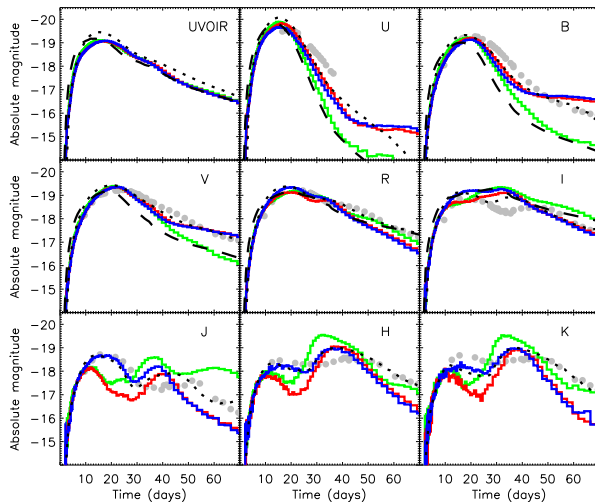
Influence of ionisation treatment

Ionisation fractions of Fe I, II, III, IV, V
versus radial velocity

versus time



Broad-band light curves



- blue: big detailed
- red: CD23 detailed
- green: CD23 simple
- dashed: STELLA (Blinnikov 1998)
- dotted: SEDONA (Kasen 2006)
- circles: SN 2001el (Krisciunas 2003)

Flux redistribution

